The Cosmic Twilight Polarimeter (CTP):

A model-independent approach to constrain the synchrotron foreground spectrum for global 21-cm cosmology

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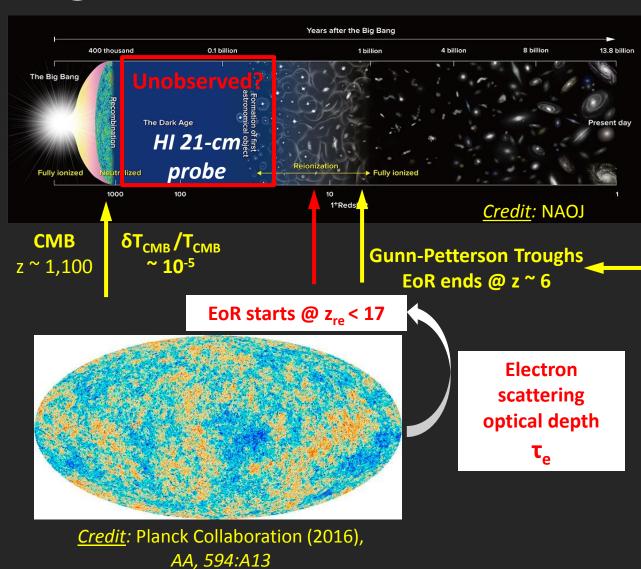


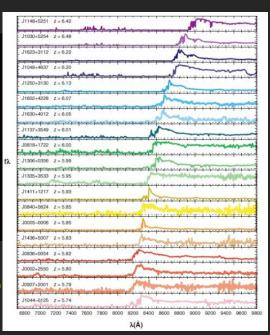


Outline

- I. Motivations
- II. Projection-induced Polarization Effect (PIPE)
- III. The Cosmic Twilight Polarimeter Experiment
- IV. CTP Results & Simulation Comparison
- V. Discussion & Future Work

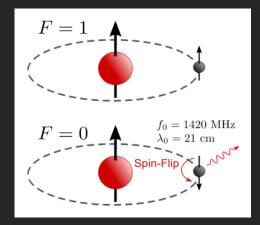
High-redshift Universe



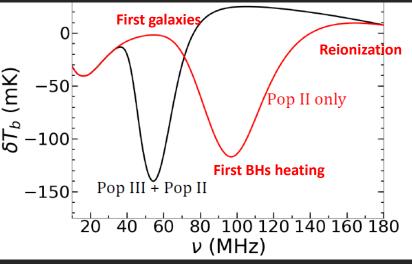


<u>Credit</u>: Fan et al. (2006) ARAA, 44:415-462

21-cm spin-flip transition of HI atoms



Global = spatially averaged = sky averaged i.e., no spatial information Evolution of global 21-cm signal



<u>Credit</u>: Burns et al. (2018), ASR 49:433-450

Ionization history
CMB

Measured against CMB:

$$\delta T_{\rm b,21cm}(z) \approx \ 27 \bar{x}_{\rm HI} \left(\frac{\Omega_{b,0} h^2}{0.023} \right) \left(\frac{0.15}{\Omega_{m,0} h^2} \frac{1+z}{10} \right)^{1/2} \left(1 - \frac{T_{\gamma}}{T_{S}} \right) \ {\rm mK}, \label{eq:deltaTb}$$

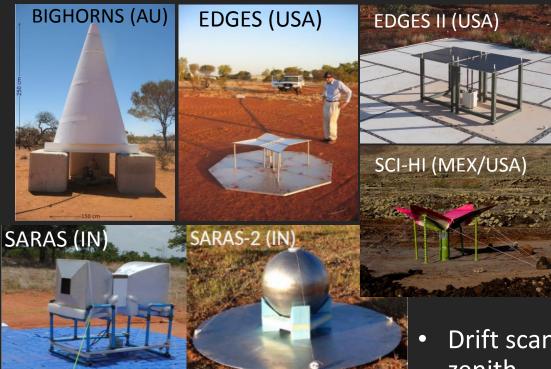
Both function of redshift z

Thermal history



<u>Credit</u>: Furlanetto (2006), MNRAS, 371:867-878

Current observational efforts Single element



Compact Array



Lower cost than large arrays

- Drift scans with antennas pointing at zenith
- Total-power measurement: (Foreground + 21 cm) in a <u>single averaged spectrum</u>
- → Environment, measurement & systematic variations

Why is it a tricky measurement?

Beam weighted measurement

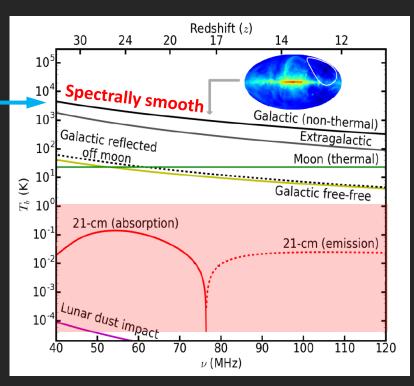
$$\begin{split} T_{\rm ant}(\nu) &= \frac{\int_{\Omega_B} \left[T_{\rm fg}(\nu,\theta,\phi) + \delta T_{\rm b,21cm}(\nu,\theta,\phi) \right] F(\nu,\theta,\phi) \, \mathrm{d}\Omega}{\int_{\Omega_B} F(\nu,\theta,\phi) \, \mathrm{d}\Omega} \\ &= T_{\rm fg}(\nu) + \delta T_{\rm b,21cm}(\nu) \end{split}$$

Antenna Temperature (Foreground+ 21 cm)

Foreground parametrization:

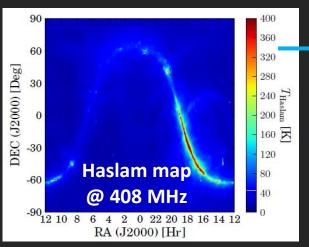
$$\log \widehat{T}_{fg}(\nu) = \sum_{m=0}^{M>0} c_m \left(\log \nu\right)^m$$

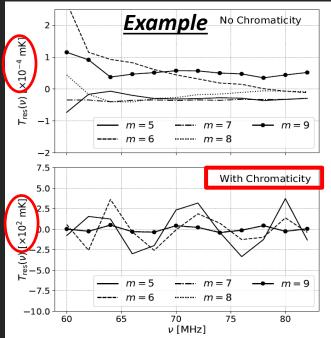
- Large dynamic range
 (4-6 orders of magnitude)
- 2. Beam is a complex function of frequency



<u>Credit</u>: Burns et al. (2017), ApJ, 844:33

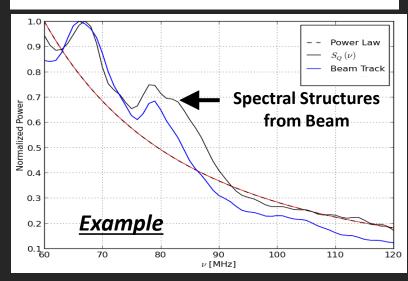
Conventional Foreground Removal





Spectrally smooth foreground:

$$T_{fg}(\theta, \phi, \nu) = T_{\text{Haslam}}(\theta, \phi) \left(\frac{\nu}{408 \text{ MHz}}\right)^{-\beta}$$

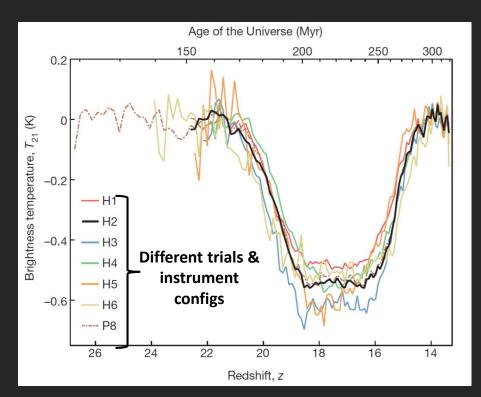


$$\log \widehat{T}_{fg}(\nu) = \sum_{m=0}^{M>0} c_m (\log \nu)^m$$

Beam corrupts foreground smoothness

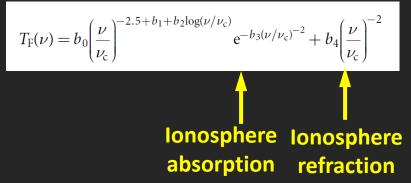
→ Large residual

Recent measurement (March 2018)



• EDGES-II (low-band 50-100 MHz): Trough @ 78 \pm 1 MHz Amplitude $\approx 0.5^{+0.5}_{-0.2}$ K FWHM $\approx 19^{+4}_{-2}$ MHz

Sophisticated foreground parametrization:



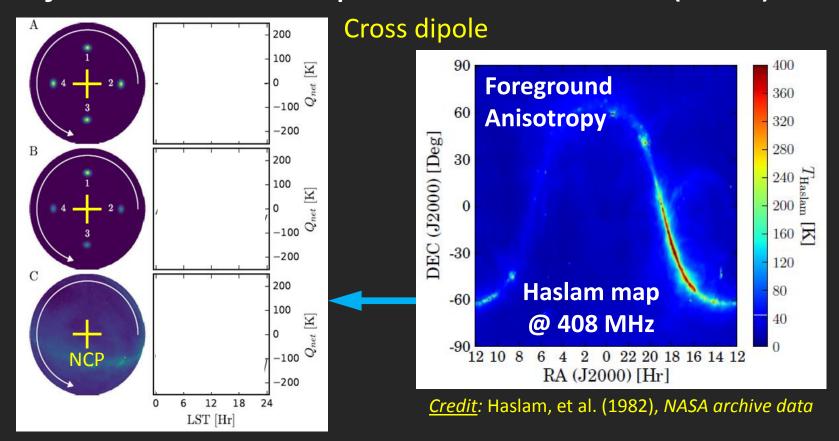
Credit: Bowman et al. (2018) Nature, 555:67

→ Need independent confirmation from separate experiment & different approach and systematics

What do we want?

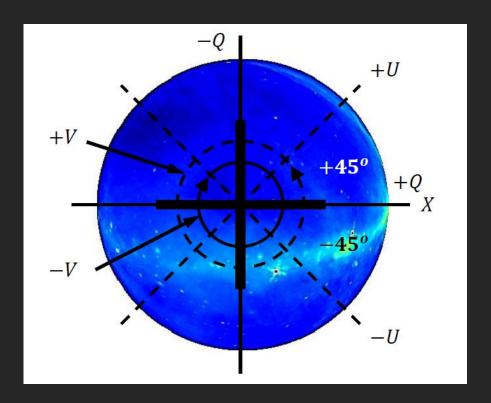
- Measure foreground spectrum <u>directly</u> without assuming any parametrization for fitting
- Measure foreground <u>separately</u> without being "convoluted" with the background 21-cm signal as in a single total-power spectrum

Projection-induced polarization effect (PIPE)



- → Asymmetry foreground induced periodic net polarization
- → Isotropic global background = zero net polarization
- → Geometric effect, NOT intrinsic foreground polarization (much weaker & washed out by spatially averaging)

Stokes formalism



Total Stokes parameters:

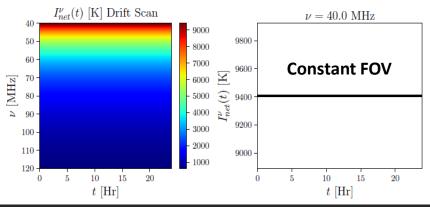
$$\begin{split} I_{out}^{\nu}(\theta,\phi,t) &= \langle E_X E_X^* \rangle + \langle E_Y E_Y^* \rangle \\ Q_{out}^{\nu}(\theta,\phi,t) &= \langle E_X E_X^* \rangle - \langle E_Y E_Y^* \rangle \\ U_{out}^{\nu}(\theta,\phi,t) &= \langle E_X E_Y^* \rangle + \langle E_X^* E_Y \rangle \\ V_{out}^{\nu}(\theta,\phi,t) &= j \left(\langle E_X E_Y^* \rangle - \langle E_X^* E_Y \rangle \right) \end{split}$$

→ Net Stokes vector measures the projection-induced polarization Foreground ONLY

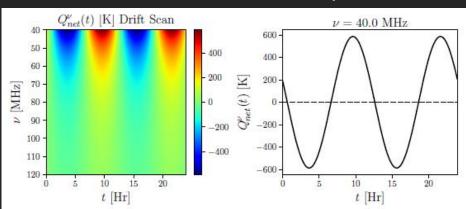
Simulation:

$$T_{fg}(\nu) = T_{150} \left(\frac{\nu}{150 \text{ MHz}}\right)^{-\alpha}$$

Total Stokes I

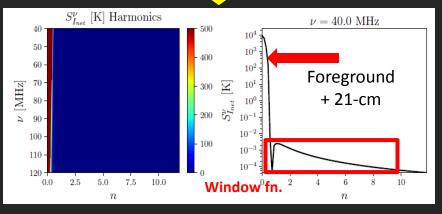


Net Stokes Q



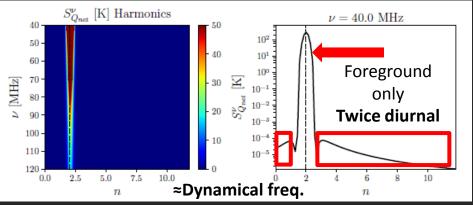


FFT





FFT

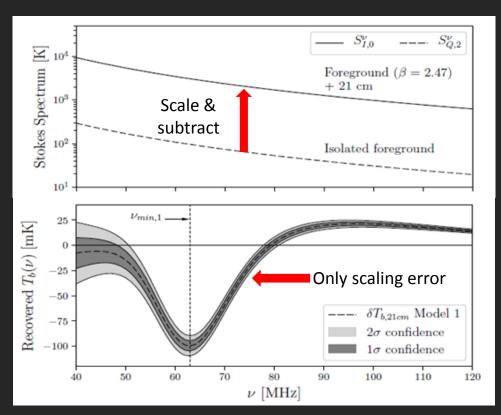


Credit: Nhan et al. (2017) ApJ, 836:90

Foreground subtraction with induced Stokes spectra

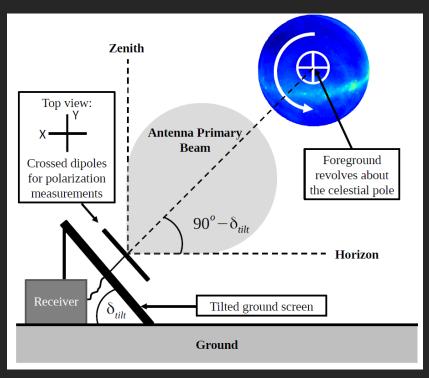
Caveats:

- Gaussian beam
- Frequency-independent beam
- Observed at North Pole
 - → Free from horizon cutoff of northern sky



Credit: Nhan et al. (2017) ApJ, 836:90

Cosmic Twilight Polarimeter (CTP)



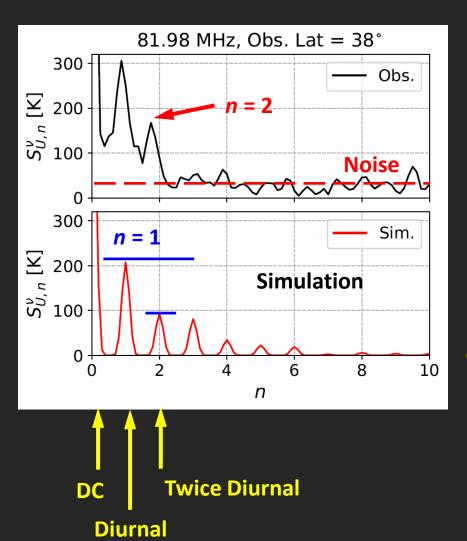


Credit: Nhan et al. (2017) ApJ, 836:90

What's new vs other experiments?

- Full Stokes, not just total power
- Point antenna at North Celestial Pole (NCP)

Stokes U Spectra (from FFT)



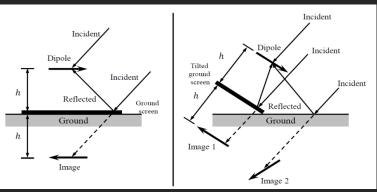
- 1) S/N for (n=2) = 4.23
- 2) Relative harmonic ratio:
 - \blacksquare Sim(n=1:2) = 2.24
 - Obs $(n=1:2) = 1.83 \pm 0.5$

Marginal detection of the twice diurnal

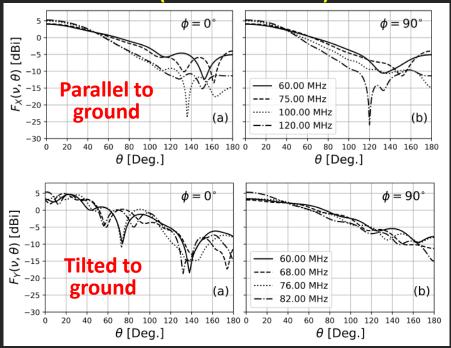
 Don't have entire band to confirm the spectral index of the foreground

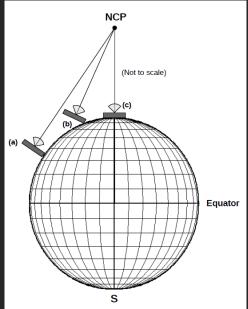
Ground effects

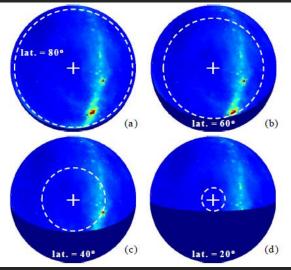
Horizon Obstruction



Beam simulation using CST (EM sim software)

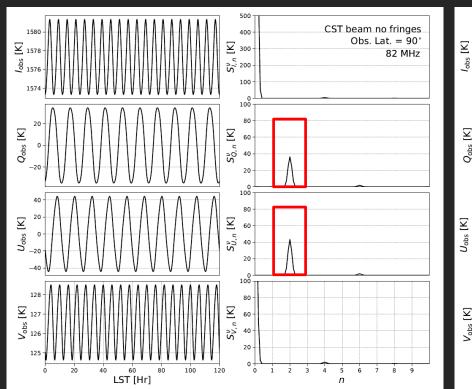


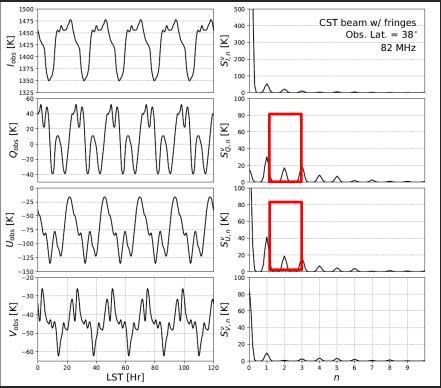




Idealized Model

Model (CST tilted beam + horizon)





Model with ground effect on beam & horizon cutoff explains the observed characteristics in the CTP's Stokes spectra

Takeaways

- New approach to constrain foreground using projection induced polarization
 - 1) Move the antenna high off the ground to reduce the corruption
 - 2) Move the experiment to higher latitude to reduce horizon obstruction
- Full Stokes provides higher degree of freedom to constrain foreground directly & separately from background 21-cm signal (vs. total-power)
- Great potential to do a follow up observation for the global 21-cm signal to confirm EDGES's result

THANK YOU! bnhan@nrao.edu