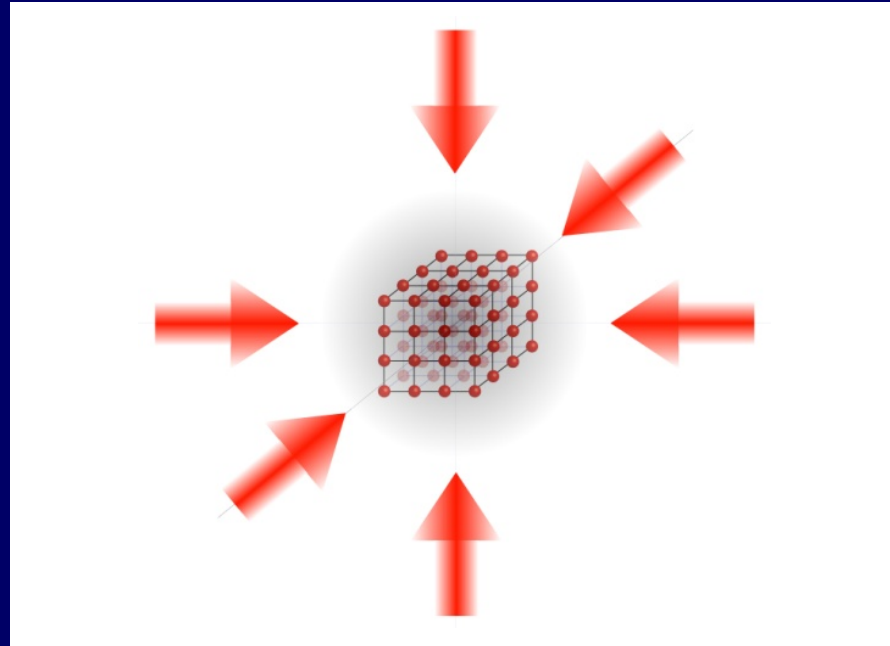
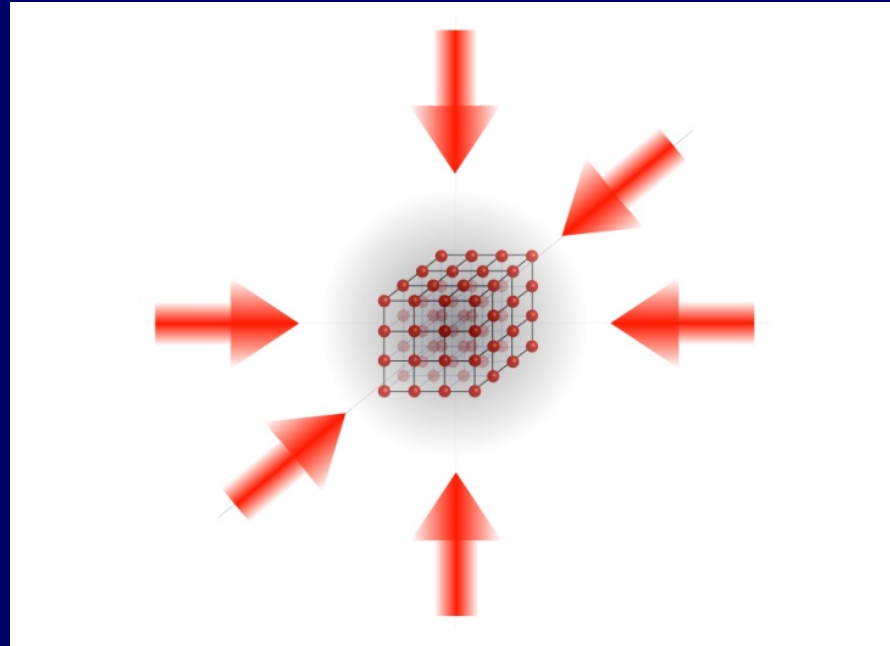


Quantum Gases in Optical Lattices



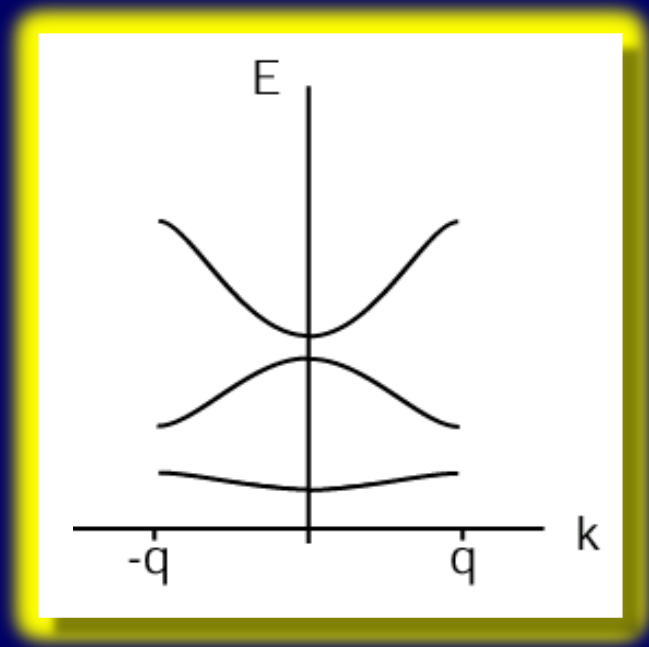
Where is the physics?



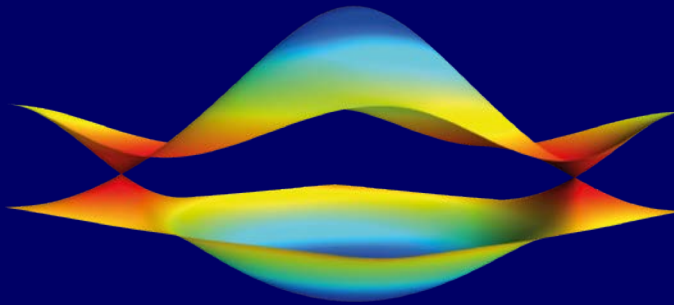
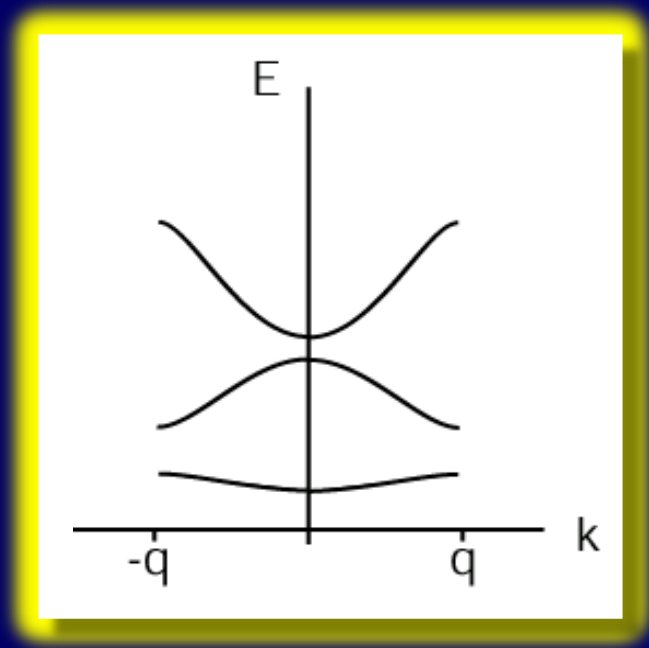
$$H = T + U + V_{\text{trap}}$$

$$H = T + U + V_{\text{trap}}$$

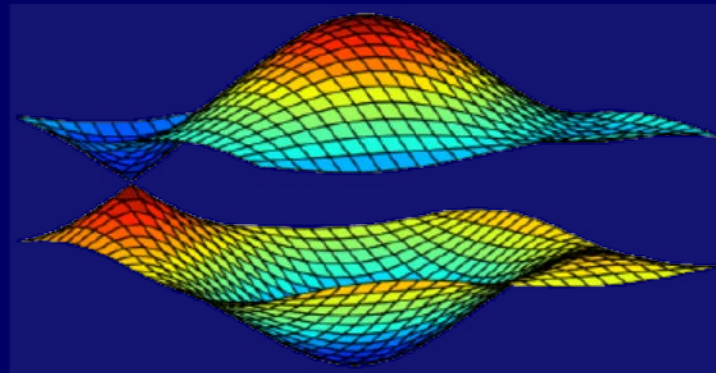
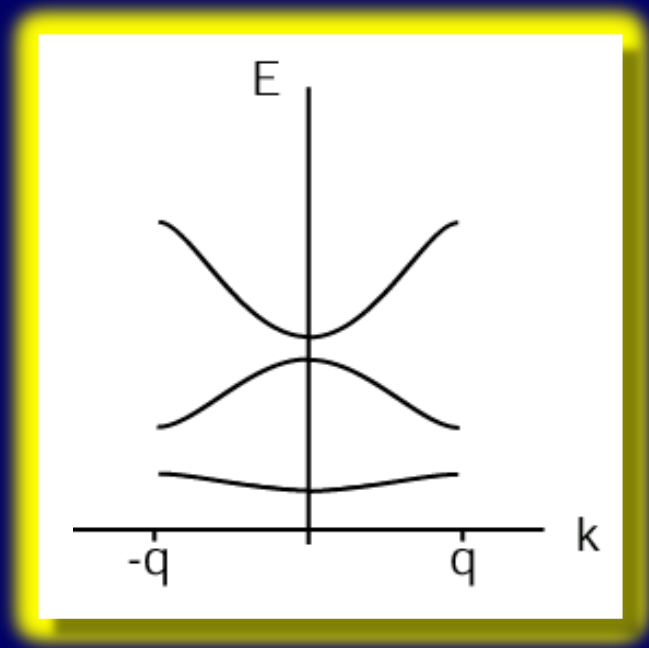
$$H = T + U + V_{\text{trap}}$$



$$H = \mathbf{T} + U + V_{\text{trap}}$$

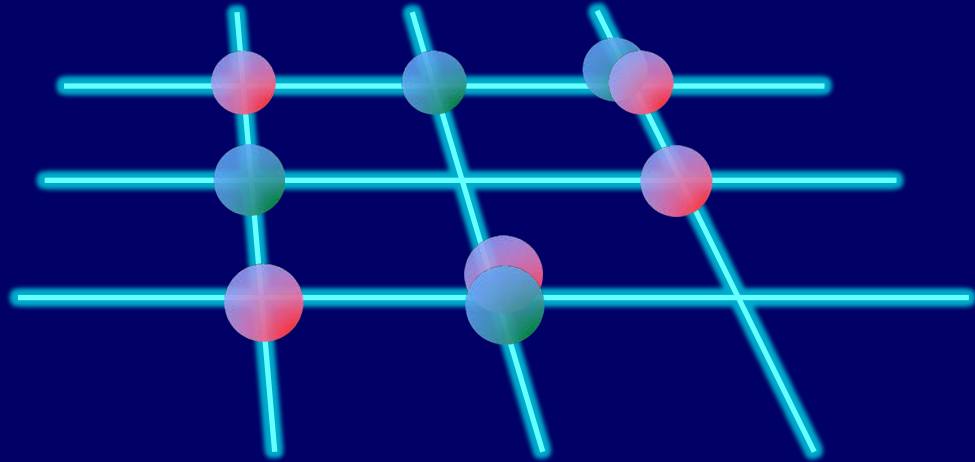


$$H = \mathbf{T} + U + V_{\text{trap}}$$

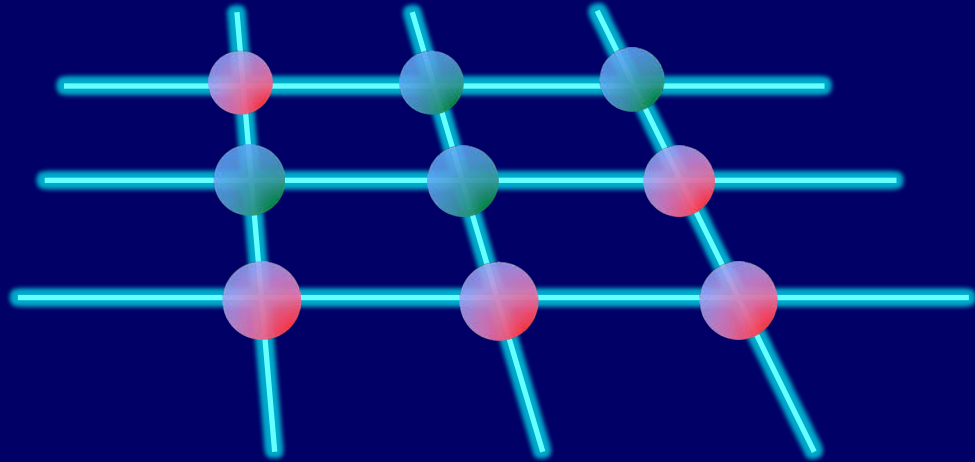


$$H = T + U + V_{\text{trap}}$$

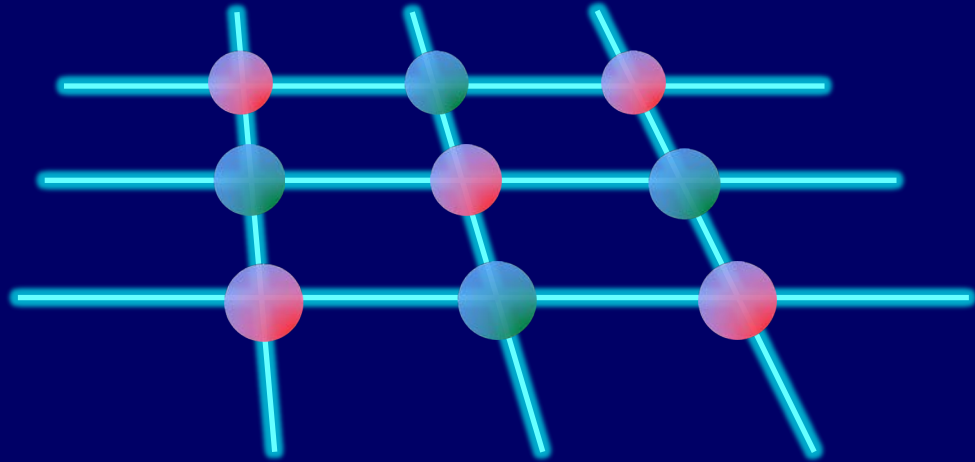
$$H = T + U + V_{\text{trap}}$$



$$H = T + U + V_{\text{trap}}$$

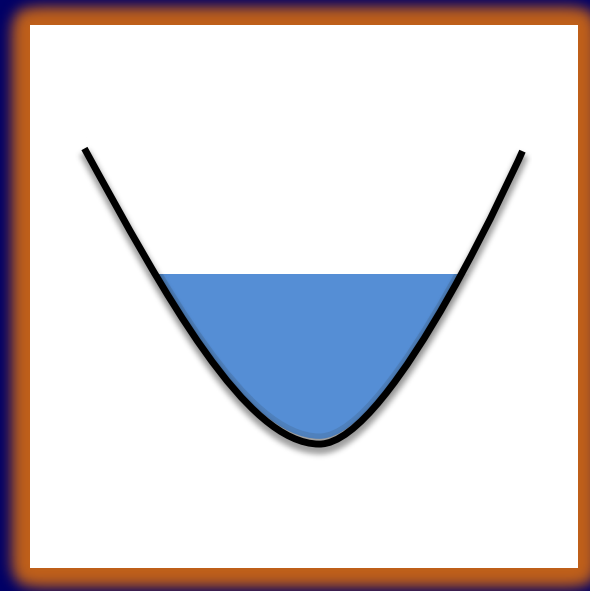


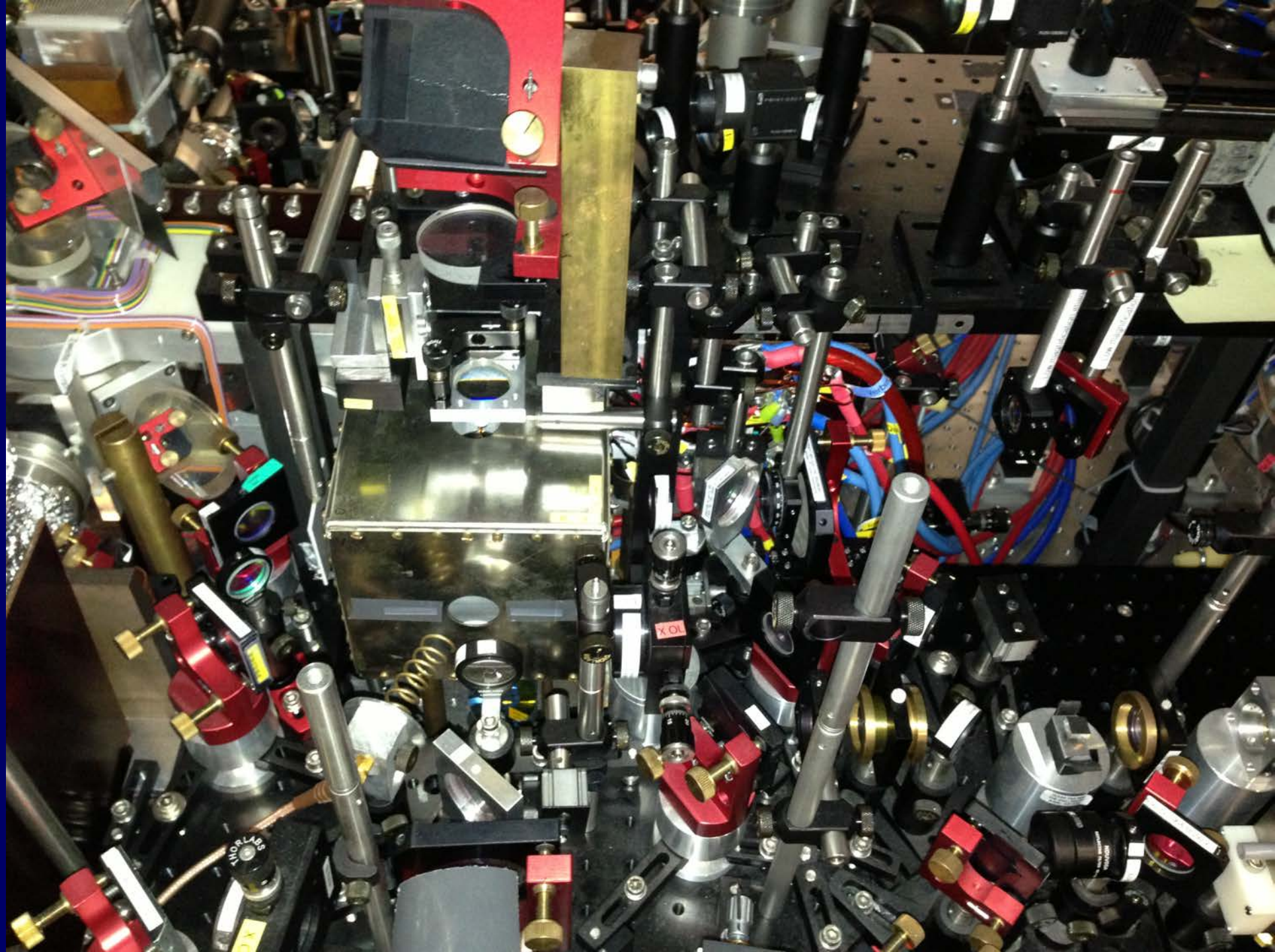
$$H = T + U + V_{\text{trap}}$$



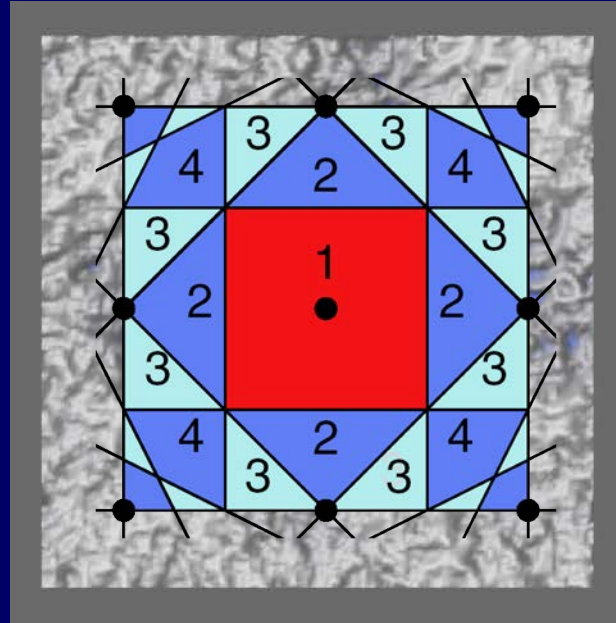
$$H = T + U + V_{\text{trap}}$$

$$H = T + U + V_{\text{trap}}$$

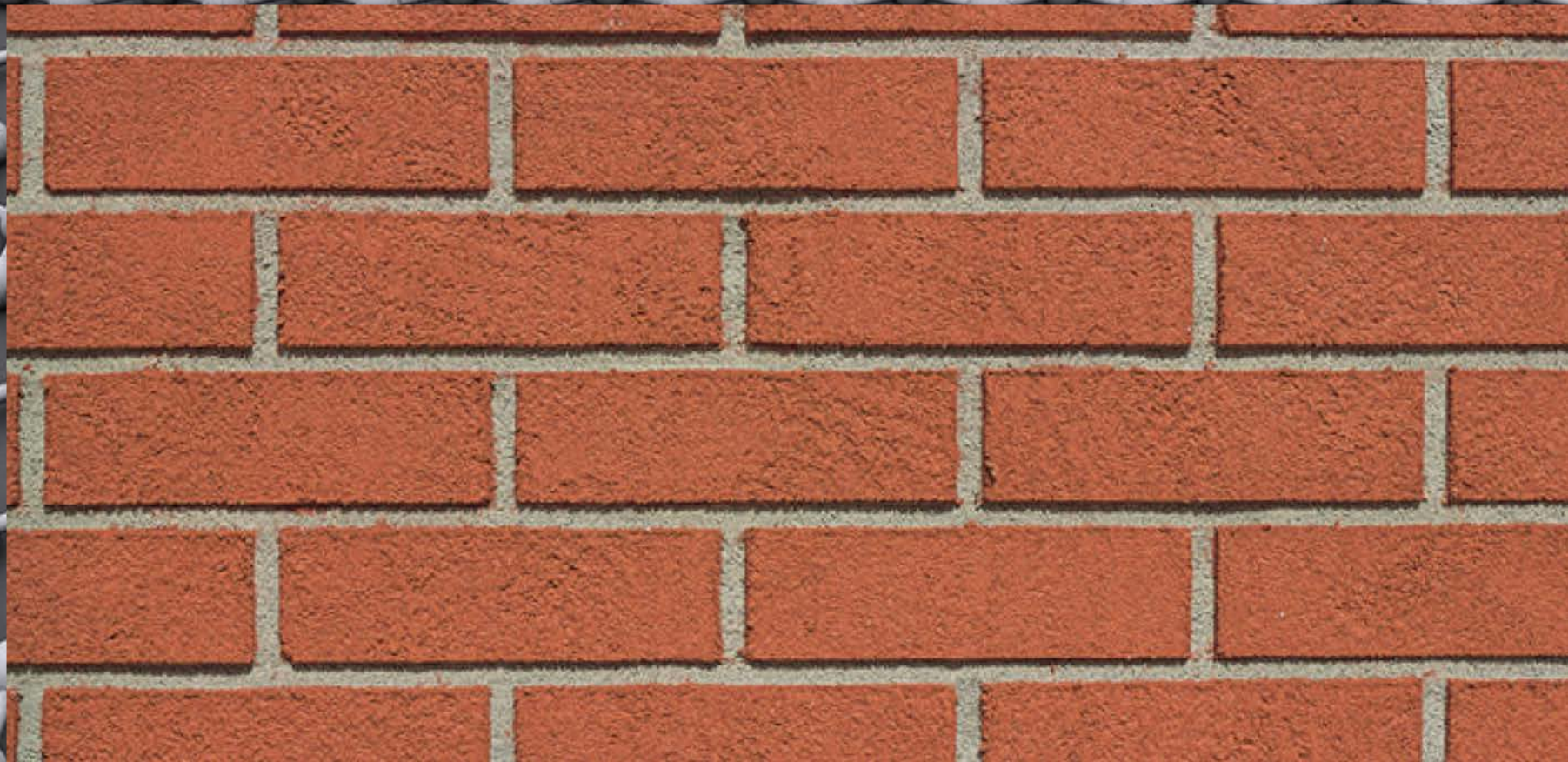




Simple Measurement...

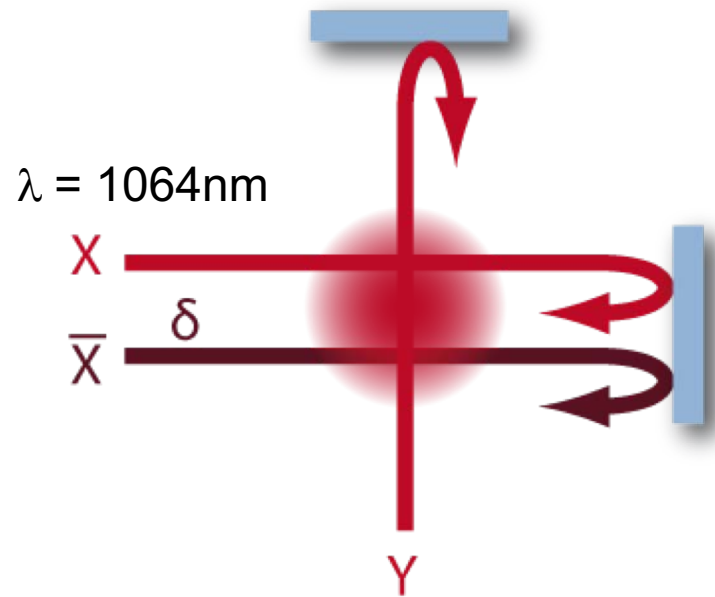


Simple structure...

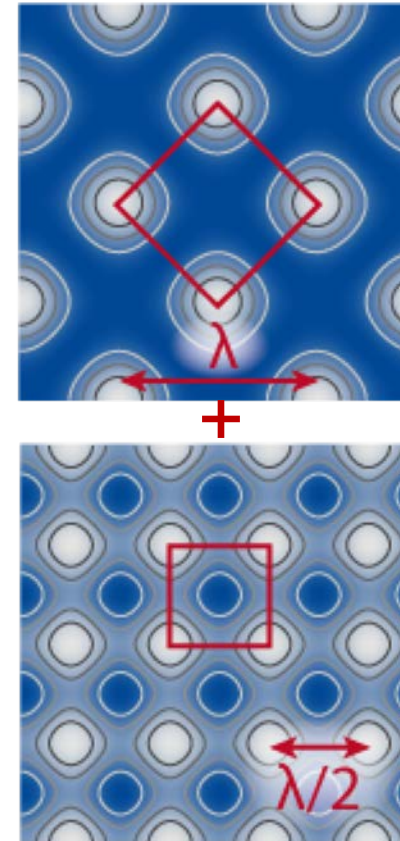


Tunable Geometry Optical Lattice

Setup



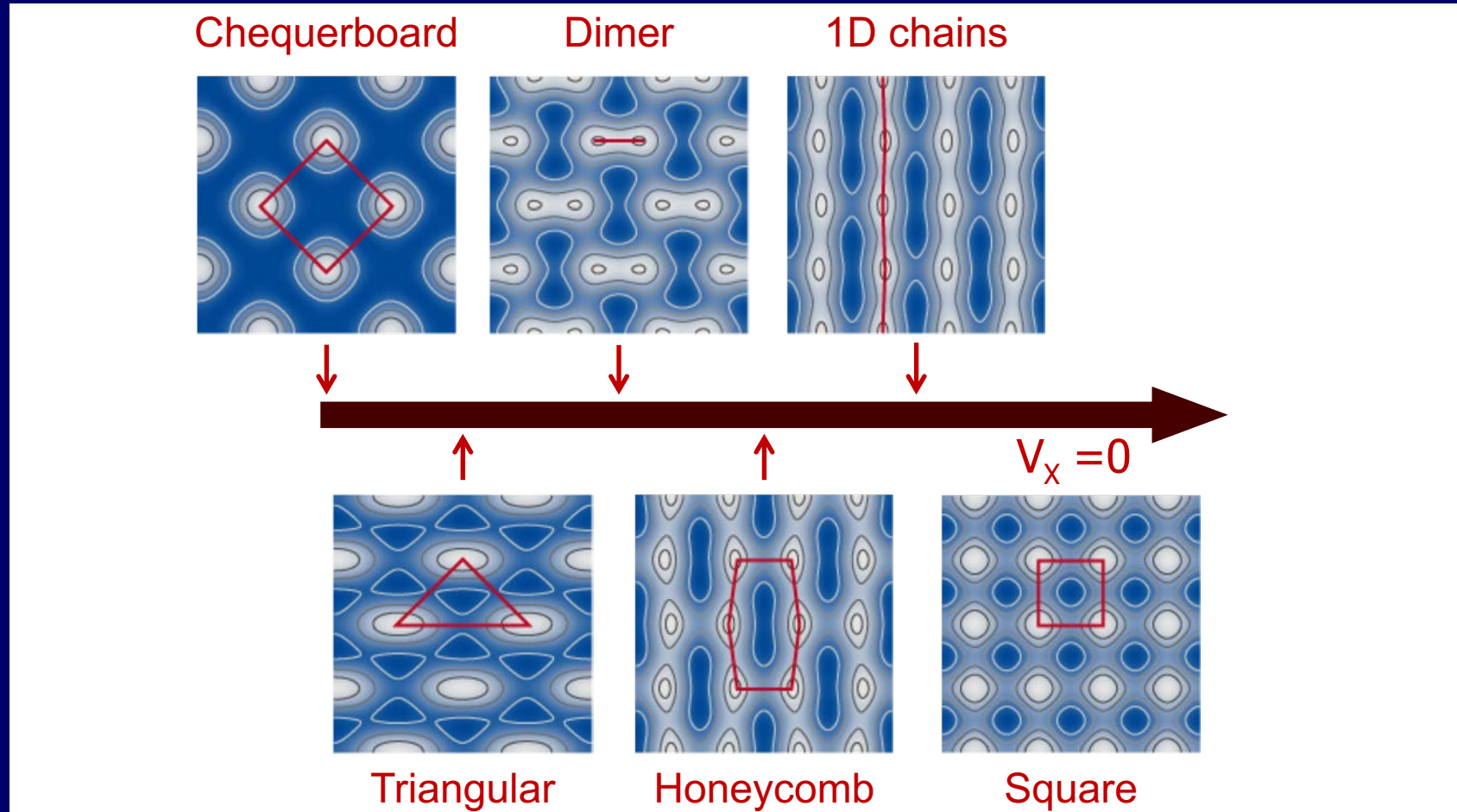
Optical potential



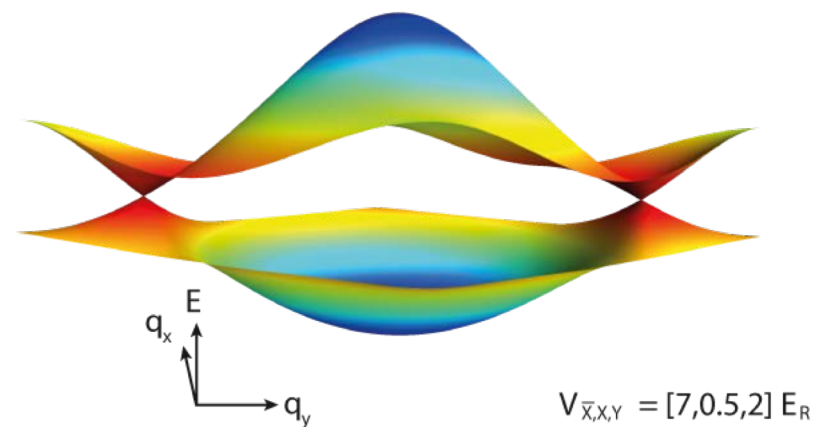
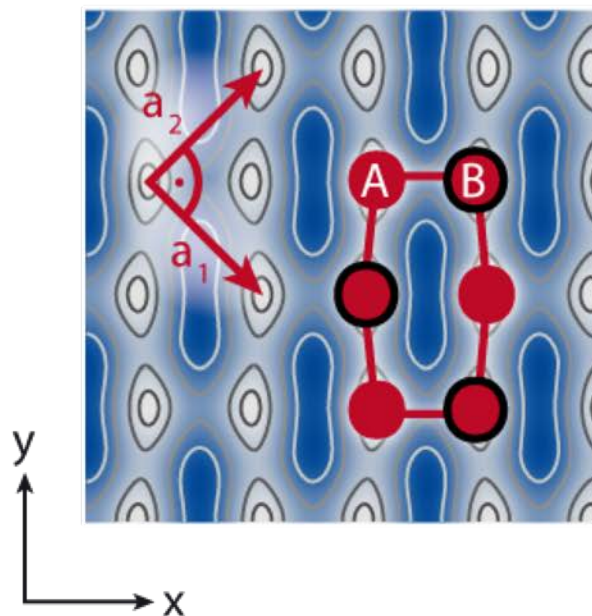
$$V(x, y) = V_{\bar{X}} \cos^2(kx + \theta/2) + V_X \cos^2(kx) + V_Y \cos^2(ky) + 2\alpha\sqrt{V_X V_Y} \cos(kx) \cos(ky)$$

Other engineered lattices: NIST, Munich, Hamburg, Berkeley, ...

Tunable Geometry Optical Lattice



Honeycomb Lattice



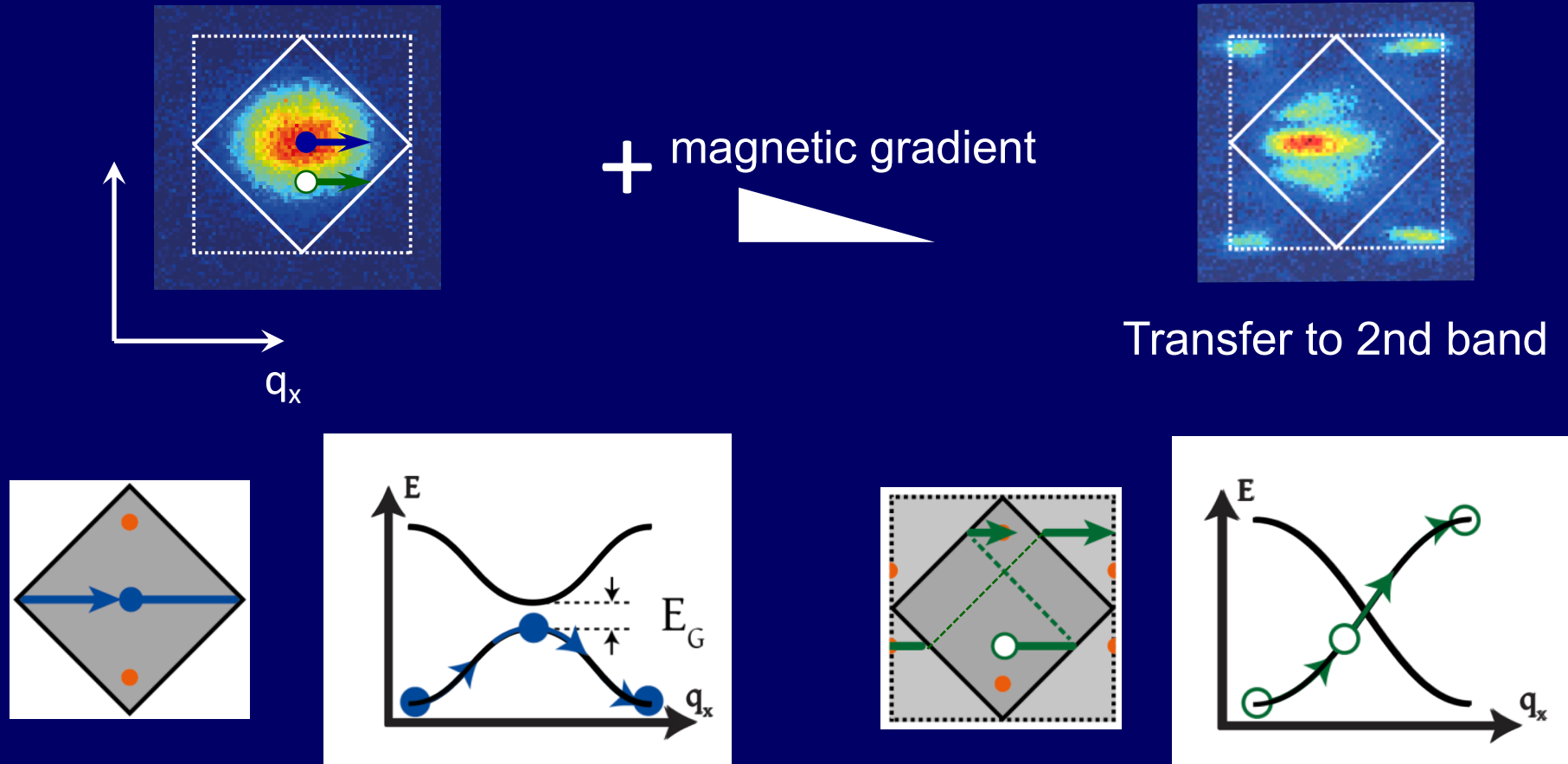
Thanks to Dario Poletti, Corinna Kollath

Probing the Dirac points

vanishing density of states

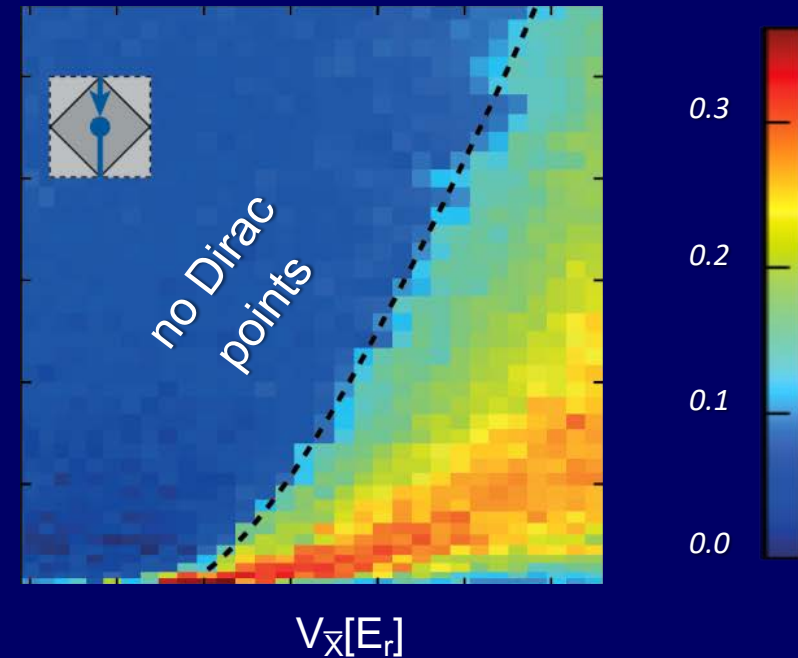
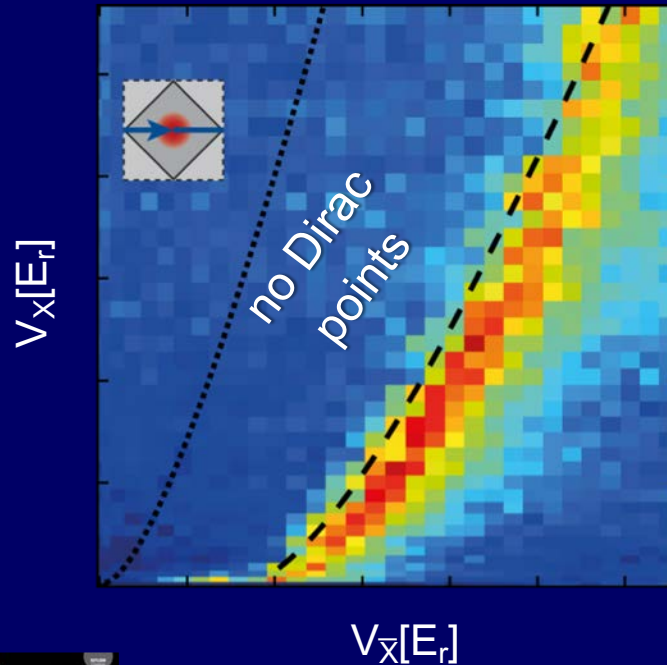
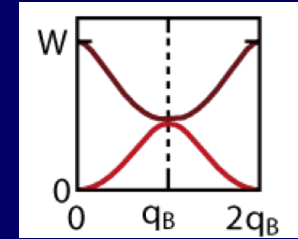
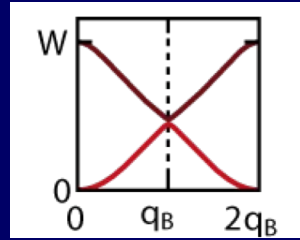
small energy scales

Bloch oscillation and interband transitions



Method in 1D: T. Salger et. al, Phys. Rev. Lett. 99, 190405 (2007)

Touching Dirac points

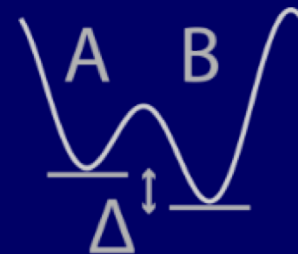
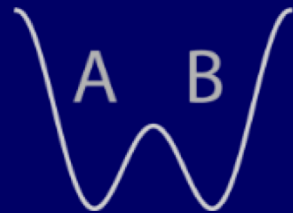
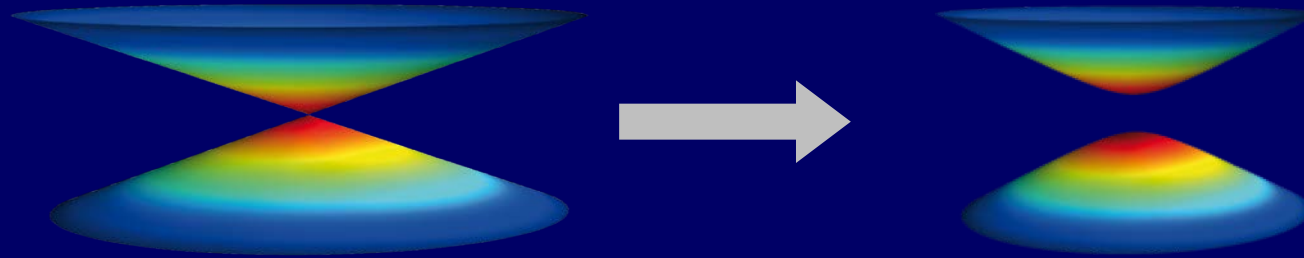


L. Tarruell, D. Greif, T. Uehlinger, G. Jotzu, and T. Esslinger, Nature 483, 302–305 (2012).

Theory, see also: L.-K. Lim, J.-N. Fuchs, G. Montambaux, PRL 108, 175303 (2012)

Breaking Inversion Symmetry

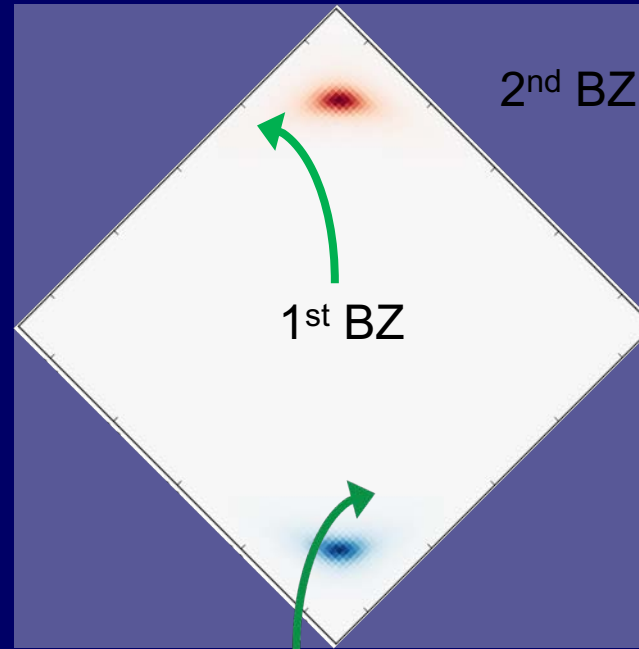
Berry curvature



See also: L. Duca, Science 347, 288 (2015)

Review: N. Goldman, G. Juzeliunas, P. Ohberg, I. Spielman, Rep. Prog. Phys. 77, 126401, (2014)

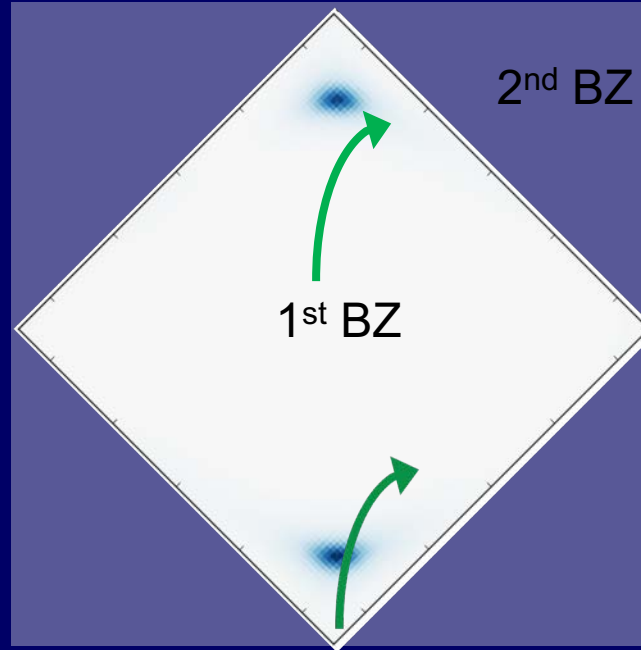
Berry Curvature and Transverse Drift



$$\dot{\mathbf{r}} = \frac{1}{\hbar} \partial_{\mathbf{k}} \epsilon(\mathbf{k}) - \dot{\mathbf{k}} \times \boldsymbol{\Omega}(\mathbf{k})$$
$$\hbar \dot{\mathbf{k}} = \mathbf{F}(\mathbf{r})$$

Chang and Niu, PRL 75, 1348 (1995)
Price and Cooper, PRA 85, 033620 (2012)

Berry Curvature and Transverse Drift



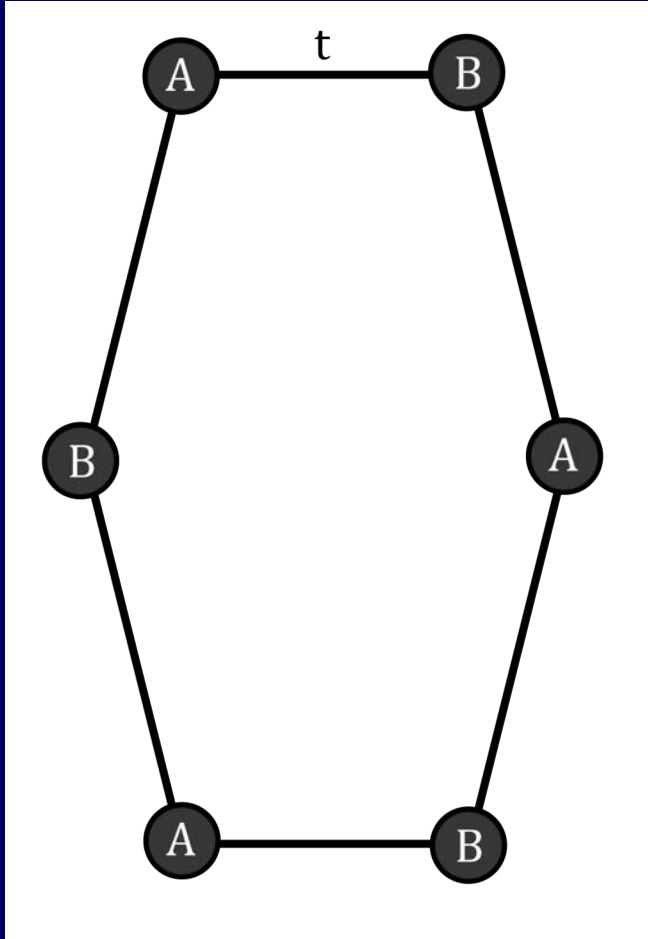
Like a Hall current

Topological Haldane model

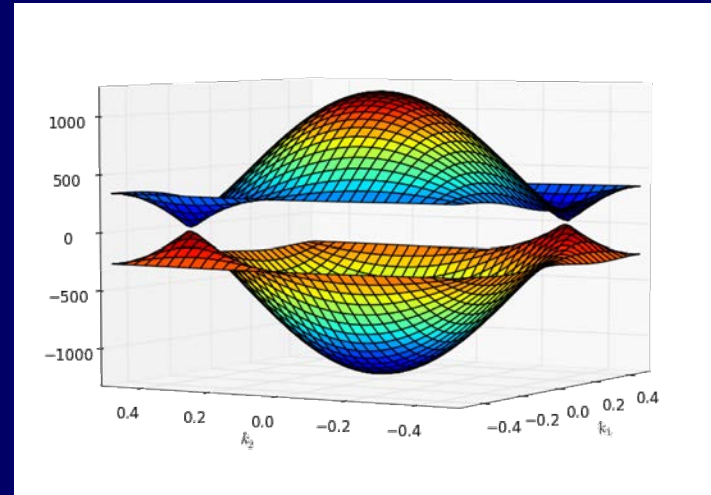
Proposal for Quantum Hall Effect *without* magnetic field!

Haldane, PRL **61**,2015-2018 (1988)

Topological Haldane model



Start from a honeycomb lattice

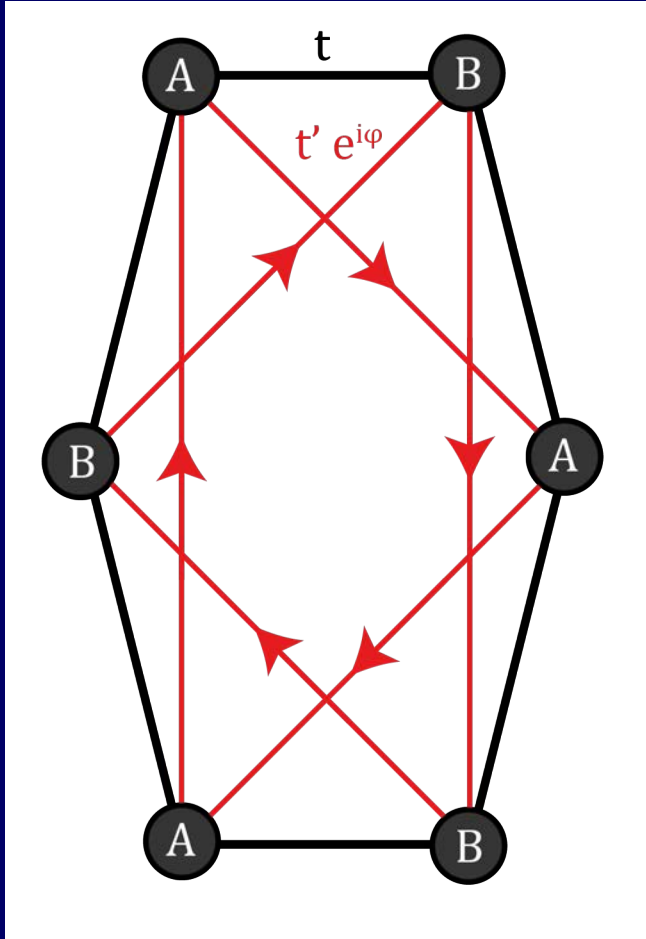


inversion and time-reversal symmetry

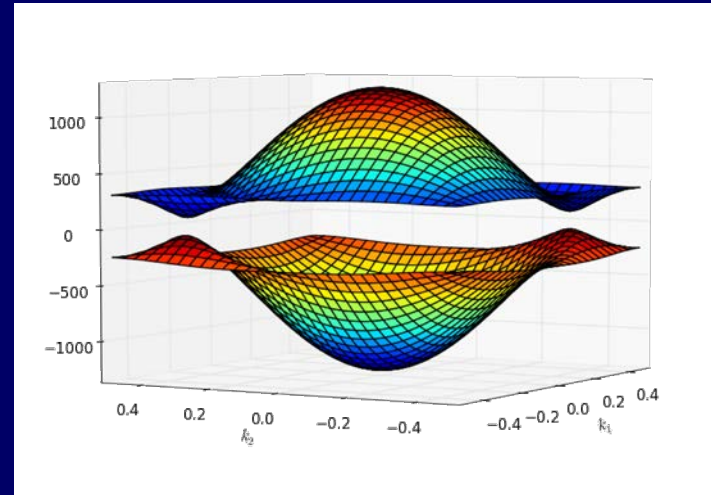
**Topological Haldane model
break time-reversal symmetry**



Topological Haldane model

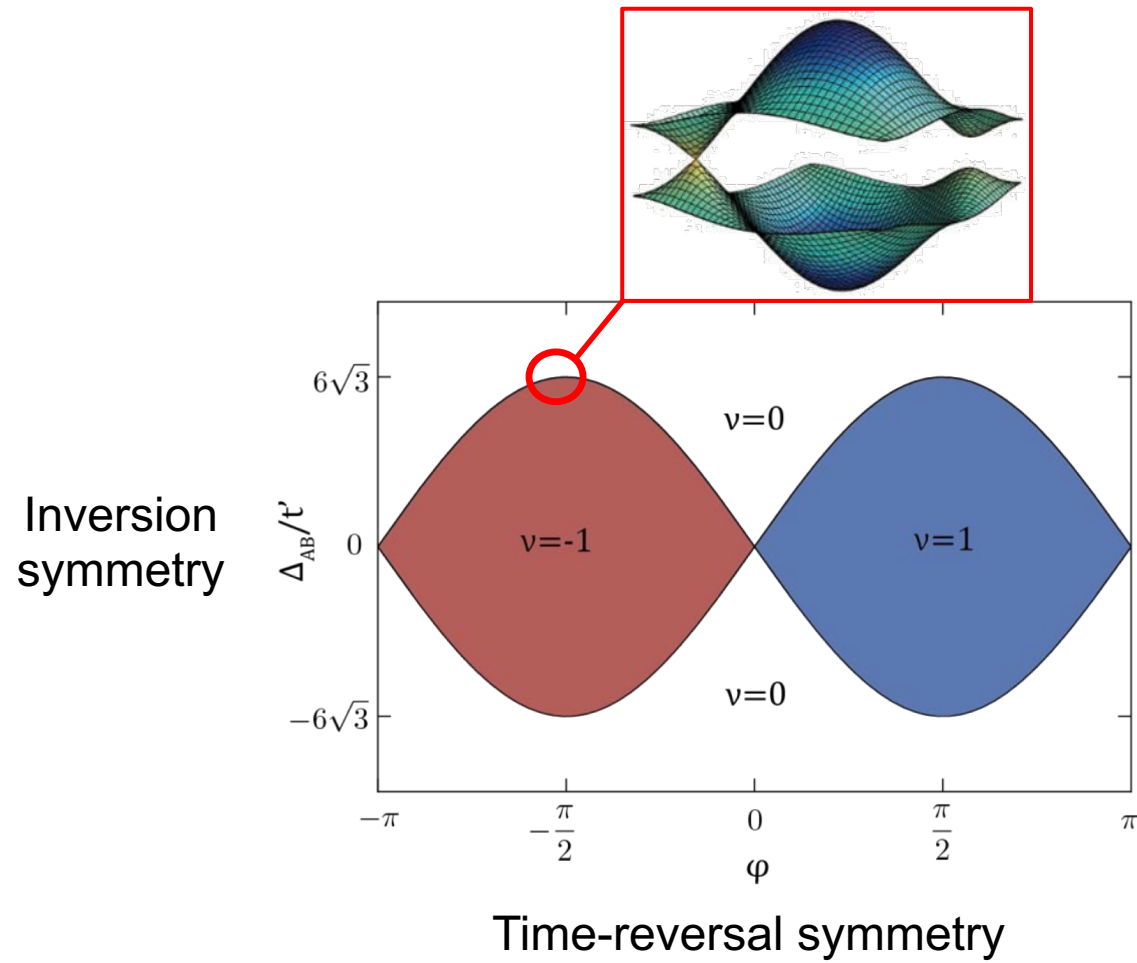


break time-reversal symmetry with
complex next-nearest neighbour tunnellings



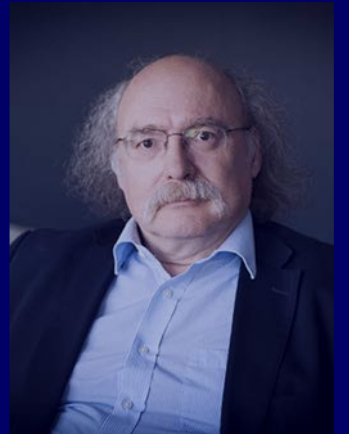
→ Topological Chern insulator, with non-zero Hall conductance

Topological Haldane model



Haldane, PRL **61**,2015-2018 (1988)

How?



geometrical constant of order unity, and g is the Landé g factor for the electrons.

While the particular model presented here is unlikely to be directly physically realizable, it indicates that, at least in principle, the QHE can be placed in the wider context of phenomena associated with broken time-reversal invariance, and does not necessarily require external magnetic fields, but could occur as a consequence of magnetic ordering in a quasi-two-dimensional system.

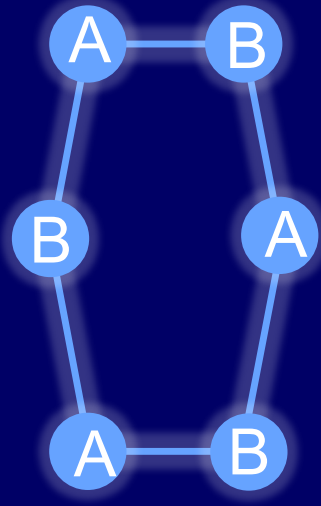
Breaking time-reversal symmetry

Proposal for Photovoltaic Hall effect in graphene

T. Oka und H. Aoki, PRL **79**, 081406 (2009)



Breaking time-reversal symmetry



Other proposals to realize topological Hamiltonians:

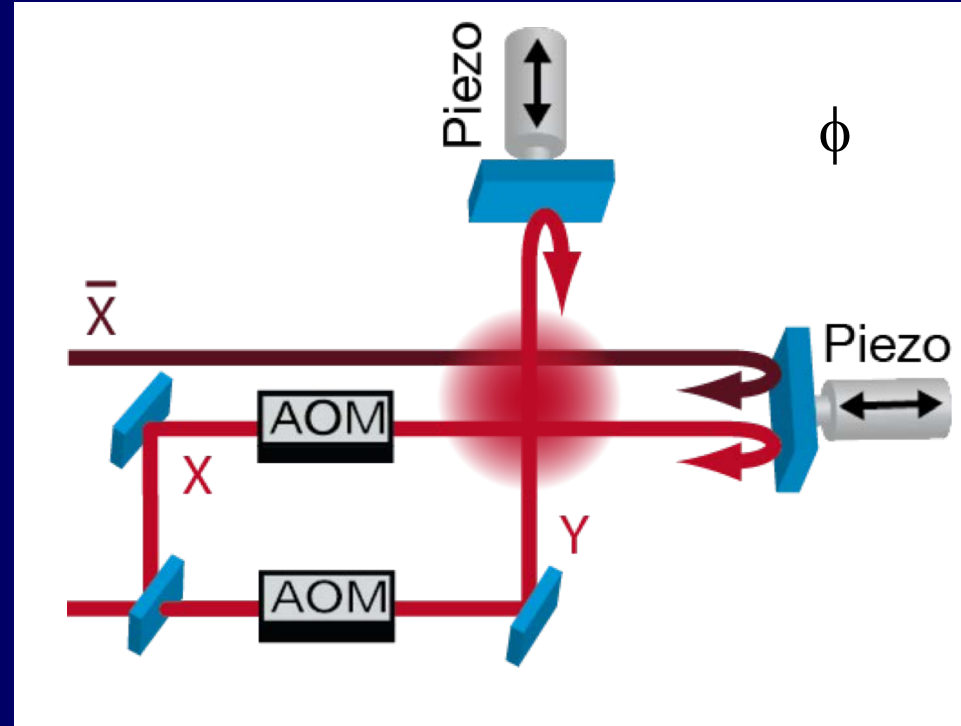
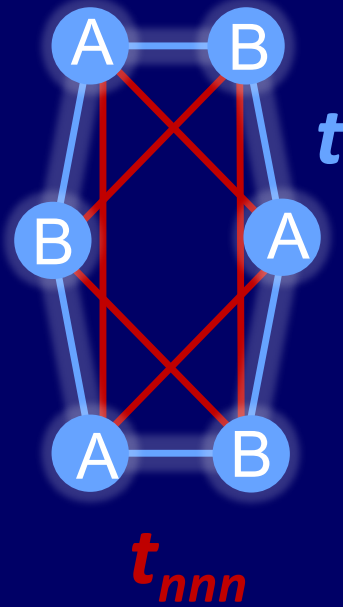
T. Kitagawa et al., Phys. Rev. B 82, 235114 (2010)

P. Hauke et al., Phys. Rev. Lett 109, 145301 (2012)

Realisation in photonic system: Rechtsman et. al Nature 496, 196–200 (2013)

Breaking time-reversal symmetry

Lattice Shaking



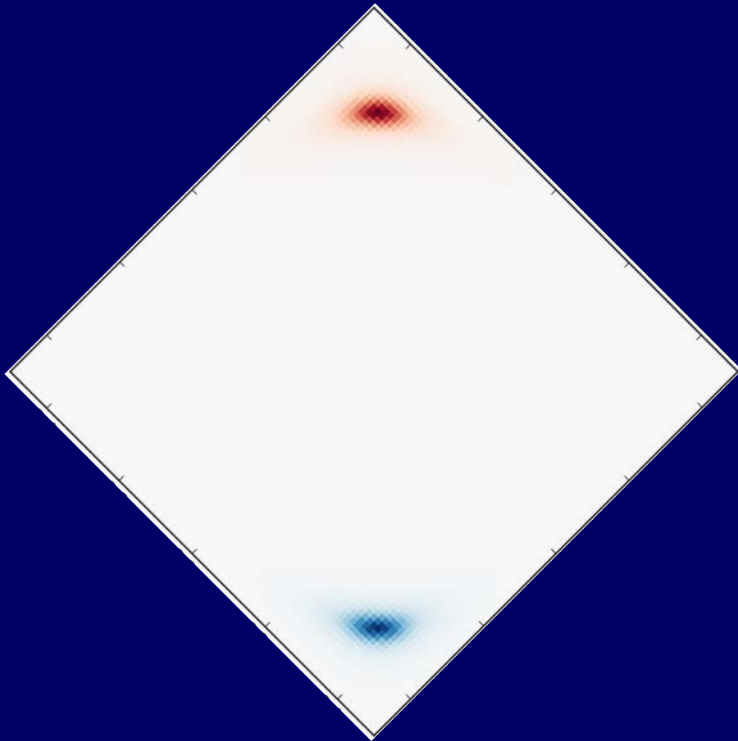
Lattice shaking: Pisa — Lignier, PRL **99**, 220403 (2007)

Hamburg/Barcelona — Struck, Science **333**, 996-9 (2011), PRL 108, 225304 (2012)

Chicago — Parker, Nat. Phys. **9**, 769-774 (2013)

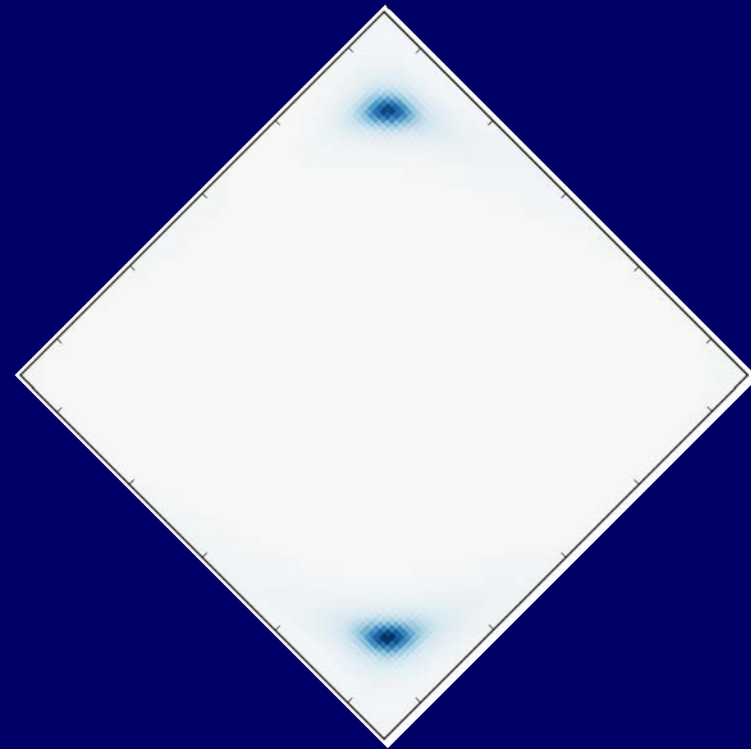
Berry Curvature

Trivial band insulator



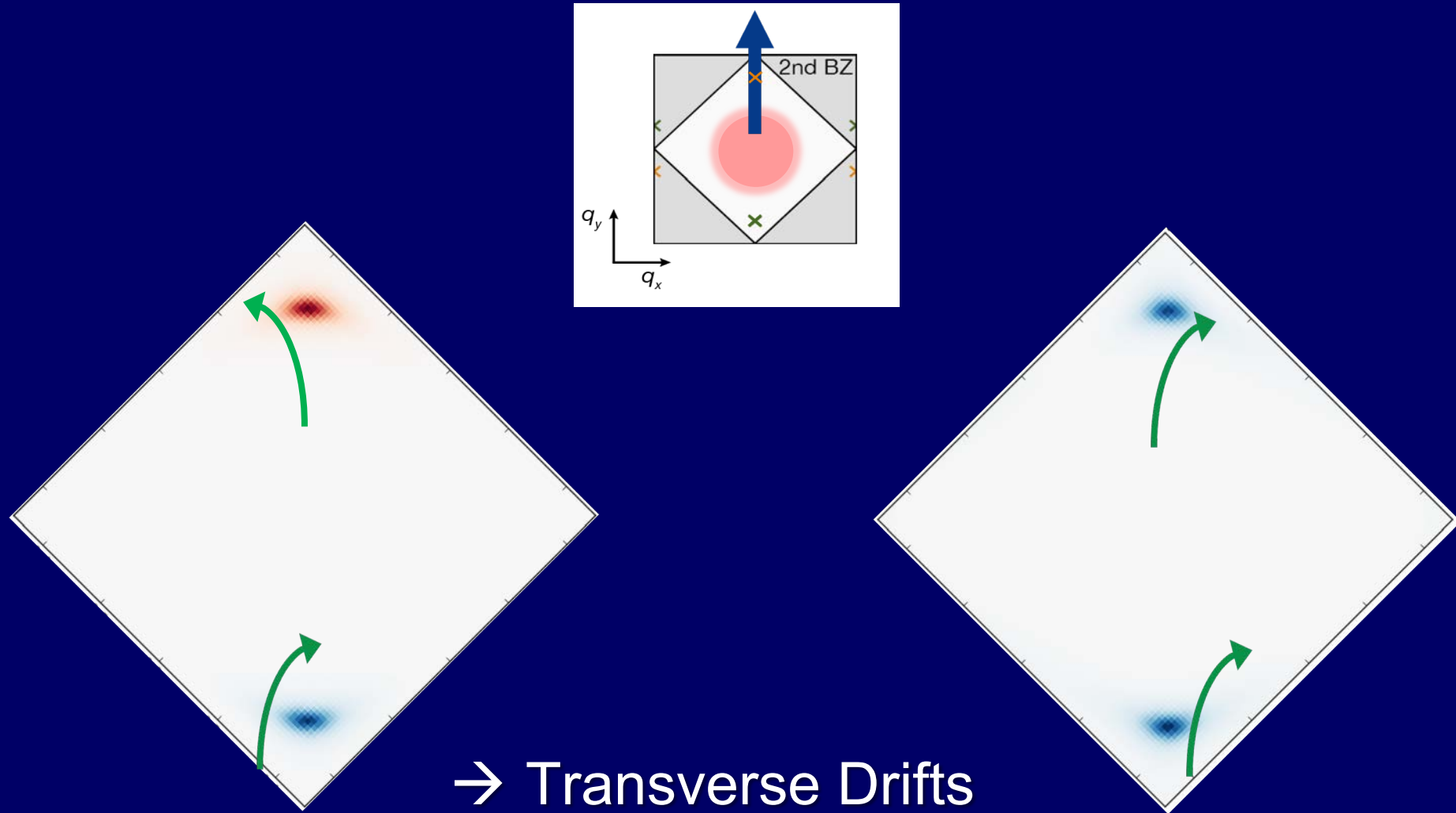
Chern number 0

Chern insulator



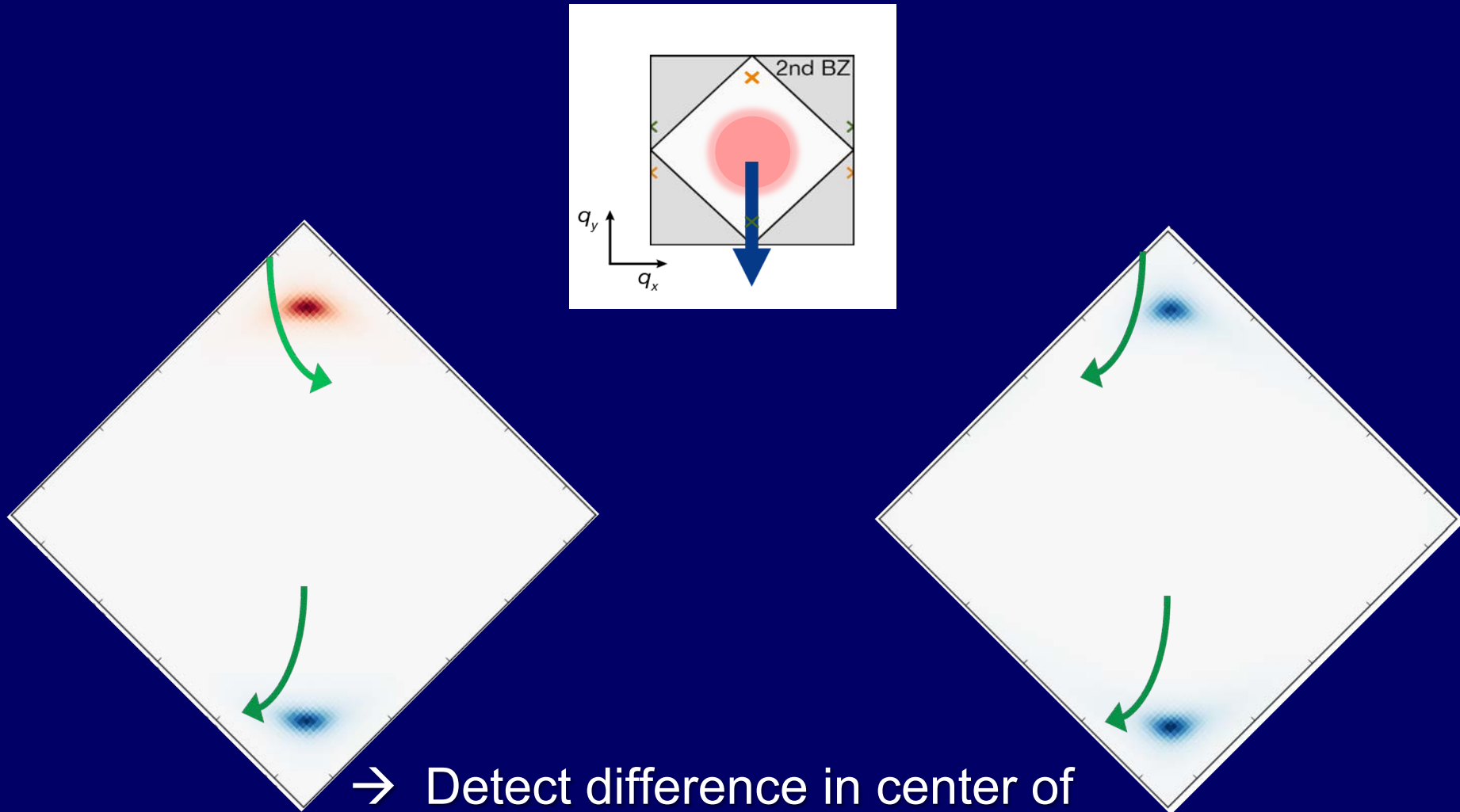
Chern number -1

Berry Curvature - Measurement



See also: M. Aidelsburger et al., Nature Physics 11, 162 (2015)

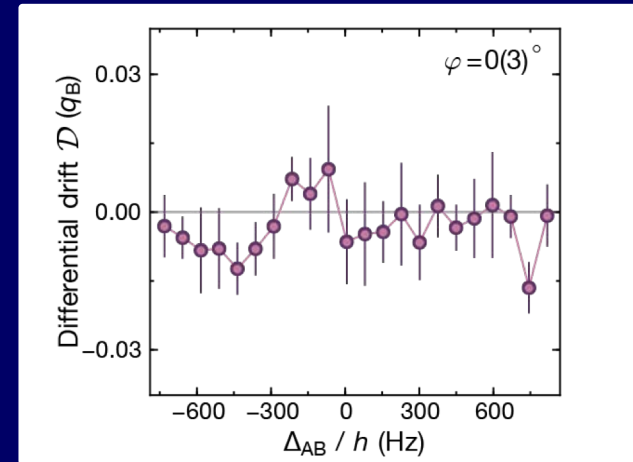
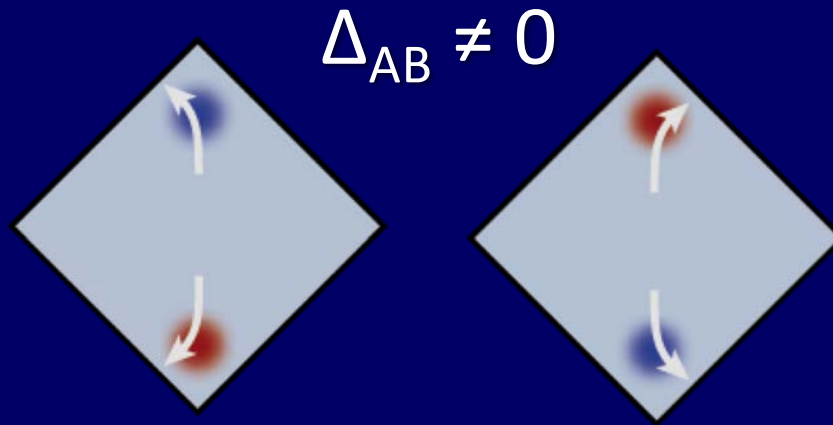
Berry Curvature - Measurement



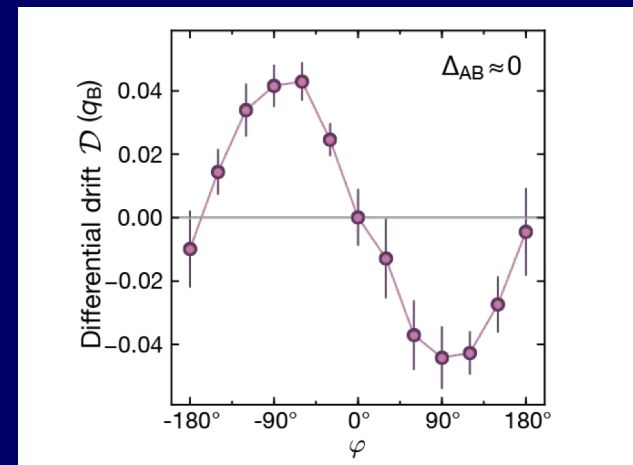
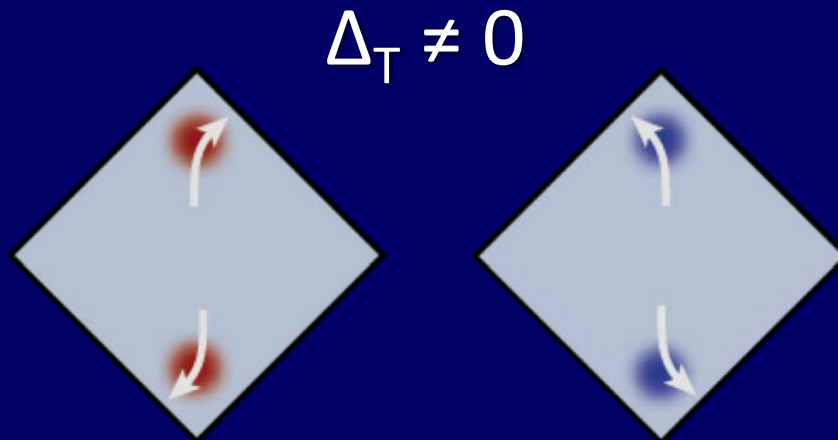
→ Detect difference in center of mass position after full Bloch cycle

Topological features of the system

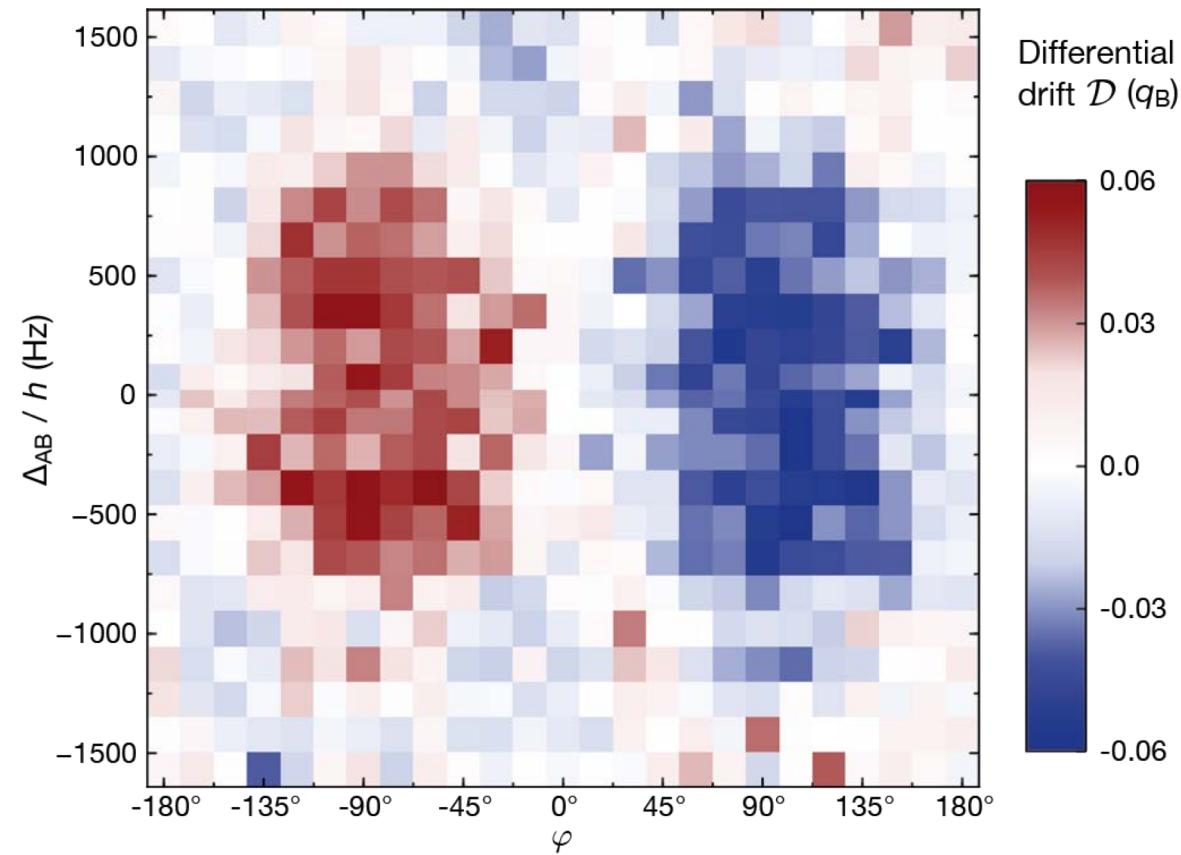
topologically trivial



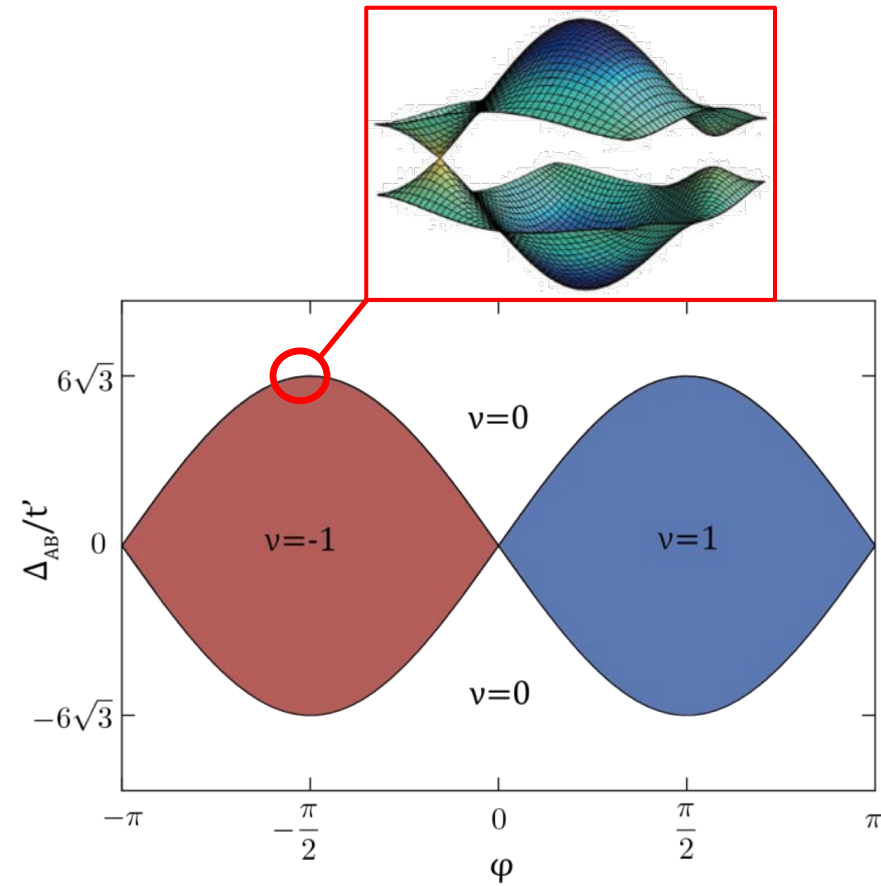
nonzero Chern number



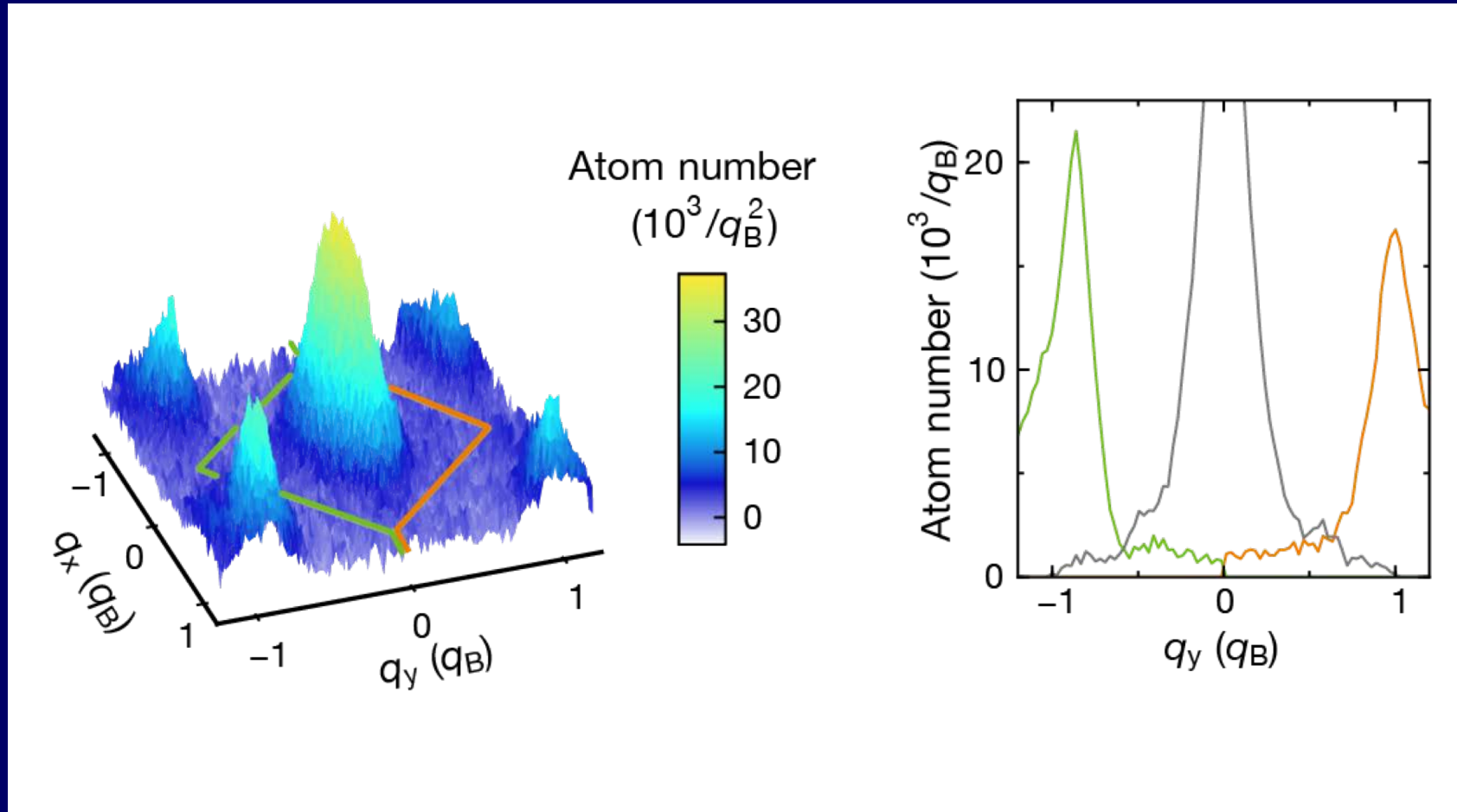
Observing Transverse Drifts



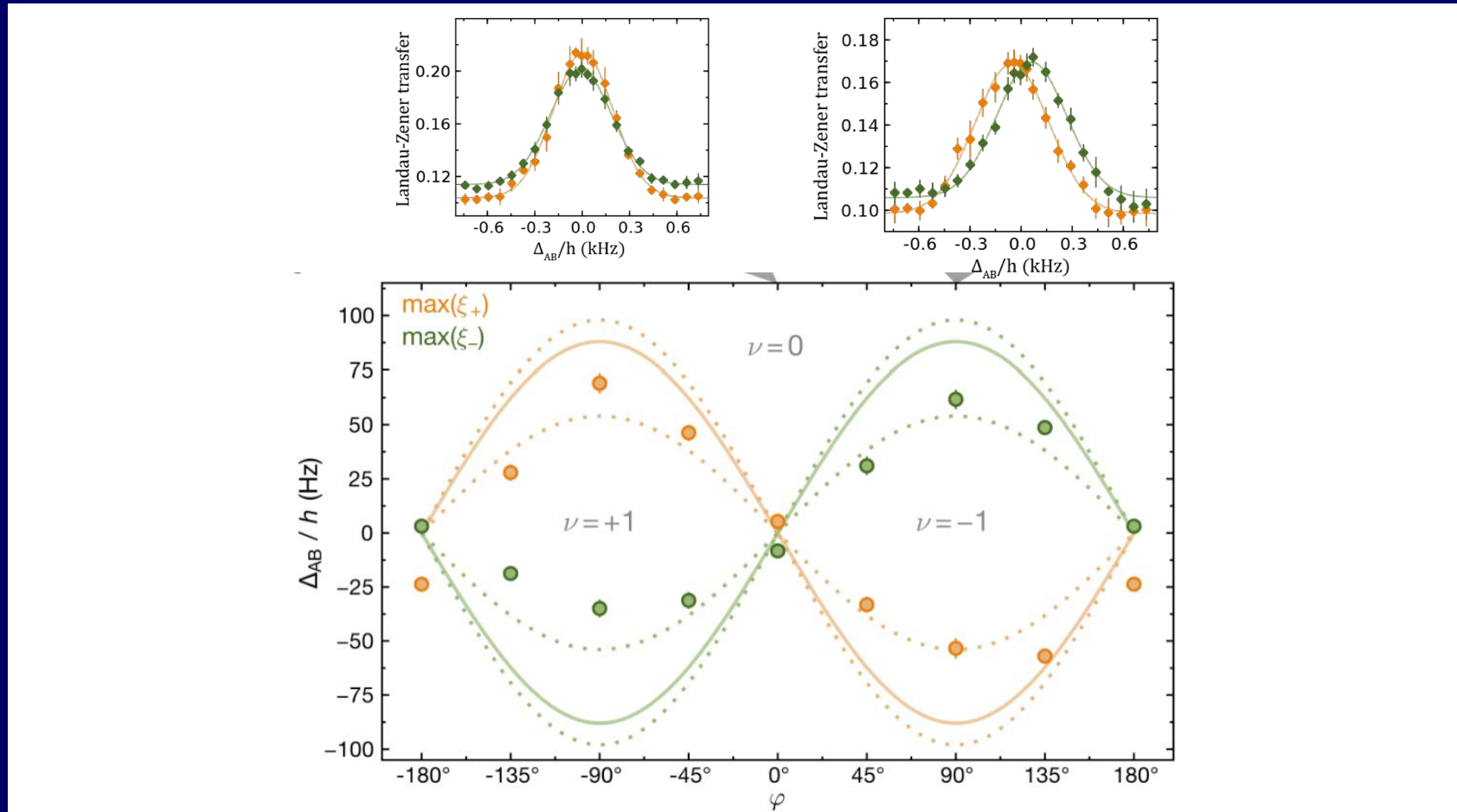
Mapping out the transition line



Mapping out the transition line

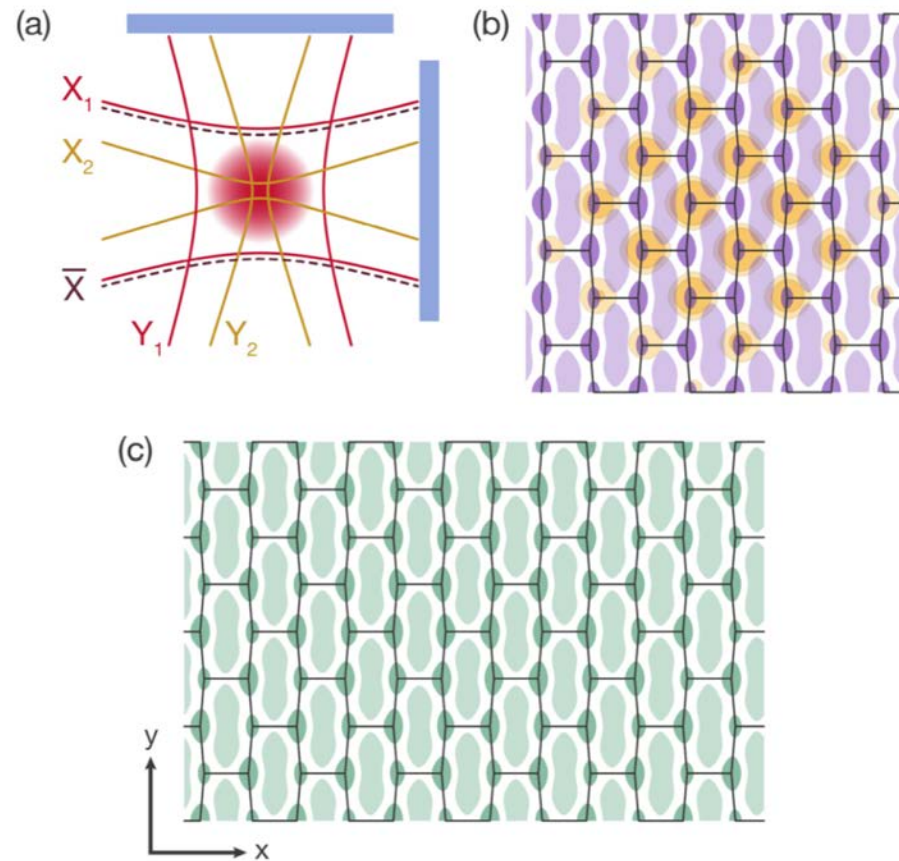


Mapping out the transition line

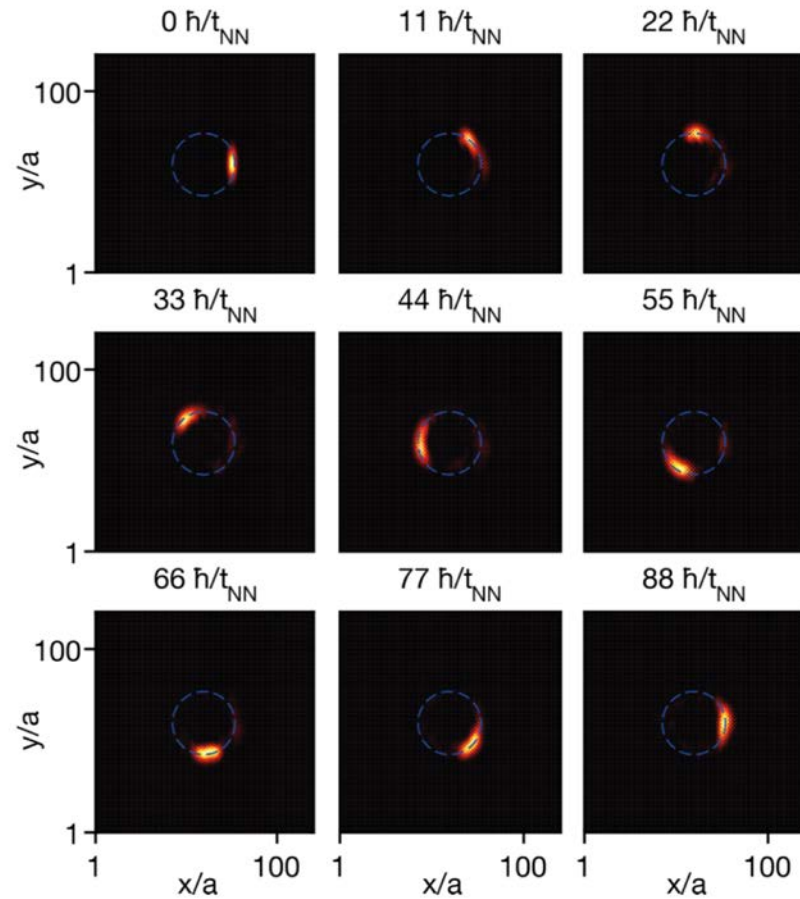


Edge states

Edge states



Edge states



Thanks!

Funding: ETH, SNF, NCCR QSIT, EU SIQS, TherMiQ, QUIC, ERCadv TransQ



Quantum Gases in Optical Lattices

Konrad Viebahn
Kilian Sandholzer,
Joaquín Minguzzi
Anne-Sophie Walter
Zijie Zhu
(Frederic Görg)
(Michael Messer)

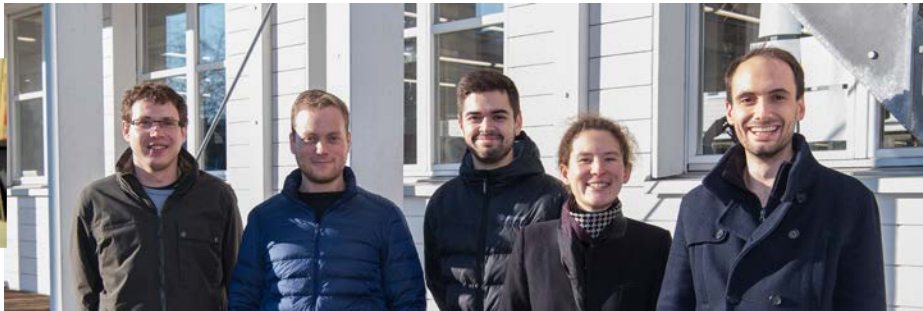
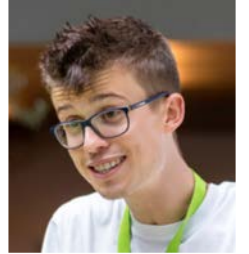


Electronics: Alexander Frank
Administration: Stefanie Ackermann



Impact experiment

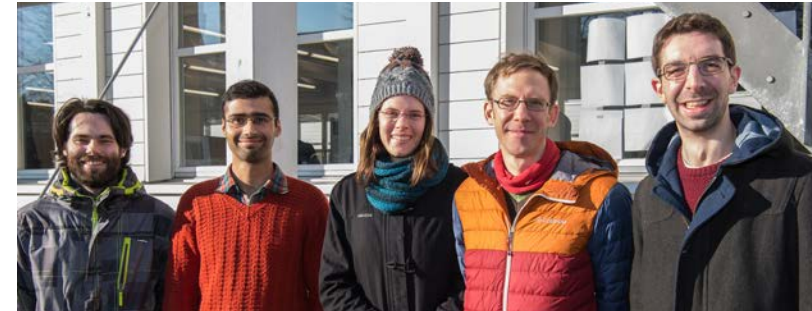
Tobias Donner
Xiangliang Li
Davide Dreon
Alexander Baumgärtner
Simon Hertlein
(Andrea Morales)
(Philip Zupancic)
(Julian Leonard, now Harvard)



Lithium Transport

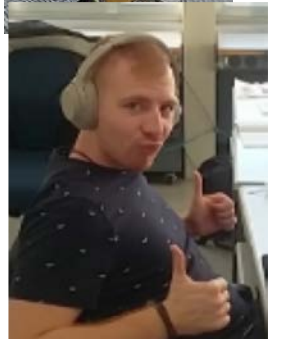
Samuel Häusler
Philipp Fabritius
Jeffrey Mohan
Mohsen Talebi
Simon Wili
(Laura Corman)
(Martin Lebrat)
(Dominik Husmann)

+ Jean-Philippe Brantut
Thierry Giamarchi
Pjotr Grisins

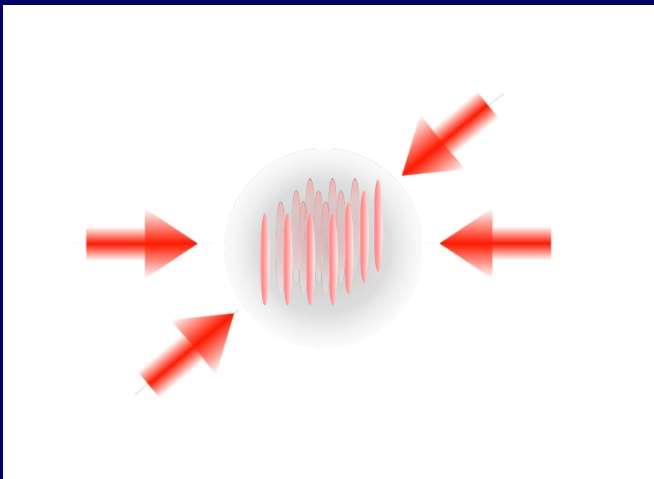


BEC and Cavity

Tobias Donner
Francesco Ferri
Rodrigo Rosa-Medina
Fabian Finger
(Nishant Dogra, now Cambridge)
(Katrin Kröger)
(Manuele Landini, now Innsbruck)
(Lorenz Hruby)

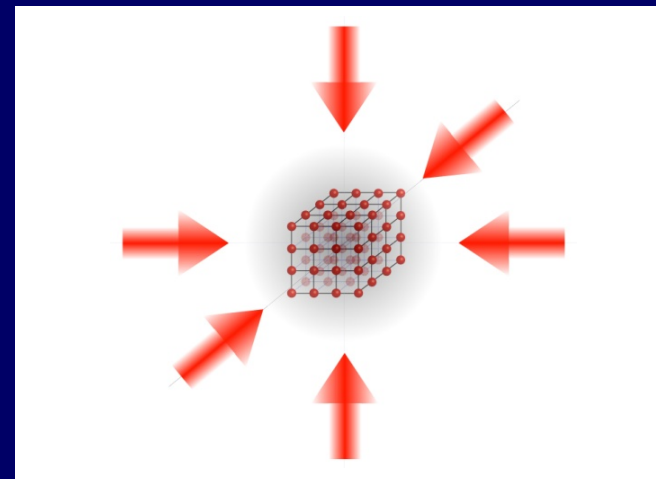


Floquet-engineering in Hubbard models

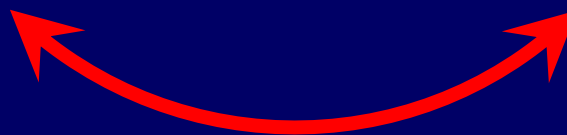


driven

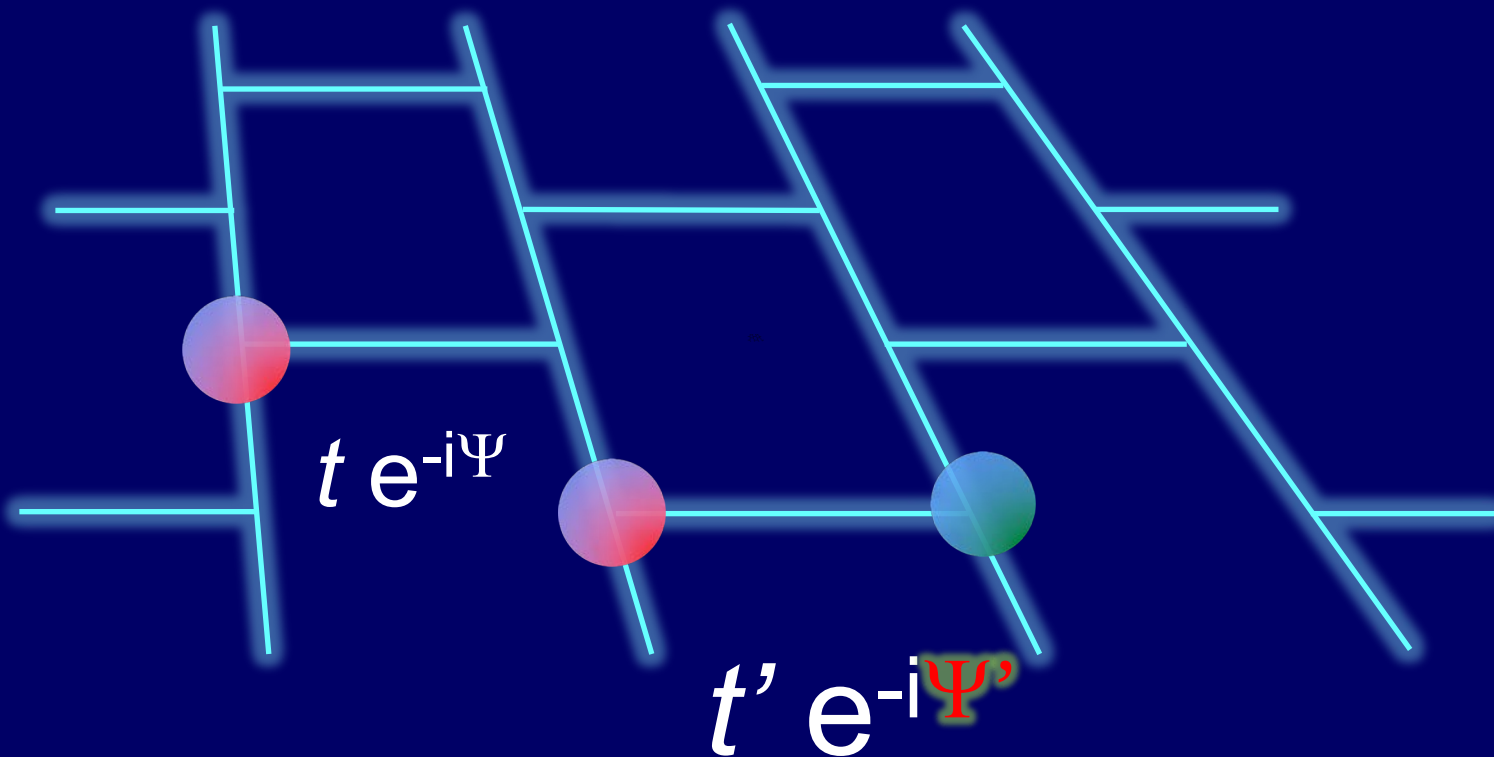
...
Harper-Hofstadter
Haldane model
...



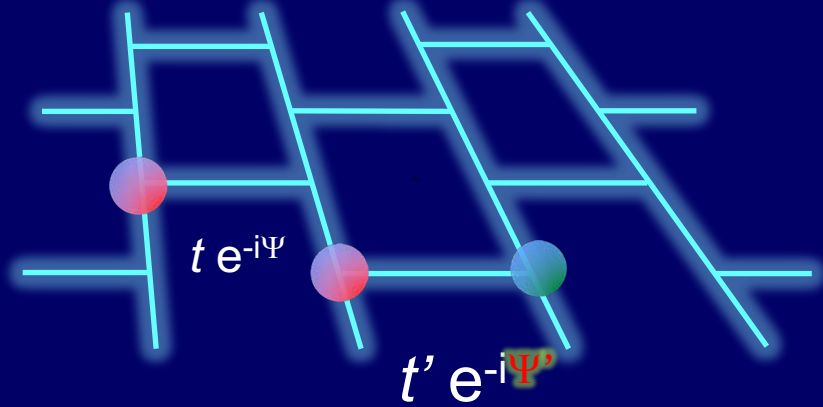
...
Mott-Insulator
Quantum magnetism
...



Density-dependent tunneling with non-trivial Peierls phases



Density-dependent tunneling with non-trivial Peierls phases

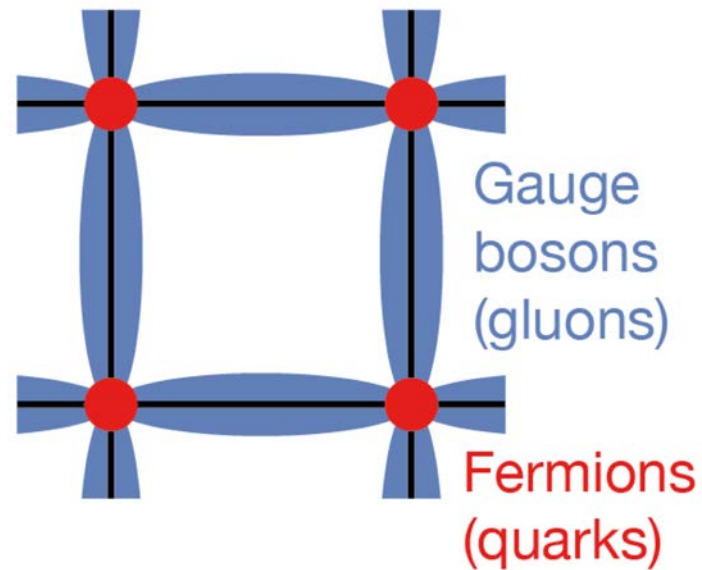


$$\hat{H}_{\text{eff}}^{(l)} = - \sum_{\langle \mathbf{i}, \mathbf{j} \rangle, \sigma} \left(\underset{\uparrow}{\hat{t}_{\langle \mathbf{i}, \mathbf{j} \rangle, \bar{\sigma}}^{(l)}} e^{i \underset{\uparrow}{\hat{\mathcal{A}}_{\langle \mathbf{i}, \mathbf{j} \rangle, \bar{\sigma}}^{(l)}}} \hat{c}_{\mathbf{j}\sigma}^{\dagger} \hat{c}_{\mathbf{i}\sigma} + \text{h.c.} \right)$$

Operators

Coupling between gauge fields and matter

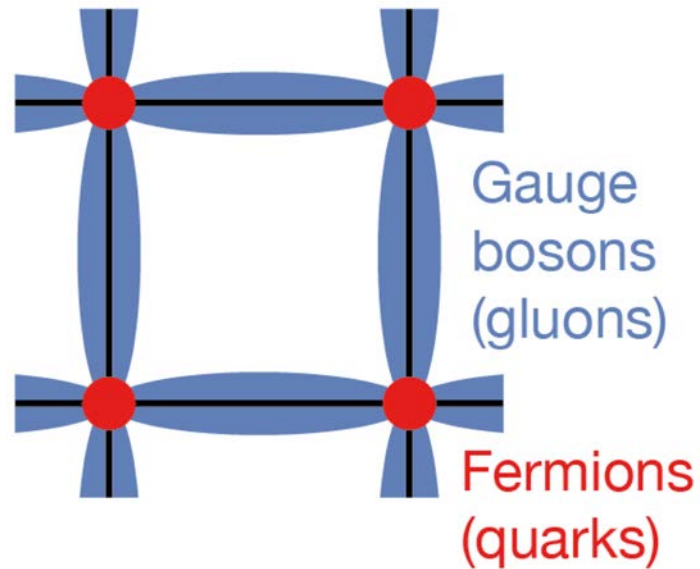
Lattice gauge theories



Kogut, RMP **51**, 659 (1979)

Coupling between gauge fields and matter

Lattice gauge theories



Quantum simulation:

U. J. Wiese, Annalen der Physik 525, 777 (2013).

E. Zohar, J. I. Cirac, and B. Reznik, Reports on Progress in Physics 79, 014401 (2015).

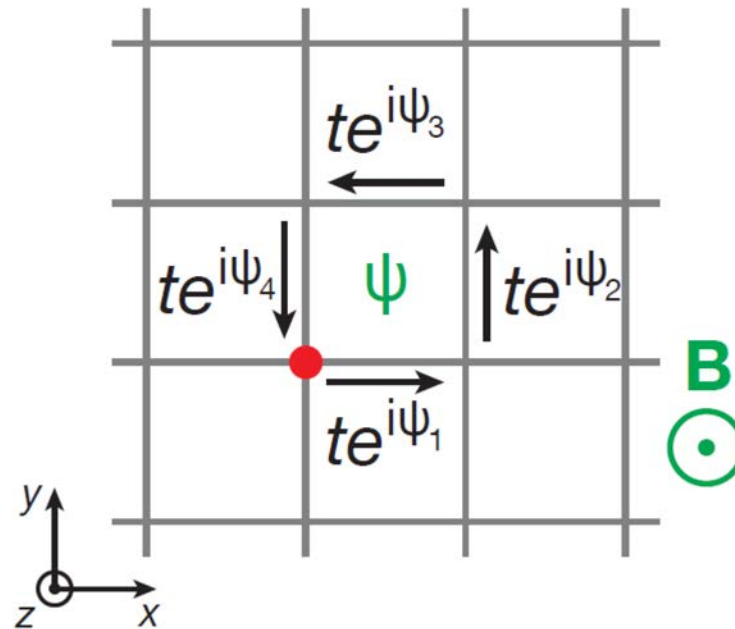
M. Dalmonte and S. Montangero, Contemporary Physics 57, 388 (2016).

E. A. Martinez, C. A. Muschik, P. Schindler, D. Nigg, A. Erhard, M. Heyl, P. Hauke, M. Dalmonte, T. Monz, P. Zoller, and R. Blatt, Nature 534, 516 (2016).

L. Barbiero, C. Schweizer, M. Aidelsburger, E. Demler, N. Goldman, and F. Grusdt, arXiv:1810.02777, Science advances 5 (10), eaav7444

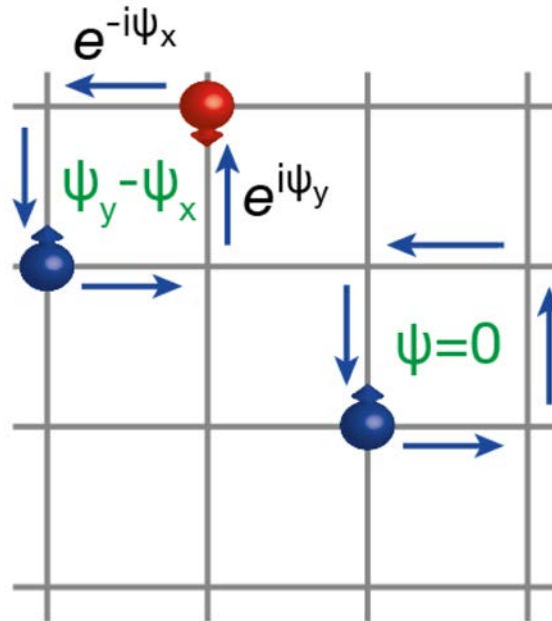
Classical (static) gauge field **A**

$$\psi = \psi_{\text{ext}}$$



Quantized (dynamical) gauge field $\hat{\mathbf{A}}$

$$\psi = \psi(\hat{n}_i)$$



Density-dependent tunneling and Peierls phases

F. Görg, K. Sandholzer, J. Minguzzi, R. Desbuquois, M. Michael, T. Esslinger, Nature Physics 15, 1161 (2019).

C. Schweizer, F. Grusdt, M. Berngruber, L. Barbiero, E. Demler, N. Goldman, I. Bloch, M. Aidelsburger, Nature Phys. **15**, 1168 (2019).

B. Yang, Hui Sun, R. Ott, H.-Y. Wang, T. V. Zache, J. C. Halimeh, Zhen-Sheng Yuan, P. Hauke, J.-W. Pan, Nature 587, 392 (2020).

Dynamical gauge field (mean field BEC): L.W. Clark, B.M. Anderson, L. Feng, A. Gaj, K. Levin, and C. Chin PRL **121**, 030402 (2018).

Tunnel Engineering



Thanks to scientific calculations costly delays were avoided.
(Photo: ETH Zurich)

Tunnel Engineering

Proposals: Keilmann et. al., Nat. Comm. **2**, 361 (2011), Greschner et. al., PRL **113**, 215303 (2014), Bermudez et. al., NJP **17**, 103021 (2015), Sträter et. al., PRL **117**, 205303 (2016),

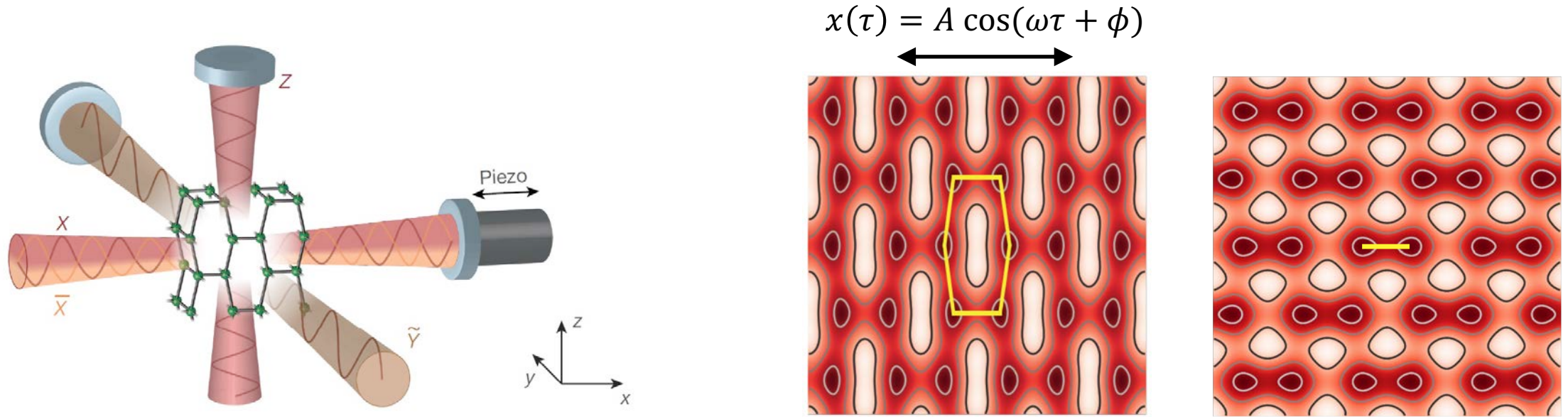
L. Barbiero, C. Schweizer, M. Aidelsburger, E. Demler, N. Goldman, and F. Grusdt, arXiv:1810.02777

Experiment broken TR drive: J. Struck, C. Ölschläger, M. Weinberg, P. Hauke, J. Simonet, A. Eckardt, M. Lewenstein, K. Sengstock, and P. Windpassinger, Phys. Rev. Lett. 108, 225304 (2012).

Experiment Munich: Christian Schweizer, Fabian Grusdt, Moritz Berngruber, Luca Barbiero, Eugene Demler, Nathan Goldman, Immanuel Bloch, Monika Aidelsburger, Nature Physics **15**, 1168 (2019).

+ more

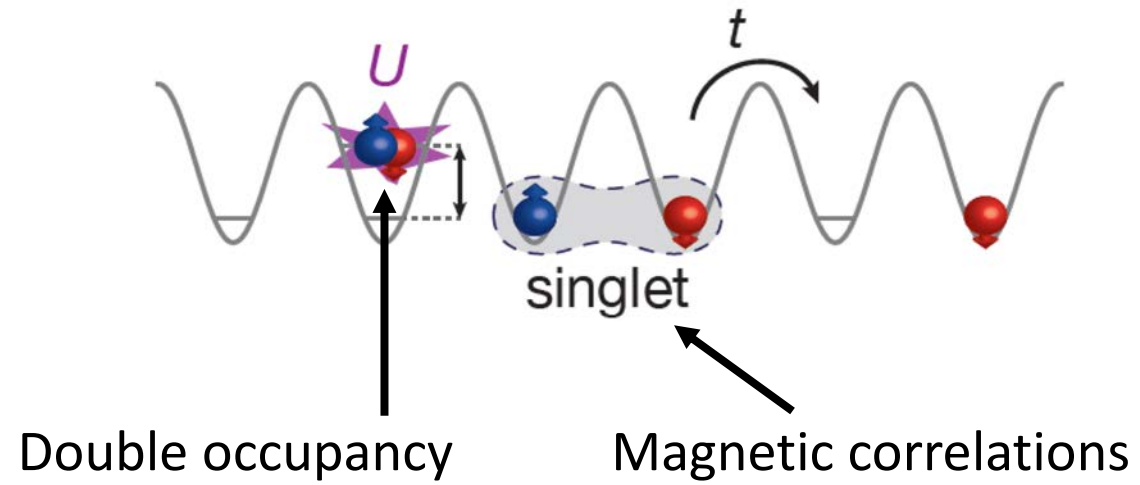
Driven Fermi-Hubbard model



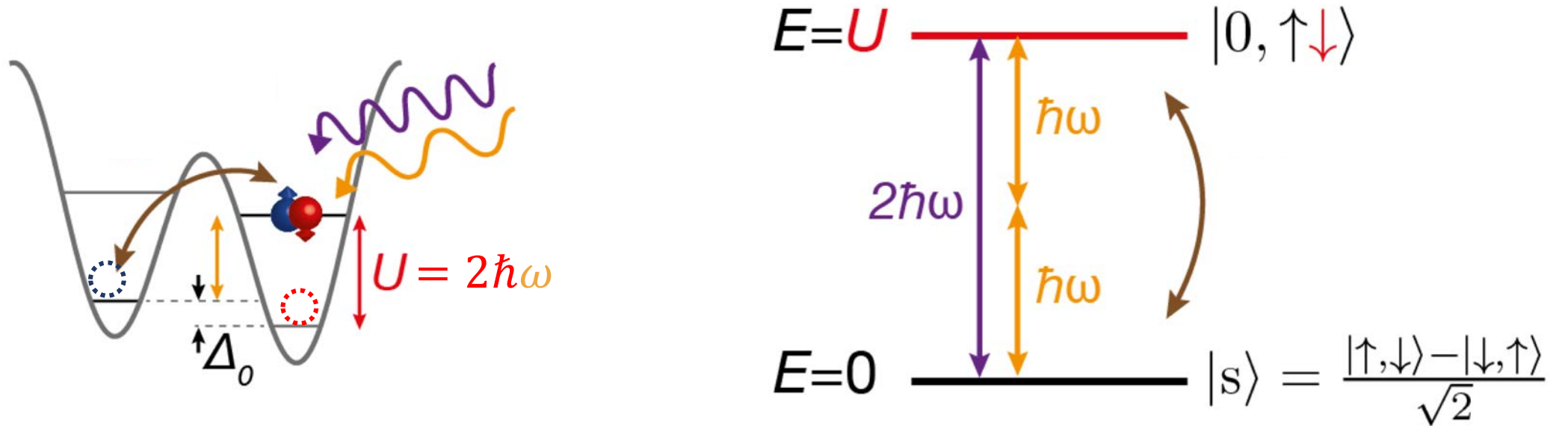
$$H = - \sum_{\langle \mathbf{i}, \mathbf{j} \rangle, \sigma} t_{ij} c_{\mathbf{i}\sigma}^\dagger c_{\mathbf{j}\sigma} + U \sum_{\mathbf{i}} \hat{n}_{\mathbf{i}\uparrow} \hat{n}_{\mathbf{i}\downarrow} + F(\tau) \sum_{\mathbf{i}, \sigma} i_x \hat{n}_{\mathbf{i}}$$

$$F(\tau) = \hbar\omega K_0 \cos(\omega\tau + \phi)$$

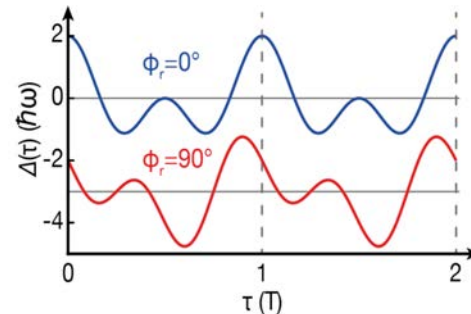
Observables



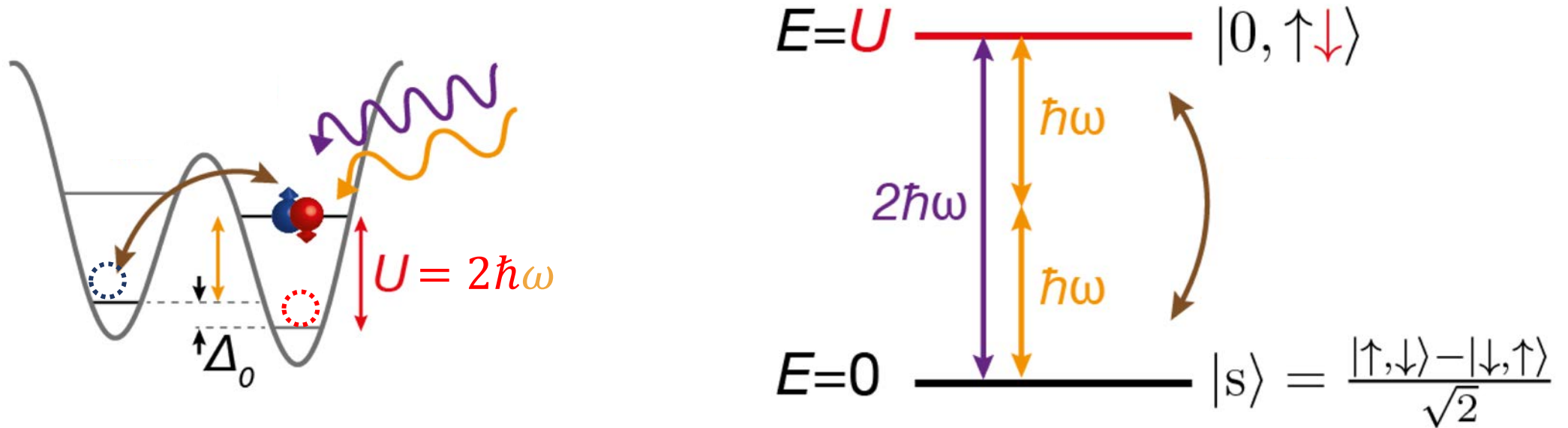
Two-frequency driving: non-trivial Peierls phases



$$\Delta(\tau) = \hbar\omega K_1 \cos(\omega\tau) + 2\hbar\omega K_2 \cos(2\omega\tau + \phi_r)$$

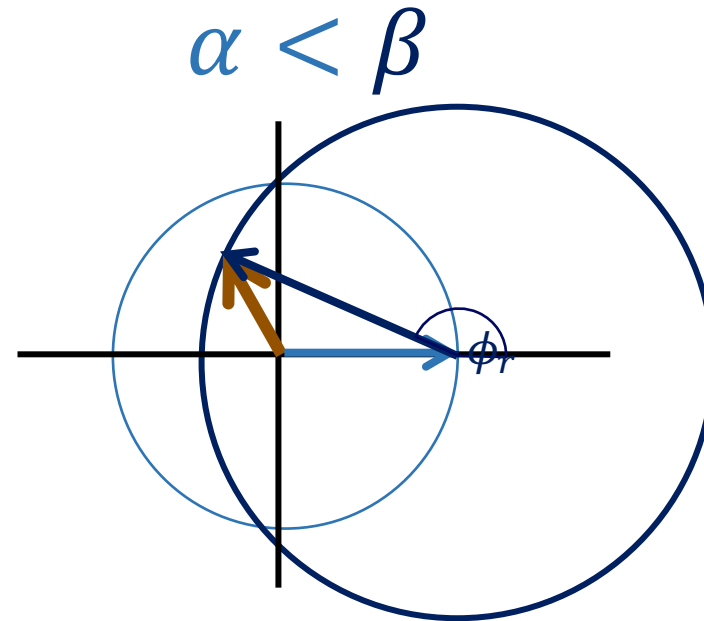
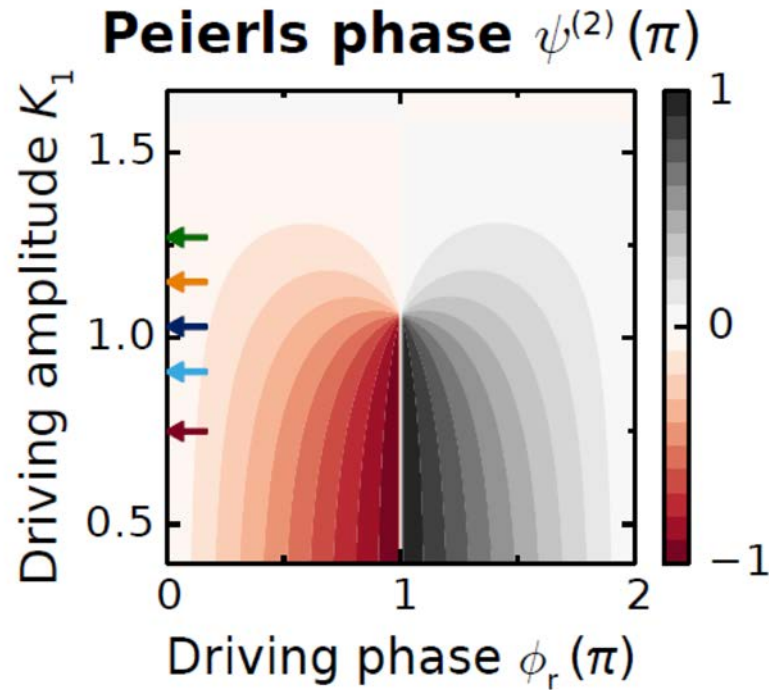


Two-frequency driving: non-trivial Peierls phases



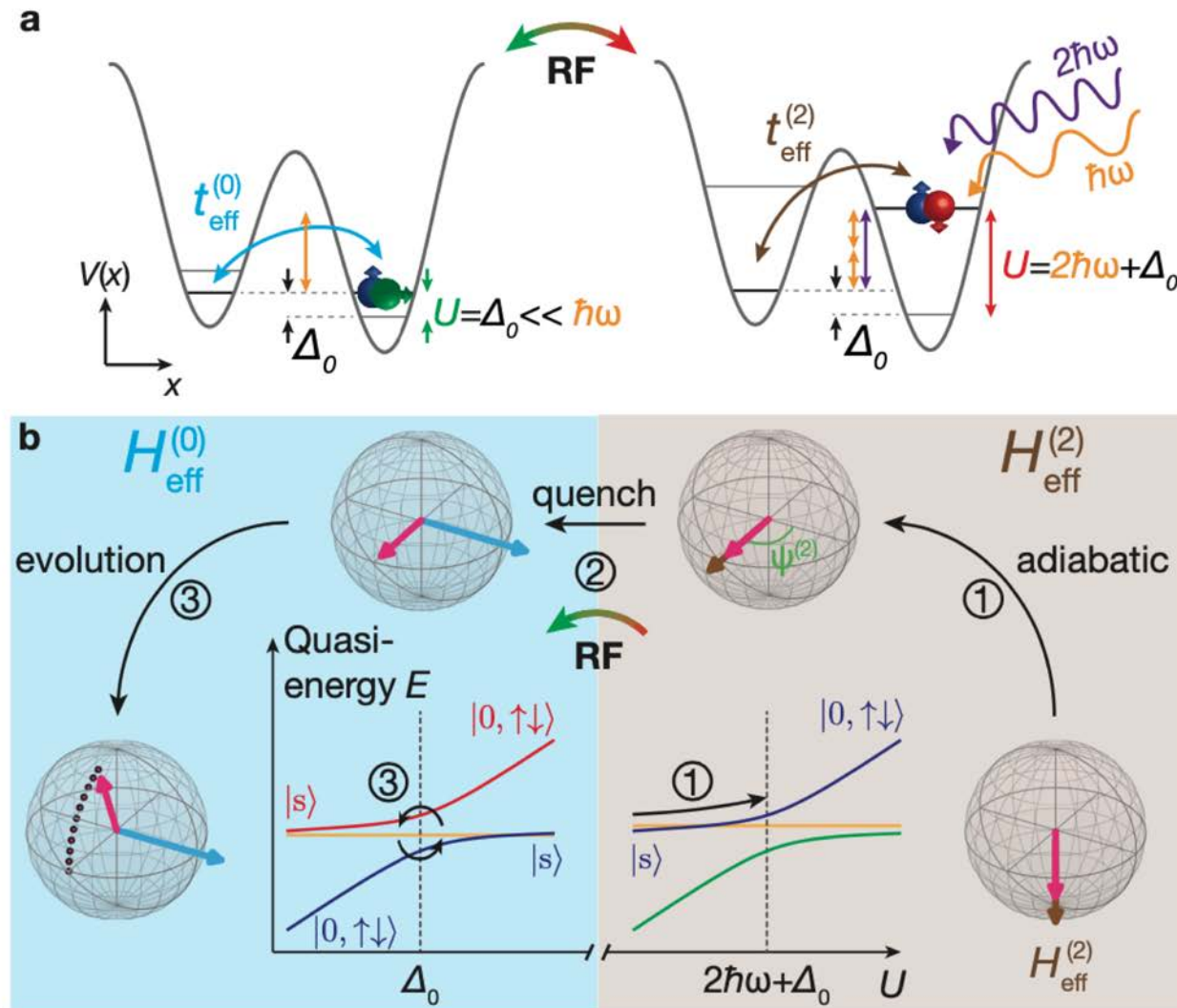
$$t_{eff}^{(2)} = t(\alpha^{(2)} + \beta^{(2)} e^{-i\phi_r})$$

The Nature of the Peierls phase $\psi^{(2)}$

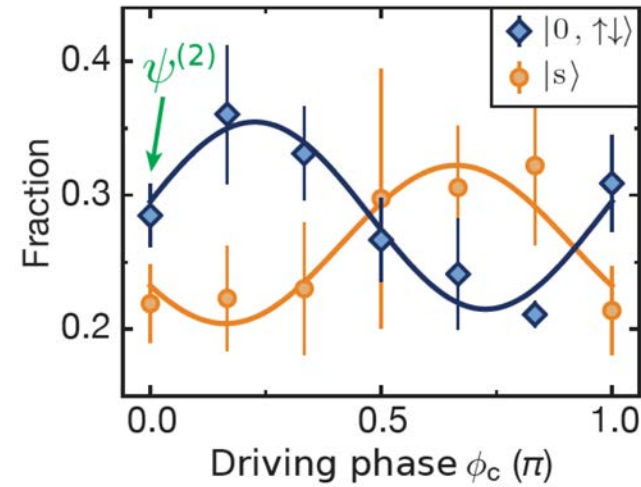
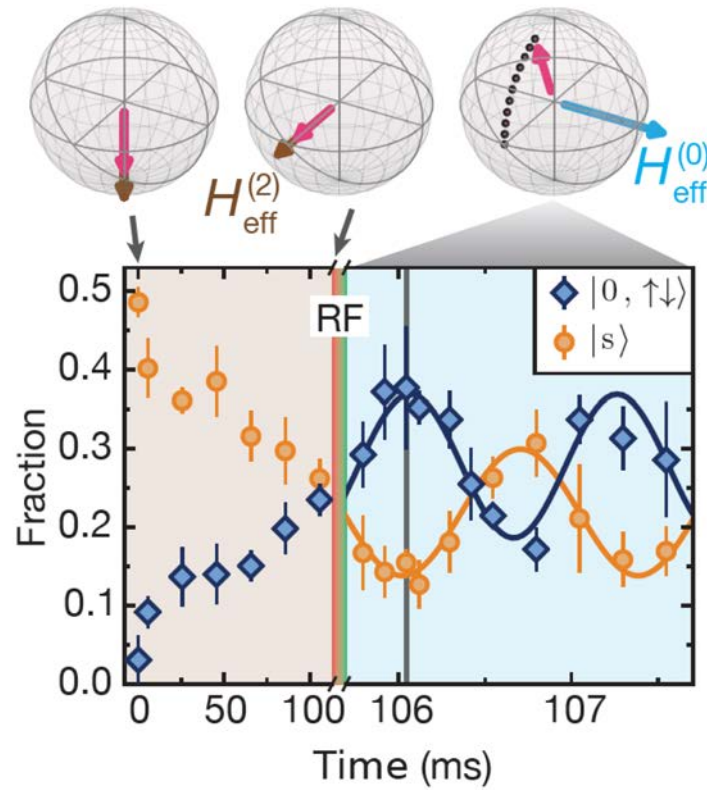


$$t_{eff}^{(2)} = t(\alpha^{(2)} + \beta^{(2)} e^{-i\phi_r})$$

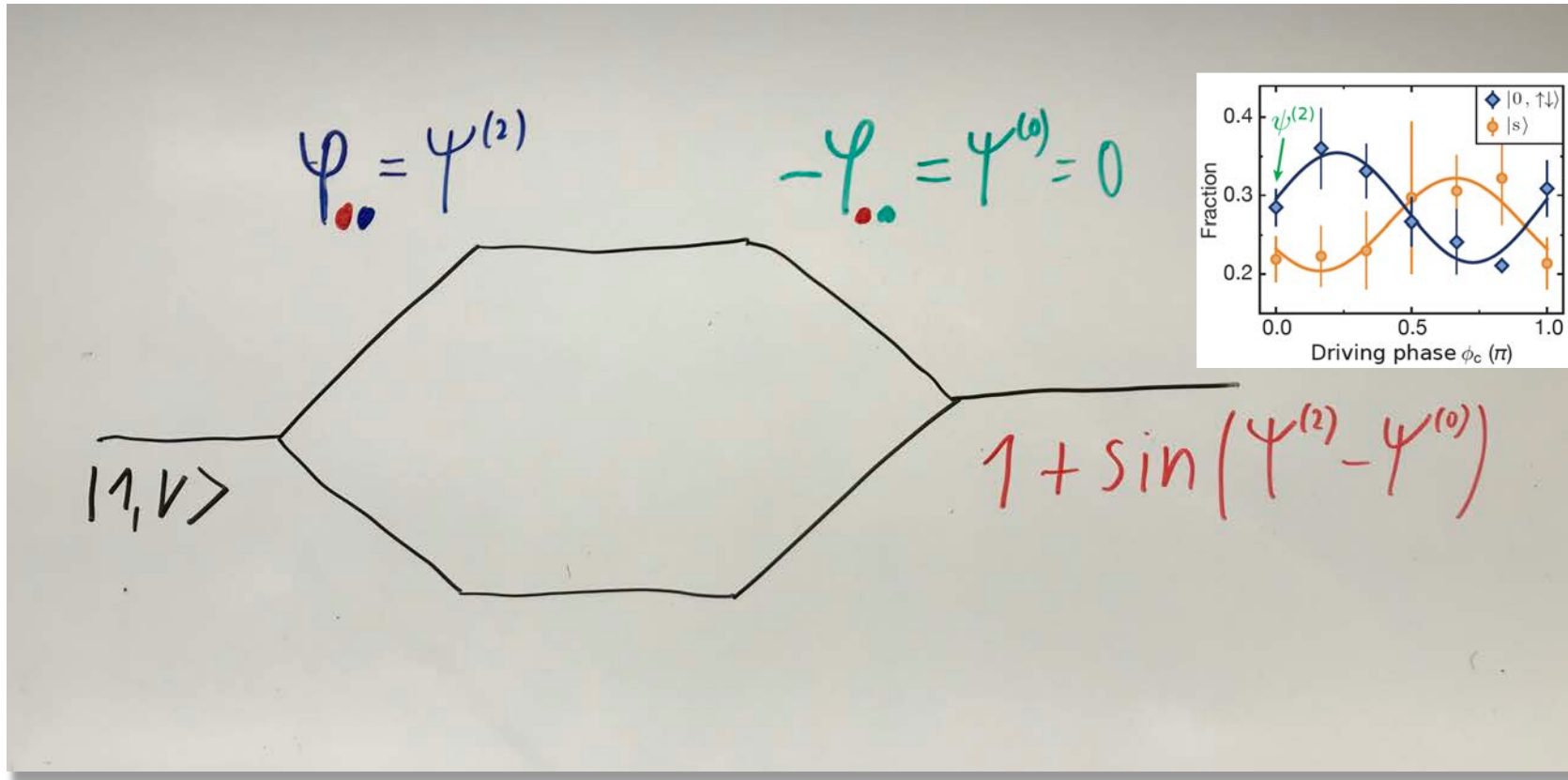
Measuring the Peierls phase $\psi^{(2)}$



Measuring the Peierls phase $\psi^{(2)}$

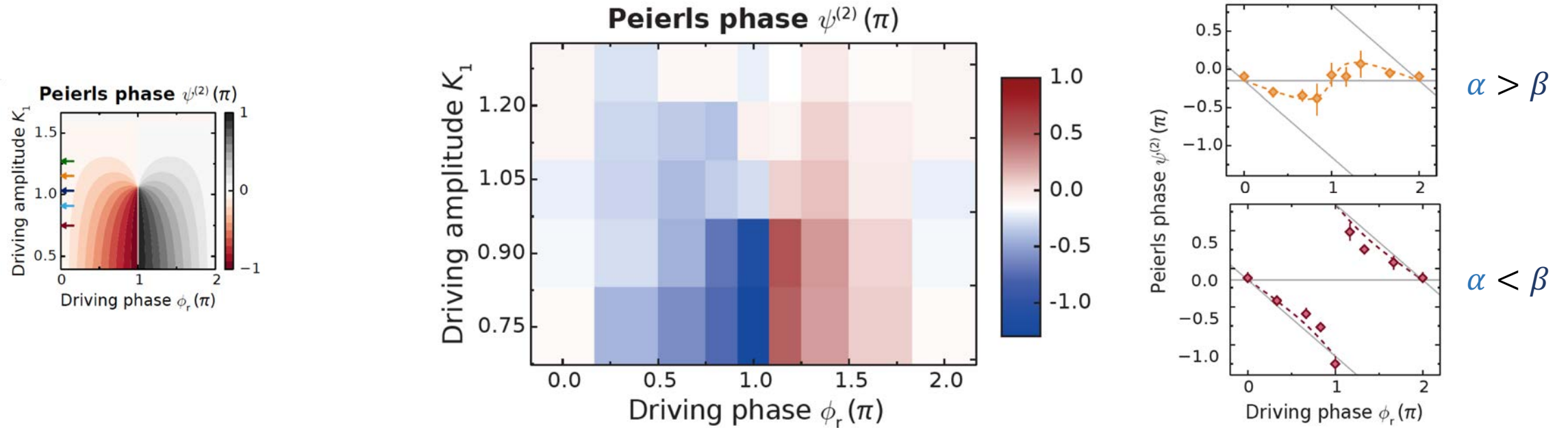


$$\mathcal{D}(\phi_c), \mathcal{S}(\phi_c) = \left[1 \pm \sin \left(\underbrace{-2\phi_c + \psi_r^{(2)}}_{\psi^{(2)} = -2\phi_c + \psi_r^{(2)}(K_1, K_2, \phi_r)} \right) \right] / 2$$



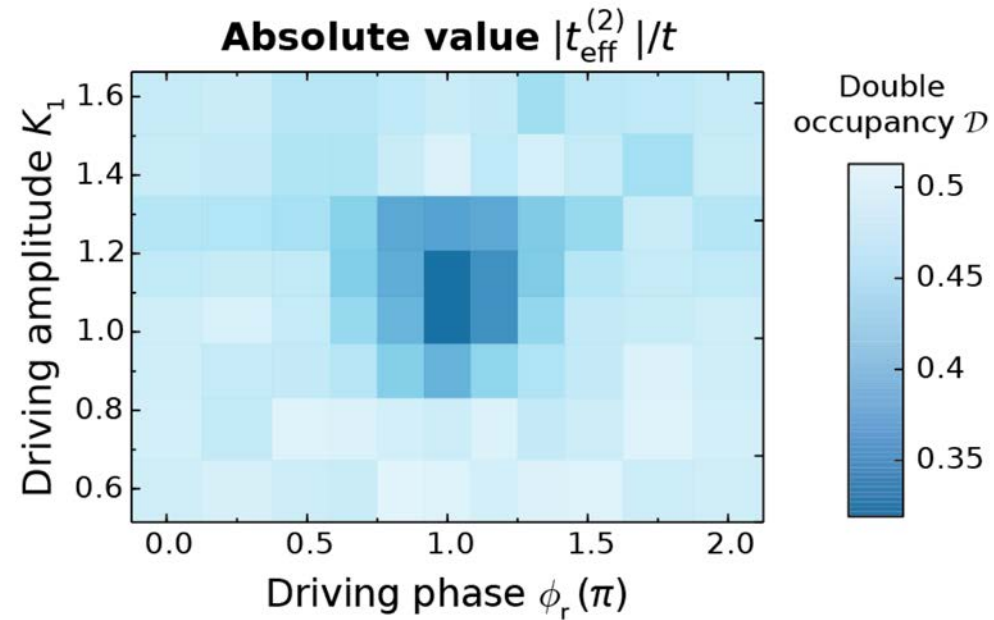
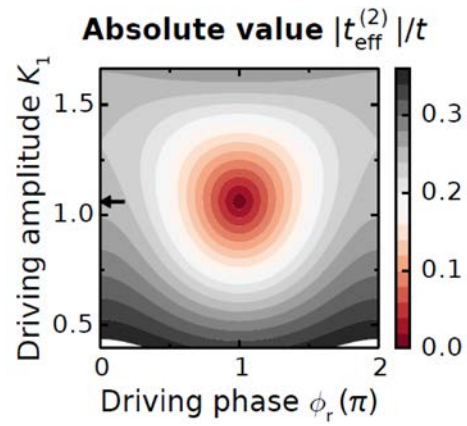
F. Görg, K. Sandholzer, J. Minguzzi, R. Desbuquois, M. Messer, and T. Esslinger, arXiv:1812.05895, Nature Physics **15**, 1161 (2019)

Measuring the Peierls phase $\psi^{(2)}$



$$t_{eff}^{(2)} = t(\alpha^{(2)} + \beta^{(2)} e^{-i\phi_r})$$

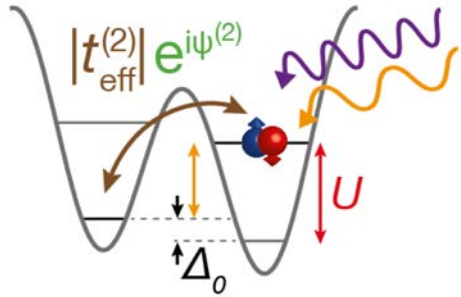
Gap closing at Dirac point



$$t_{\text{eff}}^{(2)} = t(\alpha^{(2)} + \beta^{(2)} e^{-i\phi_r})$$

Route towards quantum simulation of lattice gauge theories

Route towards quantum simulation of lattice gauge theories



Coupling mechanism

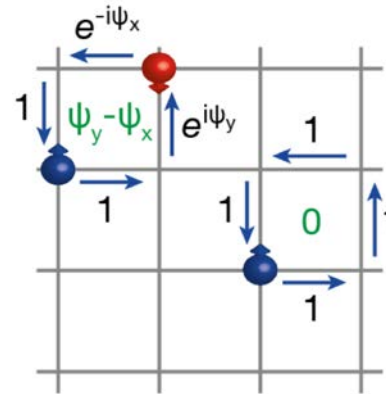
- density-dependent
- Peierls phases

L.W. Clerk ... Chin, PRL **121**, 030402 (2018)]

Görg et al., Nat. Phys. **2019**

Schweizer et al., Nat. Phys. (2019)

Theory: L. Barbiero, C. Schweizer, M. Aidelsburger,
E. Demler, N. Goldman, F. Grusdt,
Science advances **5** (10), eaav7444



Extended lattice

- shaking many-body systems
- theoretical understanding
- suitable observables

Zenesini et. al., PRL **102**, 100403 (2009)

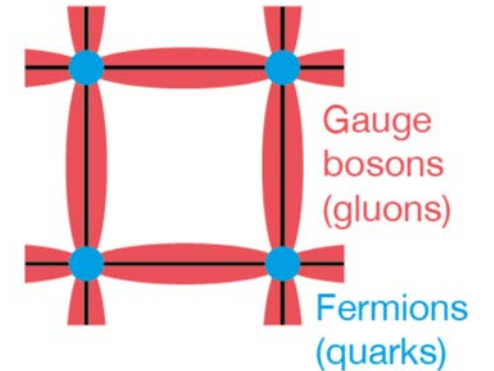
Parker et. al., Nat. Phys. **9**, 769-774 (2013)

...

e.g. Görg et al., Nature **553**, 481 (2018),

Messer et al., PRL **121**, 233603 (2018),

Sandholzer et al., arXiv:1811.12826 (2018)]



Lattice gauge theories

- Bose-Fermi mixtures
- Lorentz invariance
- Local gauge invariances

[see reviews: Zohar et al., Rep. Prog. Phys. **79**, 014401 (2016),

Wiese, Ann. Phys. **525**, 777–796 (2013)]

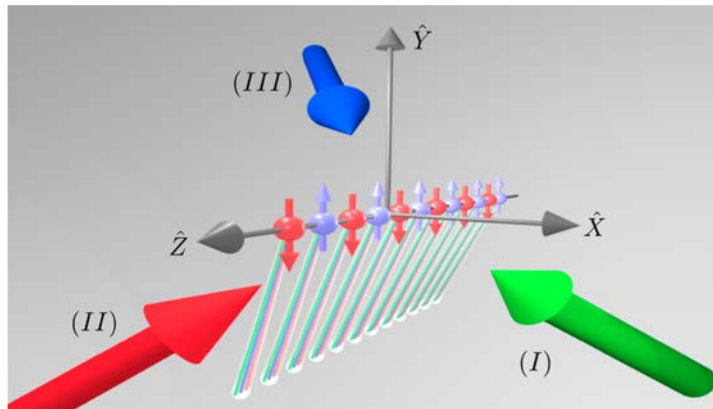
B. Yang, et al., Nature **587**, 392 (2020)

More routes towards quantum simulation of lattice gauge theories

Simulating Lattice Gauge Theories within Quantum Technologies

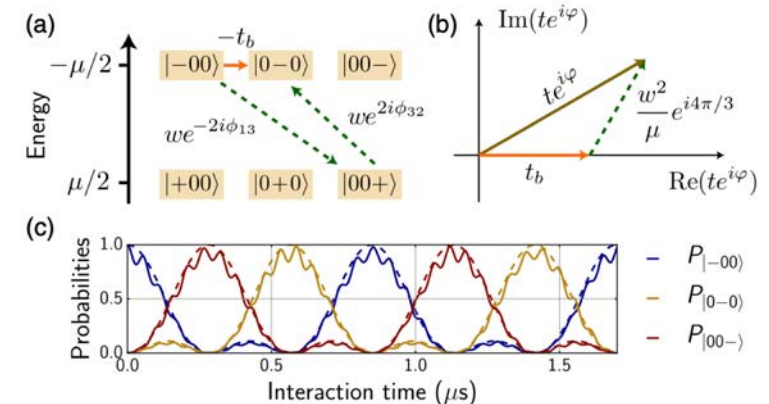
[M.C. Bañuls](#), [R. Blatt](#), [J. Catani](#), [A. Celi](#), [J.I. Cirac](#), [M. Dalmonte](#), [L. Fallani](#), [K. Jansen](#), [M. Lewenstein](#), [S. Montangero](#), [C.A. Muschik](#), [B. Reznik](#), [E. Rico](#), [L. Tagliacozzo](#), [K. Van Acoleyen](#), [F. Verstraete](#), [U.-J. Wiese](#), [M. Wingate](#), [J. Zakrzewski](#), [P. Zoller](#)
<https://arxiv.org/abs/1911.00003>

Ion Traps



Towards analog quantum simulations of lattice gauge theories with trapped ions
Zohreh Davoudi, Mohammad Hafezi, Christopher Monroe, Guido Pagano, Alireza Seif, and Andrew Shaw
Phys. Rev. Research **2**, 023015 – Published 8 April 2020

Rydberg atoms



Realization of a Density-Dependent Peierls Phase in a Synthetic, Spin-Orbit Coupled Rydberg System

V. Lienhard, P. Scholl, S. Weber, D. Barredo, S. de Léséleuc, R. Bai, N. Lang, M. Fleischhauer, H. P. Büchler, T. Lahaye, and A. Browaeys, PHYSICAL REVIEW X **10**, 021031 (2020)

Floquet engineering

1. N. Goldman and J. Dalibard, “Periodically Driven Quantum Systems: Effective Hamiltonians and Engineered Gauge Fields, Physical Review X 4, 31027 (2014).
2. Marin Bukov, Luca D’Alessio, and Anatoli Polkovnikov, “Universal high-frequency behavior of periodically driven systems: from dynamical stabilization to Floquet engineering,” Advances in Physics 64, 139–226 (2015).
3. Martin Holthaus, “Floquet engineering with quasienergy bands of periodically driven optical lattices,” Journal of Physics B: Atomic, Molecular and Optical Physics 49, 013001 (2016).
4. André Eckardt, “Colloquium: Atomic quantum gases in periodically driven optical lattices,” Reviews of Modern Physics 89, 11004 (2017).

Floquet engineering: heating, losses

1. Martin Reitter, Jakob Näger, Karen Wintersperger, Christoph Sträter, Immanuel Bloch, André Eckardt, and Ulrich Schneider, “Interaction Dependent Heating and Atom Loss in a Periodically Driven Optical Lattice,” *Physical Review Letters* 119, 200402 (2017).
2. K. Singh, C. J. Fujiwara, Z. A. Geiger, E. Q. Simmons, M. Lipatov, A. Cao, P. Dotti, S. V. Rajagopal, R. Senaratne, T. Shimasaki, M. Heyl, A. Eckardt, and D. M. Weld, “Quantifying and Controlling Prethermal Nonergodicity in Interacting Floquet Matter,” *Physical Review X* 9, 41021 (2019).
3. T. Boulier, J. Maslek, M. Bukov, C. Bracamontes, E. Magnan, S. Lellouch, E. Demler, N. Goldman, and J. V. Porto, “Parametric Heating in a 2D Periodically Driven Bosonic System: Beyond the Weakly Interacting Regime,” *Physical Review X* 9, 11047 (2019).
4. K. Wintersperger, M. Bukov, J. Näger, S. Lellouch, E. Demler, U. Schneider, I. Bloch, N. Goldman, and M. Aidelsburger, “Parametric Instabilities of Interacting Bosons in Periodically Driven 1D Optical Lattices,” *Physical Review X* 10, 11030 (2020).
5. Antonio Rubio-Abadal, Matteo Ippoliti, Simon Hollerith, David Wei, Jun Rui, S. L. Sondhi, Vedika Khemani, Christian Gross, and Immanuel Bloch, “Floquet prethermalization in a Bose-Hubbard system,” arXiv:2001.08226 [cond-mat, physics:quant-ph] (2020), arXiv: 2001.08226.
6. Tomotaka Kuwahara, Takashi Mori, and Keiji Saito, “Floquet–Magnus theory and generic transient dynamics in periodically driven many-body quantum systems,” *Annals of Physics* 367, 96–124 (2016).
7. R. Moessner and S. L. Sondhi, “Equilibration and order in quantum Floquet matter,” *Nature Physics* 13, 424– 428 (2017).
8. Gaoyong Sun and André Eckardt, “Optimal frequency window for Floquet engineering in optical lattices,” *Physical Review Research* 2, 013241 (2020).

Floquet engineering: heating, losses

Who is responsible?



Portrait de Charles Floquet
Wikipedia

<u>3 avril 1888 – 14 février 1889</u> (10 mois et 11 jours)	
Président	<u>Sadi Carnot</u>
Président du Conseil	<i>Lui-même</i>
Gouvernement	<u>Floquet</u>
Prédécesseur	<u>Ferdinand Sarrien</u>
Successeur	<u>Ernest Constans</u>
<u>Président</u> de la <u>Chambre des députés</u>	
<u>16 novembre 1889 – 10 janvier 1893</u> (3 ans, 1 mois et 25 jours)	
Législature	<u>Ve</u>
Prédécesseur	<u>Jules Méline</u>
Successeur	<u>Jean Casimir-Perier</u>
<u>8 avril 1885 – 3 avril 1888</u> (2 ans, 11 mois et 26 jours)	
Législature	<u>IVe</u>
Prédécesseur	<u>Henri Brisson</u>
Successeur	<u>Jules Méline</u>
<u>Président</u> du <u>Conseil de Paris</u>	
<u>1874 – 1875</u> (1 an)	
Prédécesseur	<u>Henri Thulié</u>
Successeur	<u>Pierre Marmottan</u>
Biographie	
Nom de naissance	Thomas Charles Floquet
Date de naissance	<u>2 octobre 1828</u>
Lieu de naissance	<u>Saint-Jean-Pied-de-Port</u> (<u>Pyrénées-Atlantiques</u>)
Date de décès	<u>19 janvier 1896</u> (à 67 ans)
Lieu de décès	<u>Paris</u>
Nationalité	<u>Française</u>
Parti politique	<u>Sans étiquette</u>

Achille Marie Gaston Floquet	
Born	15 December 1847 Épinal, France
Died	7 October 1920 (aged 72) Nancy, France
Education	<u>École Normale Supérieure</u>
Known for	<u>Floquet theory</u>
Scientific career	
Fields	<u>Mathematics</u>

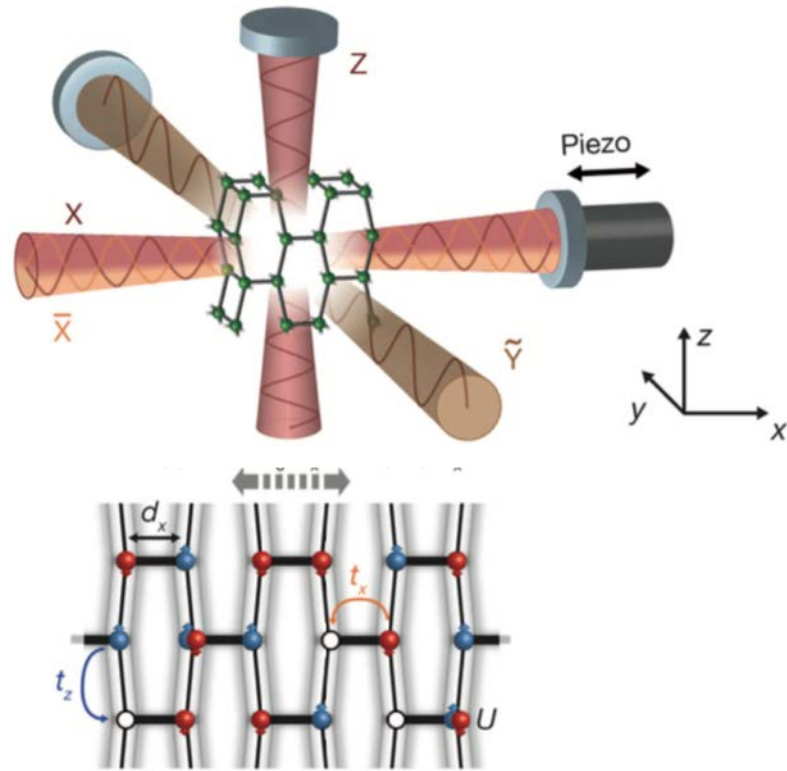
Floquet engineering

heating

losses

What is responsible?

Magnetic correlations in driven lattice



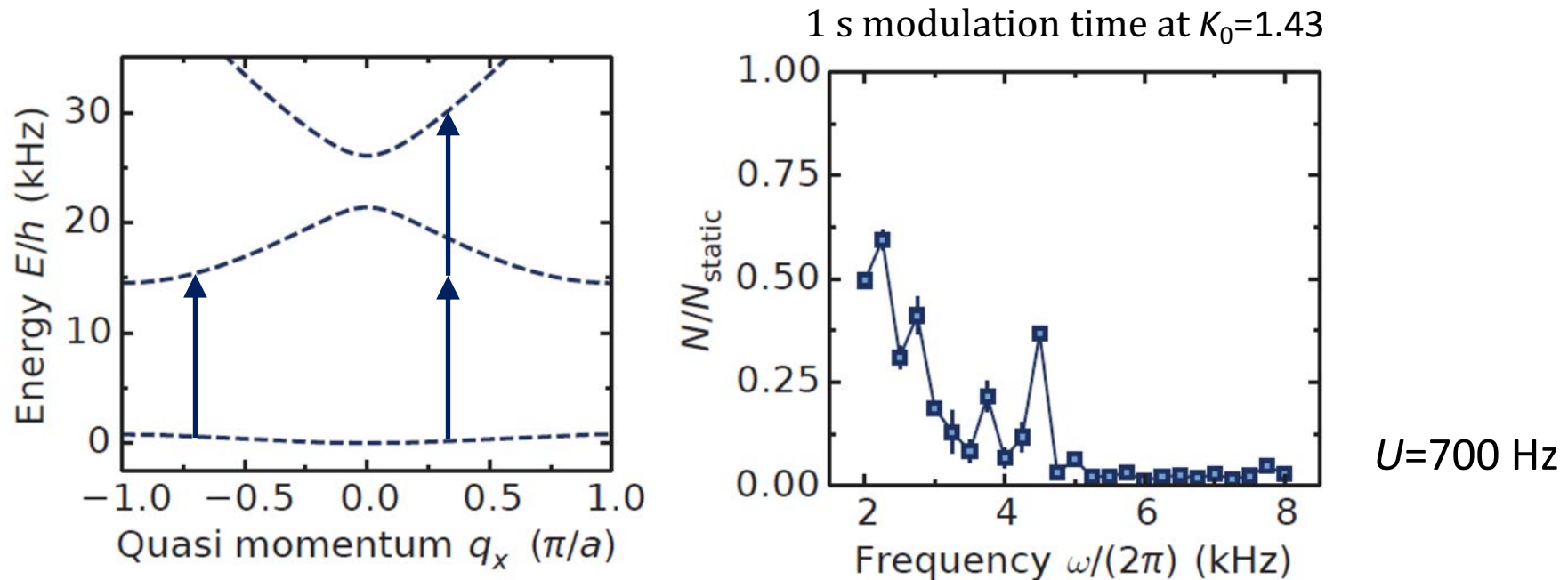
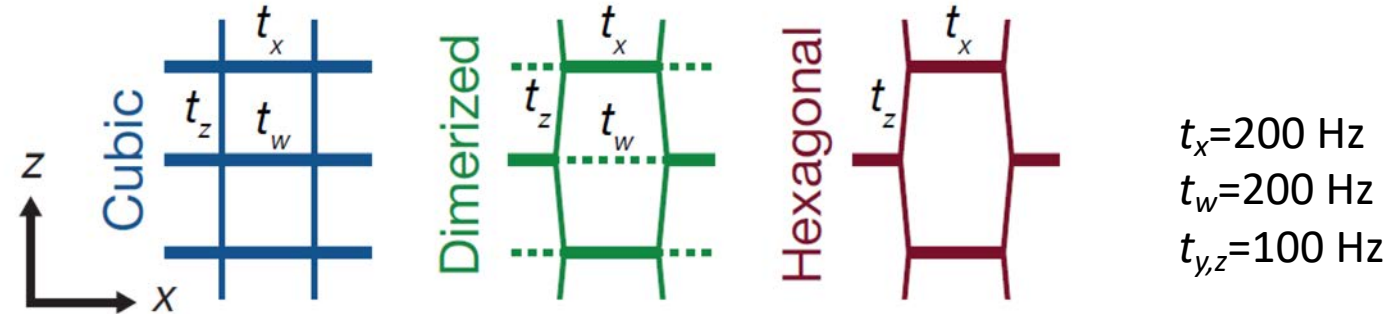
F. Görg, M. Messer, K. Sandholzer, G. Jotzu, R. Desbuquois, T.E., Nature 553, 481-485 (2018)

Also: J. Coulthard, S. R. Clark, S. Al-Assam, A. Cavalleri, D. Jaksch, Phys. Rev. B 96, 085104 (2017)

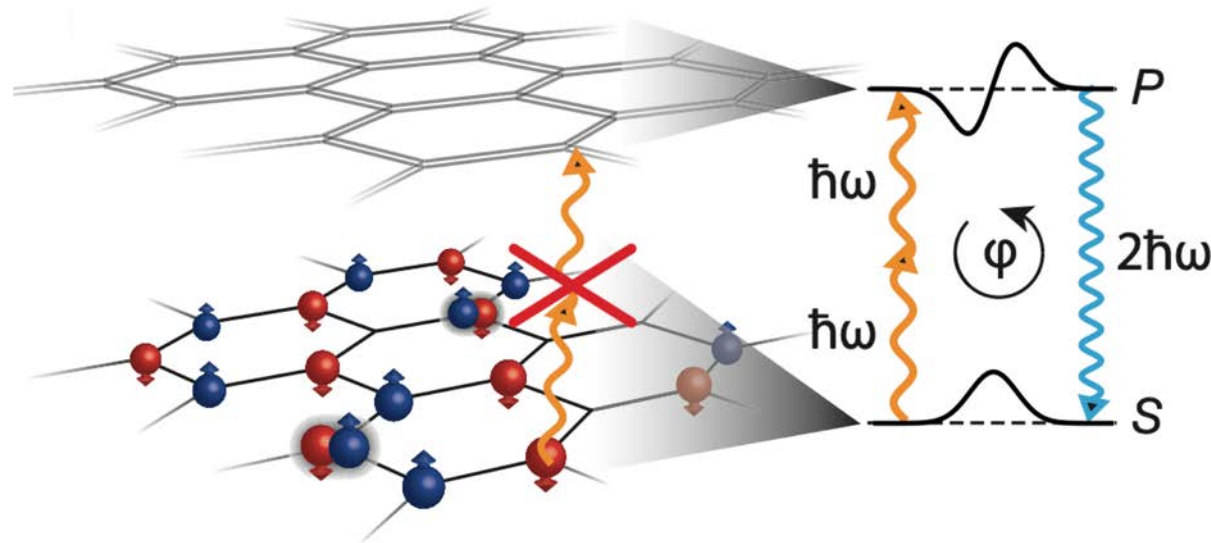
J.H. Mentink, K. Balzer, M. Eckstein, Nat. Commun. 10.1038/ncomms7708 (2015)

Bandstructure engineering to avoid atom loss in driven lattices

Lattice geometries



Two frequency drive: two path interference



K. Viebahn, J. Minguzzi, K. Sandholzer, Anne-Sophie Walter, F. Görg, T. Esslinger, Suppressing dissipation in a Floquet-Hubbard system, arXiv:2003.05937

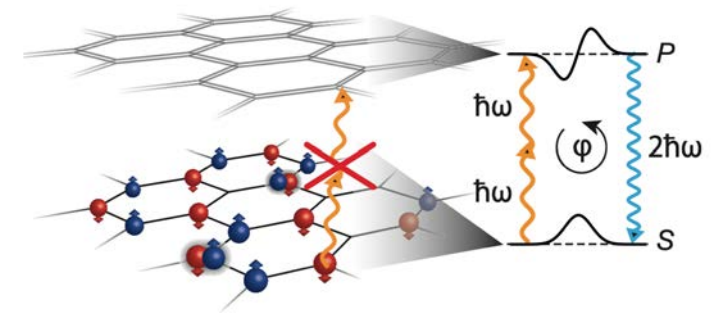
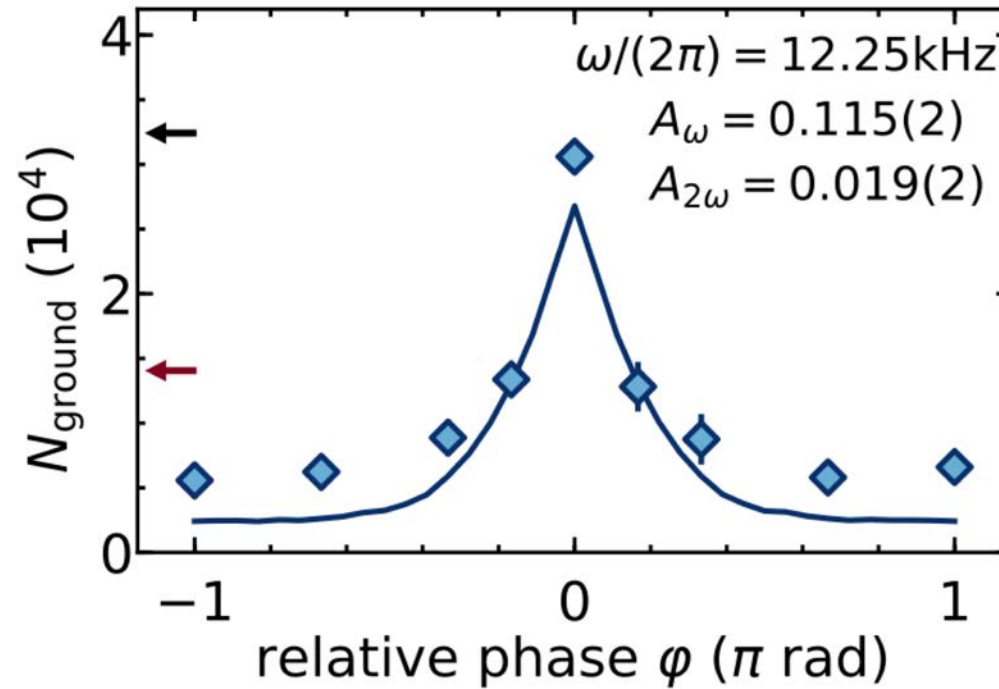
M. Schiavoni, L. Sanchez-Palencia, F. Renzoni, and G. Grynberg, "Phase Control of Directed Diffusion in a Symmetric Optical Lattice," *Physical Review Letters* 90, 94101 (2003).

C. Zhuang, C. R. Paul, X. Liu, S. Maneshi, L. S. Cruz, and A. M. Steinberg, "Coherent Control of Population Transfer between Vibrational States in an Optical Lattice via Two-Path Quantum Interference," *Physical Review Letters* 111, 233002 (2013).

L. Niu, D. Hu, S. Jin, X. Dong, X.-z. Chen, and X. Zhou, "Excitation of atoms in an optical lattice driven by polychromatic amplitude modulation," *Optics Express* 23, 10064 (2015).

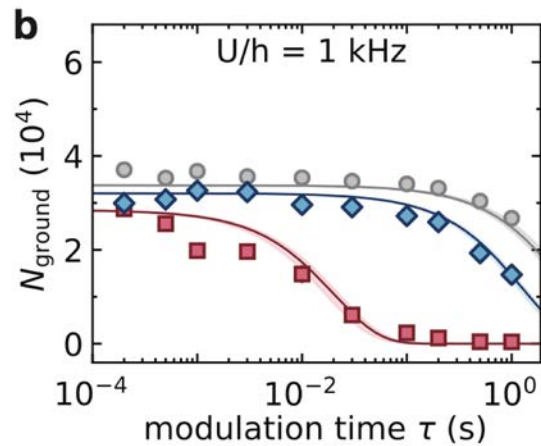
F. Görg, K. Sandholzer, J. Minguzzi, R. Desbuquois, M. Messer, and T. Esslinger, arXiv:1812.05895, *Nature Physics* 15, 1161 (2019)

Two frequency drive: two path interference

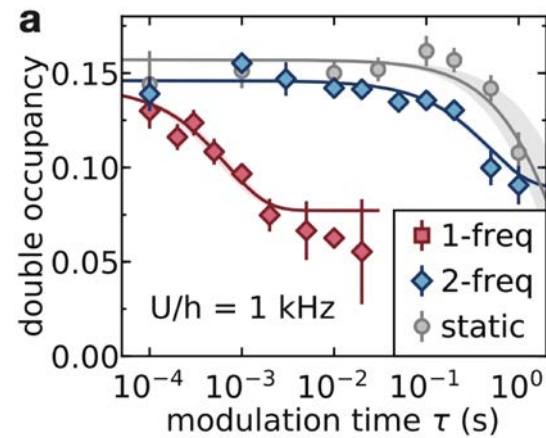


Two frequency drive: interactions

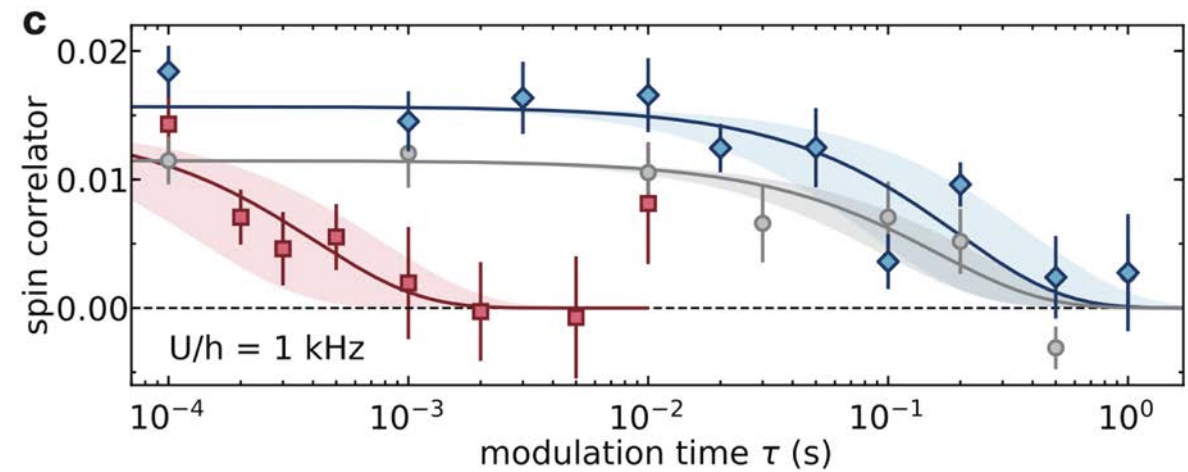
Atom number
ground band



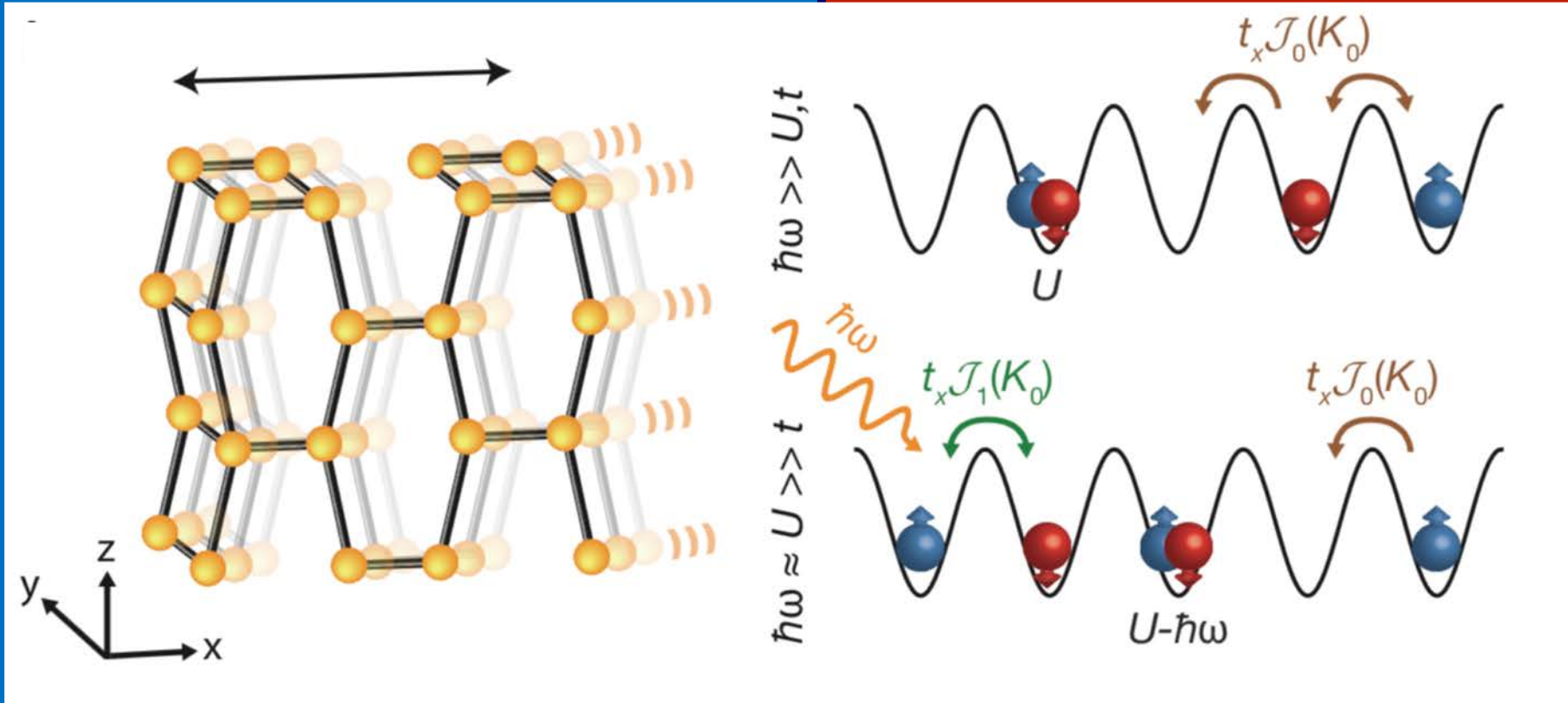
Double occupancy



Nearest neighbor spin correlator



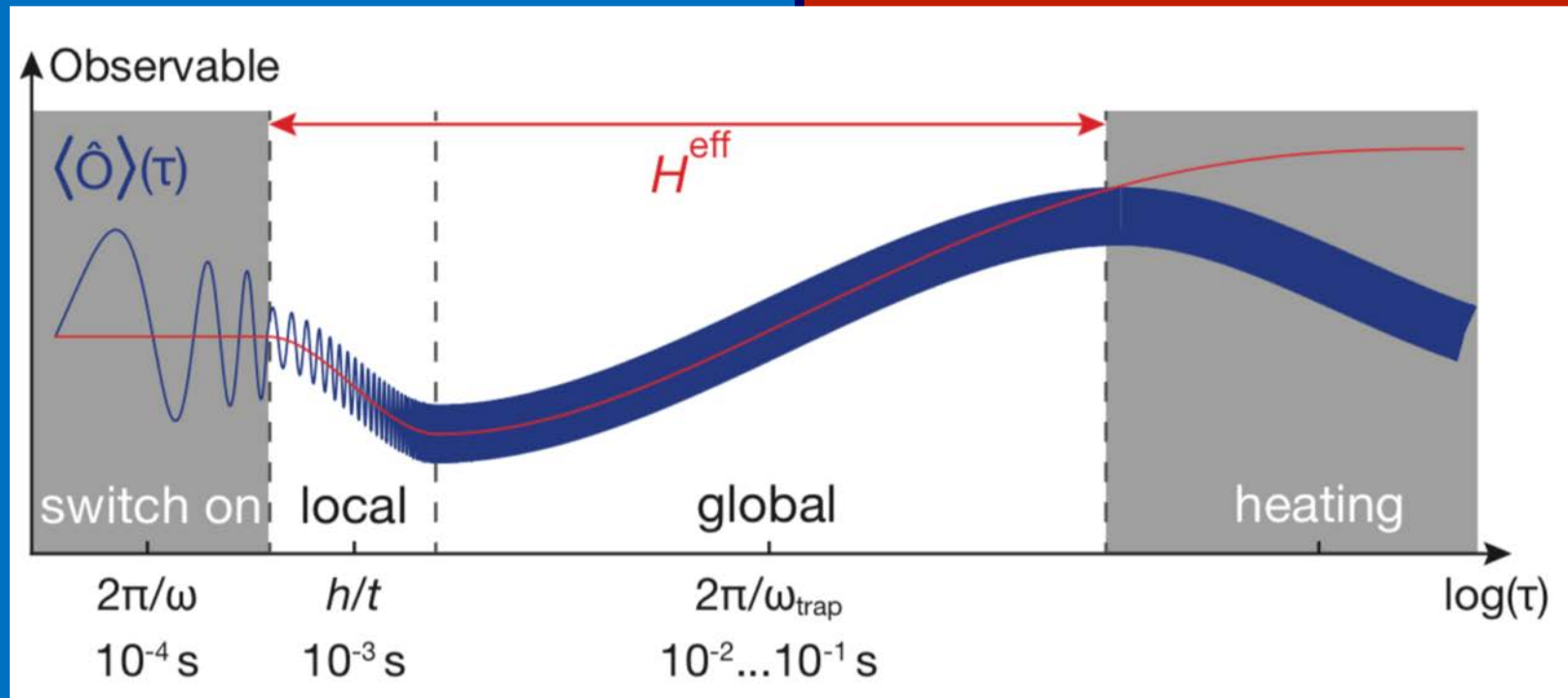
Shaking a Fermi-Hubbard model



Off-resonantly
driven

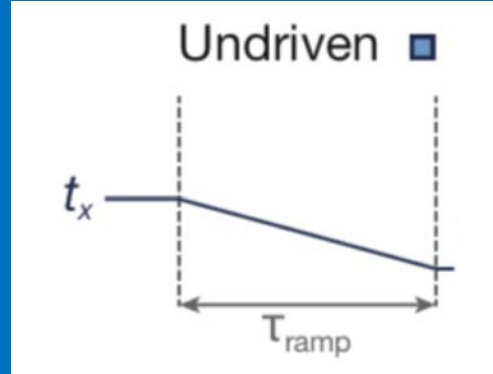
Resonantly
driven

Time Scales

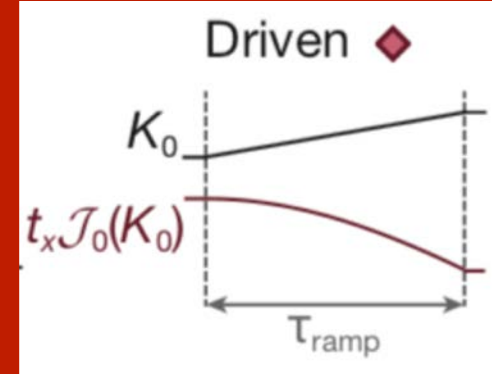


Local time scale

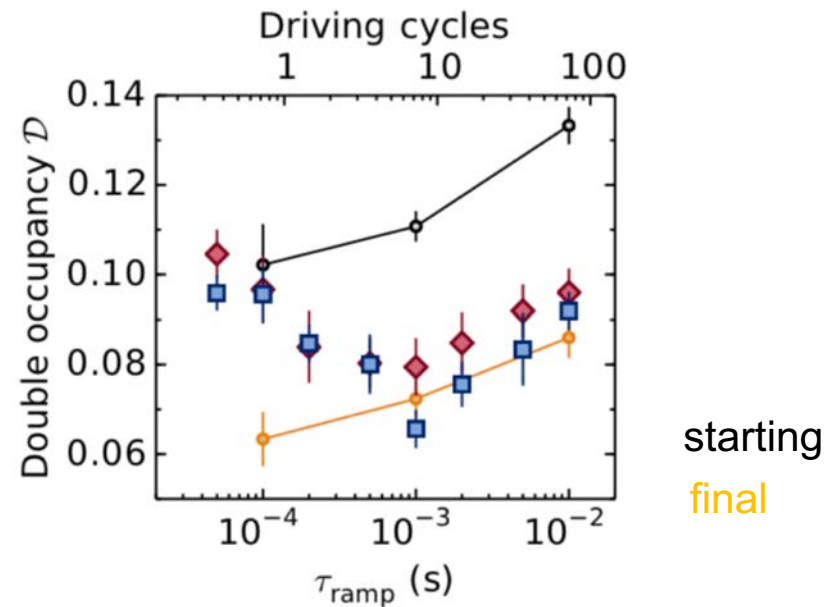
Undriven



Off-resonantly
driven

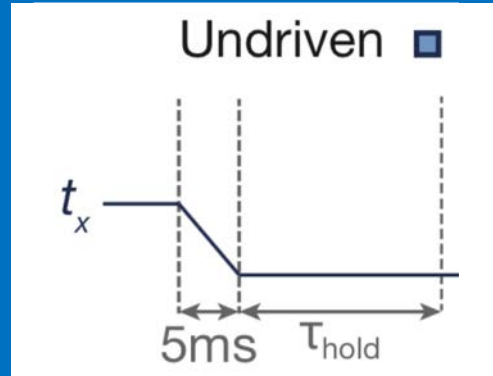


Double occupancy

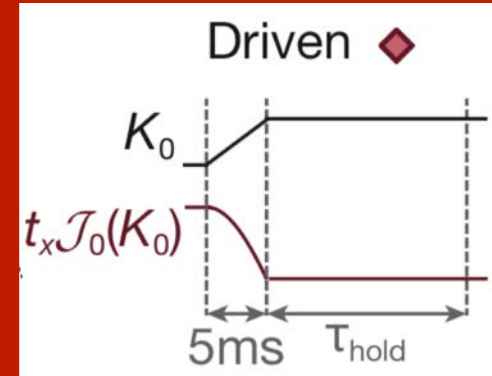


Global time scale

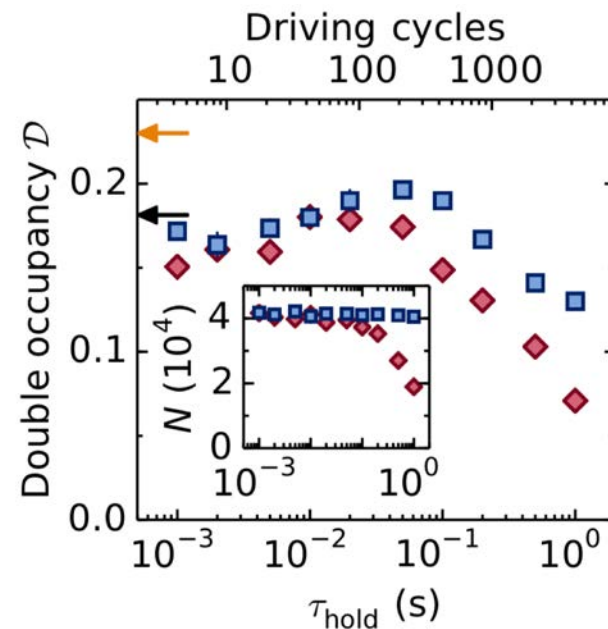
Undriven



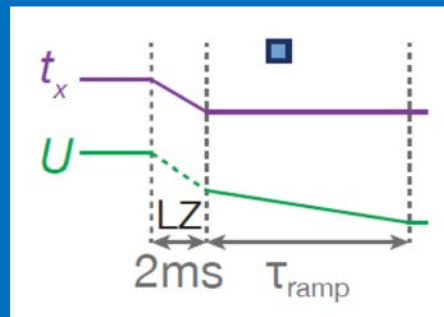
Off-resonantly
driven



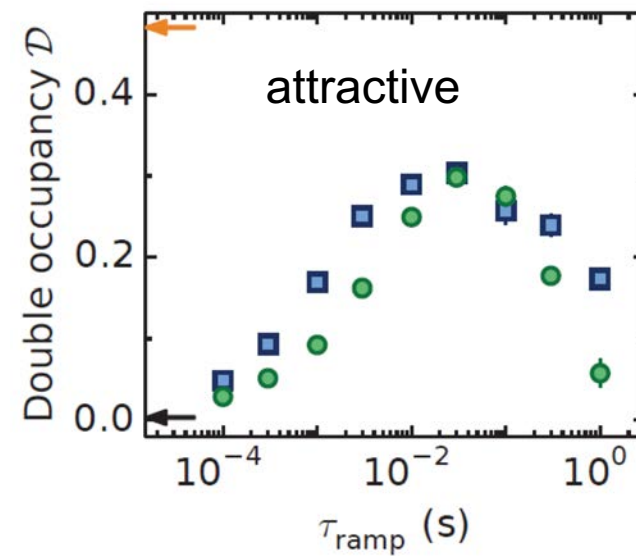
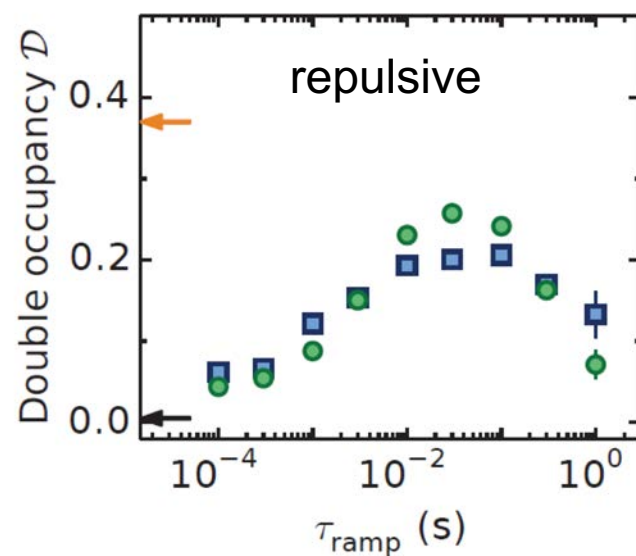
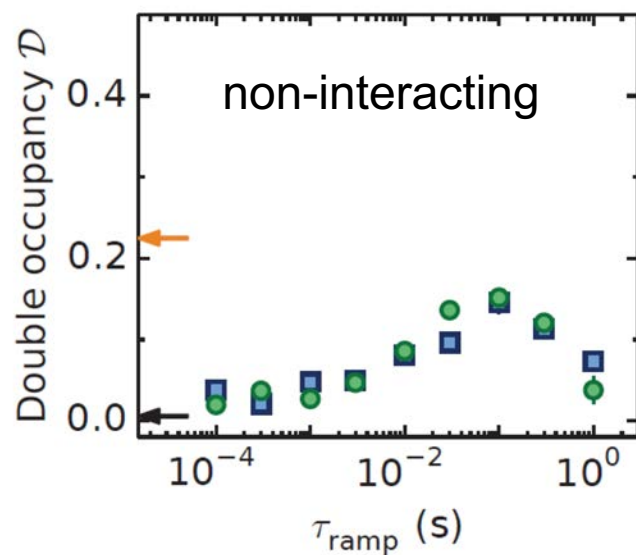
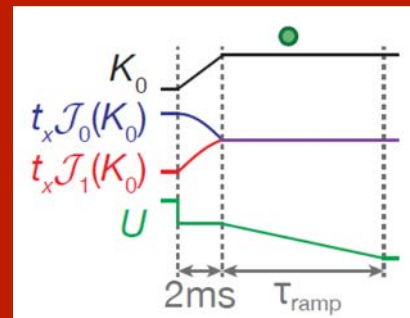
Double occupancy



Undriven

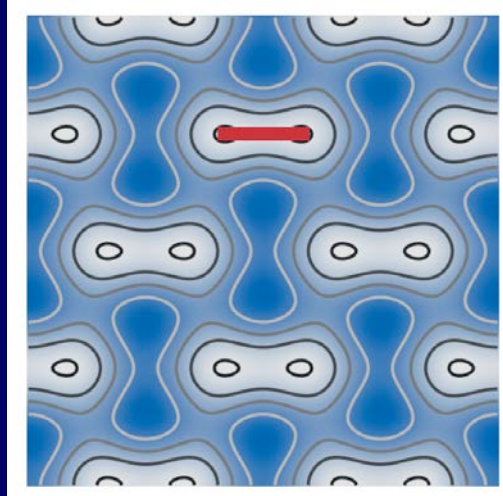


Resonantly driven!

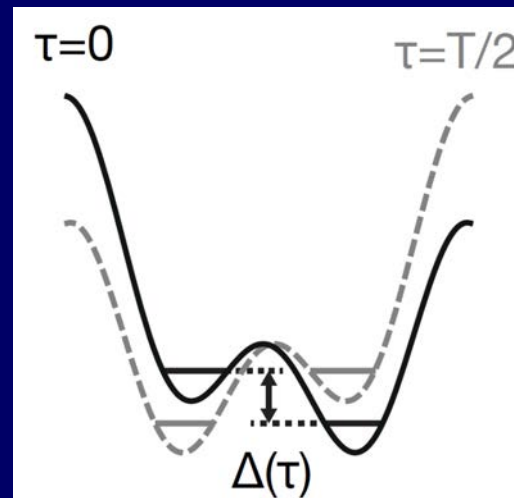


Magnetic correlations in driven lattice

Driven double well



$$t \rightarrow t J_0(K_0)$$

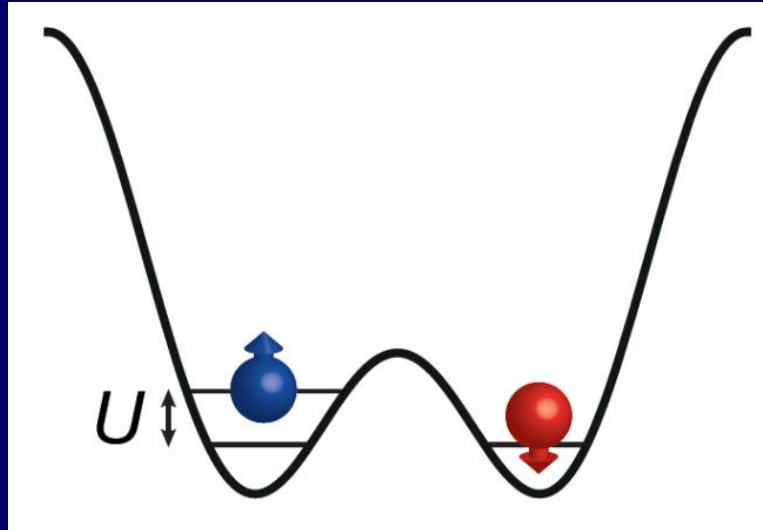


J. Sebby-Strabley, M. Anderlini, P. S. Jessen, and J. V. Porto, Phys. Rev. A 73, 033605 (2006)

E. Kierig, U. Schnorrberger, A. Schietinger, J. Tomkovic, and M. K. Oberthaler, Phys. Rev. Lett. 100, 190405 (2008).

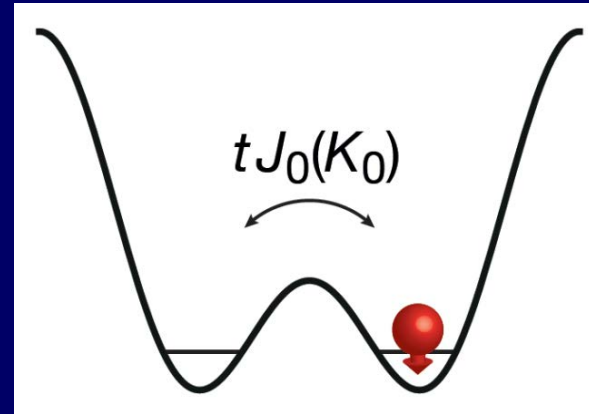
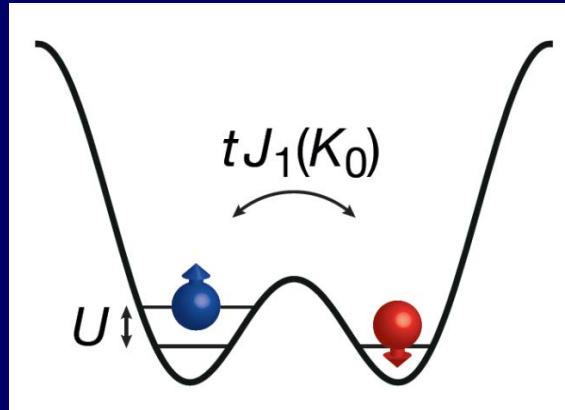
S. Fölling, S. Trotzky, P. Cheinet, M. Feld, R. Saers, A. Widera, T. Müller, and I. Bloch, Nature (London) 448, 1029 (2007).

Driven double well



$$U \approx \omega$$

Driven double well

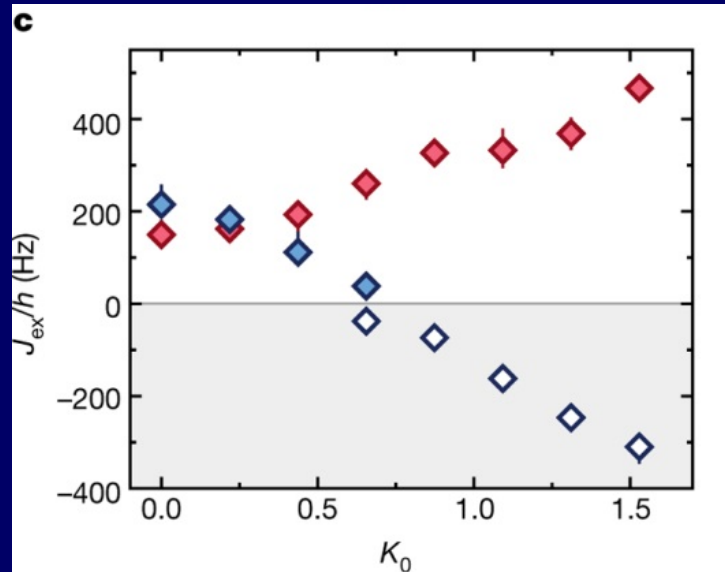


Exchange

$$\hbar\omega \gg (\hbar\omega - U) > t$$

$$J_{\text{ex}} = -\frac{4t^2 J_0^2(K_0)}{U} - \frac{4t^2 J_1^2(K_0)}{U - \hbar\omega}$$

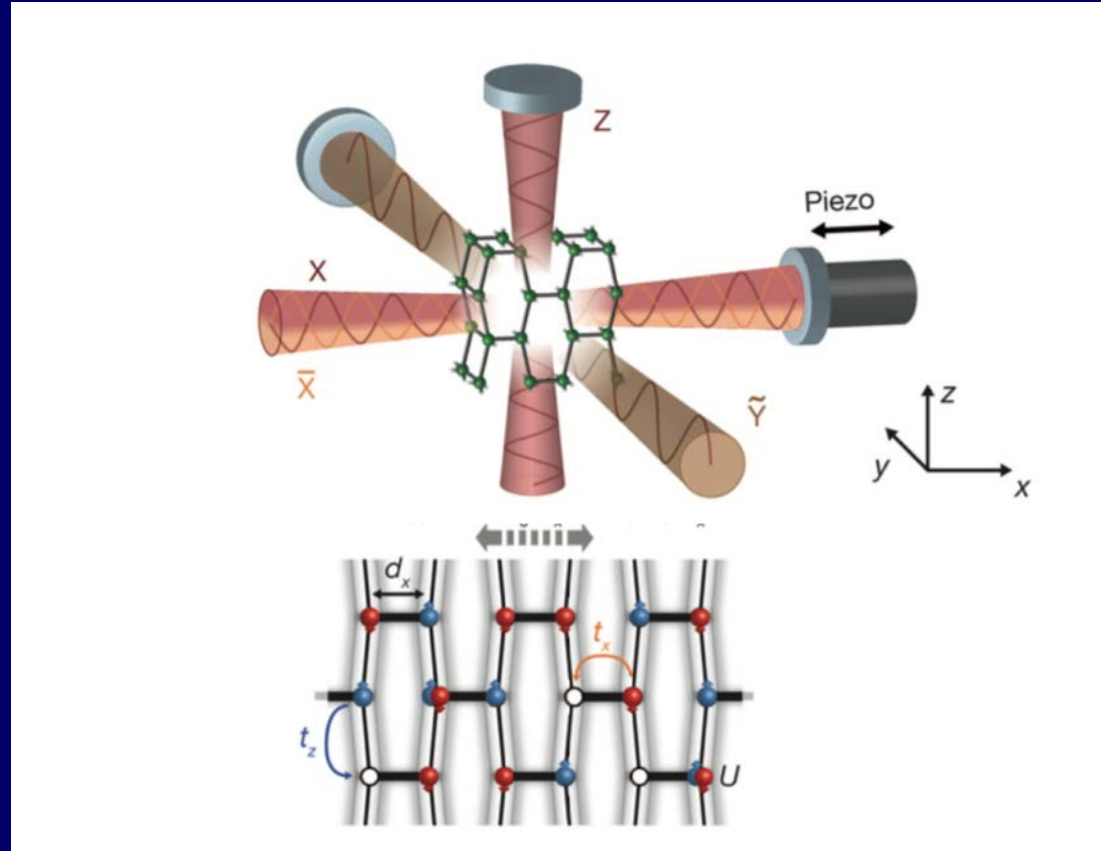
Driven double well



$U=9.1 \text{ kHz} > \omega$

$U=6.5 \text{ kHz} < \omega$

Magnetic correlations in driven lattice

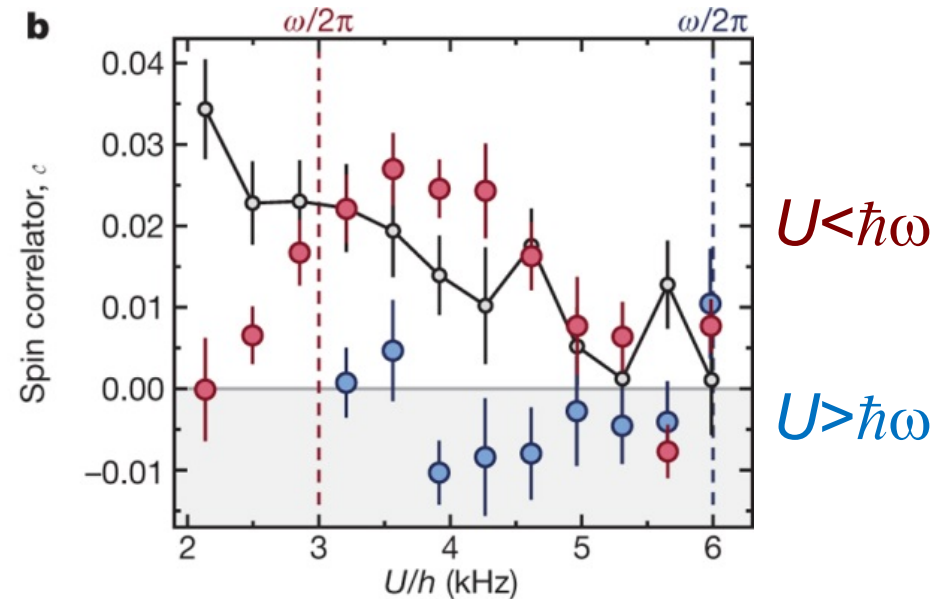


F. Görg, M. Messer, K. Sandholzer, G. Jotzu, R. Desbuquois, T.E., Nature 553, 481-485 (2018)

Also: J. Coulthard, S. R. Clark, S. Al-Assam, A. Cavalleri, D. Jaksch, Phys. Rev. B 96, 085104 (2017)

J.H. Mentink, K. Balzer, M. Eckstein, Nat. Commun. 10.1038/ncomms7708 (2015)

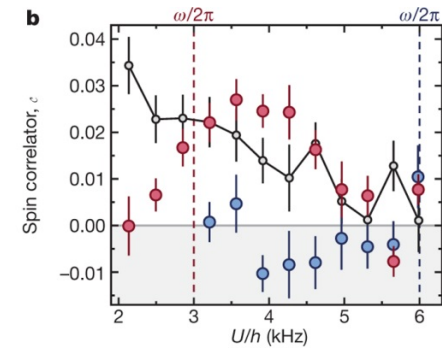
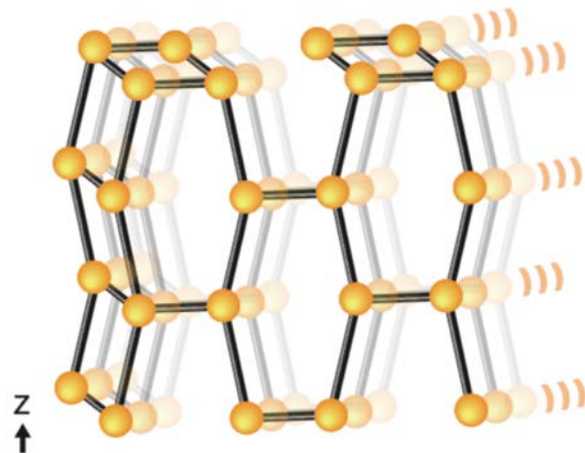
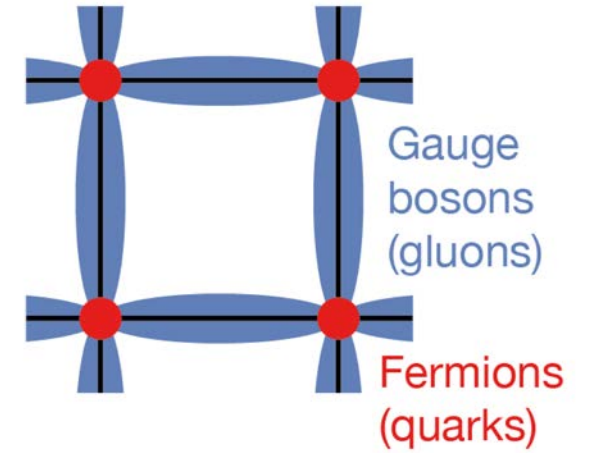
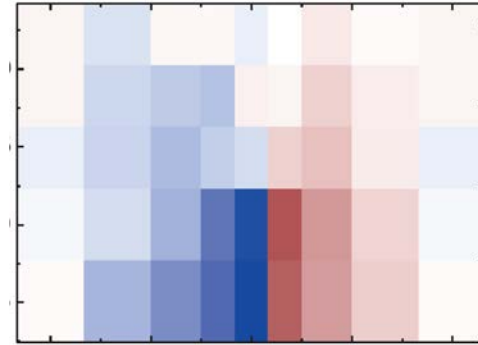
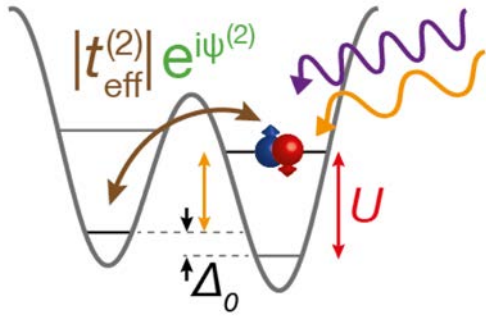
Enhancement of magnetic correlations in driven lattice



F. Görg, M. Messer, K. Sandholzer, G. Jotzu, R. Desbuquois, T.E., Nature 553, 481-485 (2018)

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Conclusions



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Quantum Gases in Optical Lattices

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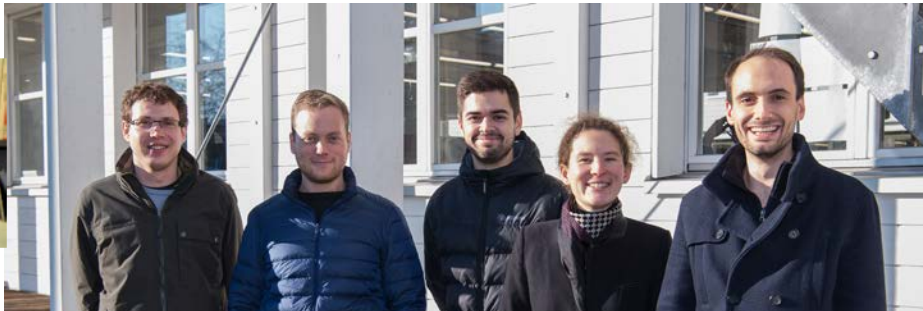
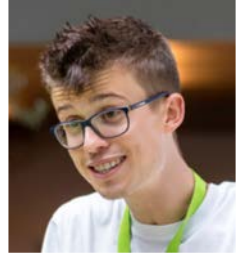


Electronics: Alexander Frank
Administration: Stefanie Ackermann



Impact experiment

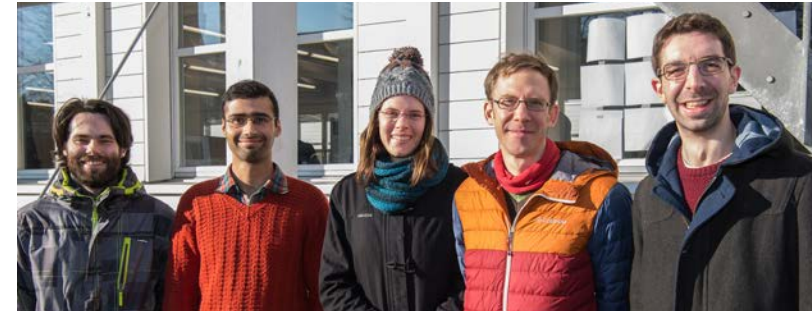
Tobias Donner
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Lithium Transport

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