

(I)

Surfaces and Interfaces: Correlated

Electron ~~8~~ Materials ©AJM/MS
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- How do the characteristic behaviors of correlated electron materials change at a new interface or surface (= material/vacuum int)
- Many questions: device engineering $\rightarrow$ basic physics
- Ability to find answers - now within reach
- Still: more questions than answers
more areas where the good question needs to be formulated.
Here: present questions + a few basic concepts
- These lectures: mainly transition metal oxides

~~(I) Motivating Questions + Foundational Expts~~
~~(II) The polarization catastrophe~~
~~(III) The $\text{LaTiO}_3/\text{SrTiO}_3$ heterostructure~~
~~(IV) Colossal Magnetoresistance~~
~~(V) Prospects~~

(I) The Questions
(II) Some motivating experiments
(III) Theory polarization catastrophe
(IV) Theory
(V) The $\text{LaTiO}_3/\text{SrTiO}_3$ heterostructure
(VI) CMR heterostructures
(VII) Prospects

The Questions

- Correlated electron materials: CTMO/
 - $\text{La}_{2-x}\text{Sr}_x\text{CuO}_4$ - high T_c
 - $\text{La}_{1-x}\text{Sr}_x\text{MnO}_3$ - "half metal" (pol. cond. band)
 - charge, orbital, mag. order
 - "colossal" MR + other enhanced response
- V_2O_3 - metal insulator transition

General: "exotic" electronic phases
enhanced response

~~Qn. how does this change near an interface~~
~~Both "academic" and practical relevance~~

Physics: d-orbital. Starts $5 \times$ deg.
 $\Rightarrow$ can hold 10 el.

- + physics
 - occupancy strongly affected by
 - ~~carrier density~~
 - Interaction effects:
 - $U_{dd} = E(N+1) + E(N-1) - 2E(N)$
 - Hund coupling (max spin state)
 - Ligand Field [split d-levels] @ lattice
 - Hybridization (electron itinerancy)
 - Carrier density $\downarrow$

In many materials, different states close by in energy are finely balanced
 $\Rightarrow$ even small changes $\Rightarrow$ big difference

- What is different about surface/interface
 - Surface: lower coordination (1 direction electrons can't go)
 - Different interaction.
 [U dep. on environment] - Scutty
 - Different crystal symmetry (typically lower)

Rules of thumb:

- lower coordination: less KE $\Rightarrow$ more ns
- vacuum: less screening $\Rightarrow$ larger U
- lower sym: less fluct., easier to localize.

$\Rightarrow$ CVO prl.
 $\Rightarrow$ more PRL

- Question not just academic

$$3(1-x) + 2(x) - 6 + [U_n] = 0 \Rightarrow \begin{matrix} V_n = 3+x \\ n_d = 3+x \end{matrix}$$

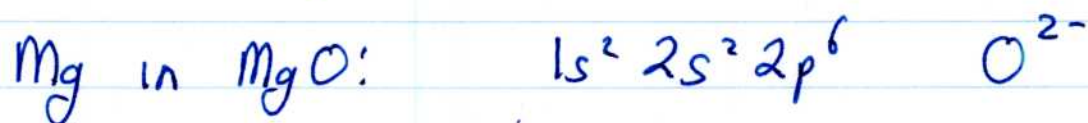
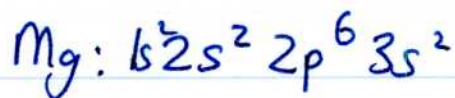
$\text{La}_{1-x}\text{Sr}_x\text{MnO}_3$: Mn: $\approx$ cubic environment
 $\Rightarrow e_g \quad x^2-y^2 \quad 3z^2-r^2$

$\Rightarrow$ 5 Mn d: $\equiv t_{2g} \quad (d_{xy}, d_{xz}, d_{yz})$

Interactions such that $4-x$ d e^-/Mn

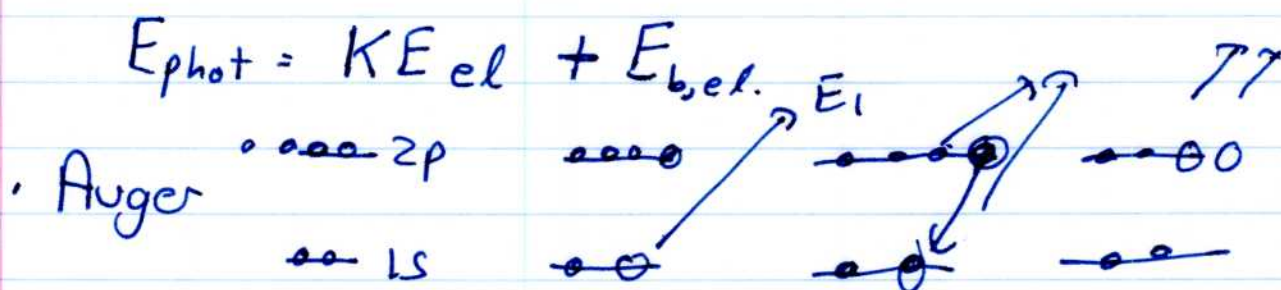
3 in t_{2g} , max spin state
 $(1-x)$ in e_g . Spin "slaked" to t_{2g} "core"
 spin.

Sawatzky: MgO



Would like to compare energy of $2p^6$, $2p^5$, $2p^4$: "U for holes" = $E_{p^4} + E_{p^6} - 2E_{p^5}$

Abs $\sim$ - Note: 2 holes: singlet, S, D
 • XPS: Blow 1 e^- out of core. E not same multiplet



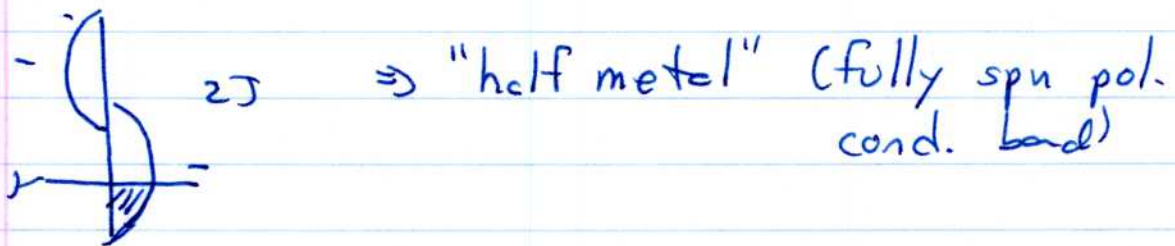
$\Rightarrow$ 2 E_{out} from 2p. in singlet state

$$E_{\text{phot}} = KE_1 + KE_2 + (2E_{2p} + U) - E_{1s}$$

$$\Rightarrow H_{eg} = -t_{ij}^{\sigma} d_{ai}^{\dagger} d_{bj} + H_{int} + J[\vec{S}_{ci} \cdot \vec{\sigma}_i^{\dagger} \vec{\sigma}_i d_i]$$

~~⇒ μ_{FM}~~

in FM state: spin dep. chemical potential " $2J S_c$ "



$\Rightarrow$ material should be very effective
"spin valve" for $T < T_c \approx 350-400K$

$\hookrightarrow$ (Sun)

$\Rightarrow$ something happens at interface different from bulk

~~etc~~

~~Neutron XRD~~

~~Surface physics of inorganic~~

• Ex 2: orbital order:

while $\text{La}_{1-x}\text{Sr}_x\text{MnO}_3$ is FM. ^{met} w/ h
Plan $(\text{La}_{0.5}\text{Sr}_{0.5})\text{MnO}_y$ is insulating + orbitally
ordered

Count: $0.5 \times 3^+ + 1.5 \times 2^+ - 4 \cdot (2) = 3.5 = 0.5 e_g$ h

This e_g goes into 1 of the 2 e_g orbitals
insulator $\Rightarrow$ definite pattern of orb occ

$\begin{matrix} \uparrow \\ \text{Basis for eg: } (3z^2-r^2) \end{matrix}$
 $\begin{matrix} \uparrow \\ (x^2-y^2) \end{matrix}$
 $\begin{matrix} \uparrow \\ (I-S) \end{matrix}$
 $\Rightarrow$ approp. lin. comb. $(3x^2-r^2)$ $(3y^2-r^2)$

Bulk $\text{La}_{0.5}\text{Sr}_{1.5}\text{MnO}_4$: planar

—	○		○	—	
○	—	○		○	$\Rightarrow$ period 4 in x, y
	○	—	○		
○		○	—	○	
—	○		○	—	

What happens at surface:

Recall Bragg scatt: bulk

∞ periodic crystal

Suppose ~~not~~ perfectly ordered, $3d_{\infty}$ lattice cst a, b, c

Scattering amplitude: $\Phi(x, y, z) = \sum_{\substack{n_x=-\infty \\ n_y=-\infty}}^{\infty} f(x-n_x a, y-n_y b, z-n_z c)$

$$\begin{aligned} \Phi_k &= \int dx dy dz e^{i\vec{k} \cdot \vec{r}} f \\ &= \sum_{n_x, n_y, n_z} e^{i k_x a (n_x + \frac{1}{2})} e^{i k_y b n_y} e^{i k_z c n_z} f_{n_x, n_y, n_z} \end{aligned}$$

only non zero when Bragg condition obeyed

Suppose semi-infinite:

$$\sum_{n_z=0}^{\infty} \left(\sum_{n_x, n_y=-\infty}^{\infty} e^{i k_x a (n_x + \frac{1}{2})} e^{i k_y b n_y} f_{n_x, n_y, n_z} \right) e^{i k_z c n_z}$$

$$\sum_{n_z=0}^{\infty} \left(e^{i k_z c n_z - \epsilon n_z} \right) f_{k_{||}, k_z} = \frac{f_{k_{||}, k_z}}{1 - e^{i k_z c - \epsilon}} \quad \text{regularize} \quad \text{(I-6)}$$

$$\Rightarrow \text{away from Bragg peak: } \frac{f_{k_{||}, k_z}}{1 - e^{i k_z c}} \sim \frac{1}{i(k_z - G)c}$$

$$\text{Prob: } |c_{npl}|^2 \sim \frac{1}{[\Delta k_z]^2} \quad \text{"Bragg Rod"}$$

Now suppose top layer is different: $f^{n=0} \neq f^{n \neq 0}$

$$Q_k = \frac{f_{k_{||}, k_z}}{1 - e^{i k_z c}} + \frac{f^{n=0} - f}{1 - e^{i k_z c}} = \frac{f_{k_{||}, k_z} e^{i k_z c}}{1 - e^{i k_z c}} + f^{n=0}$$

If top layer is phase incoherent with lower layer

$$\text{Scat prop: } \frac{|f_{k_{||}, k_z}|^2}{4 \sin^2 \frac{k_z c}{2}} + |f^{n=0}|^2$$

$\hookrightarrow$ decays as c^2 $\hookrightarrow$ not (or more slowly) decays as c^1

This picture oversimplified, but general idea seems to work

$\Rightarrow H_{||}$

~~New~~ So far: different manifestations of old physics

Most intriguing possibility: some new physics

ex) proposal: Khalilulin. PRL 07
 $- x^2-y^2: 1e^- (1x) \Rightarrow \text{high } T_c$
 Recall high- T_c $- 3z^2-r^2$ filled $2e^-$
 $\equiv t_{2g}: \text{filled } 6e^-$

Inference: 1 carrier in x^2-y^2 band is good for HTSC

Qn: How else might you get this

He says: Take $\text{LaNiO}_3 \Rightarrow 3 \text{ holes in } d\text{-shell}$
 Mott insulator, 8 holes in $d\text{-shell}$. But
 $=$

$\equiv t_{2g}$

Put in appropriate environment -
 split $3z^2-r^2$ $d\text{-level}$ far enough away
 that e^- only in x^2-y^2

Qn can this work?

Discussion so far: - surfaces (all controlled)

QW: How "passivate" a TMO surface
- speculation

Rest of lectures: superlattice. Apparently better controlled system

Ohtomo, Muller-Graef, Hwang. Nature 419 378 (2002)
"Oxide epitaxy" = "careful pulsed laser deposition"

Idea $\cup \cup \cup$

— substrate Shoot calibrated "puffs" of ions at substrate, under appropriate oxygen pressure. Monitor result by high class scattering

- Can grow many "materials by design"

So far: mainly studied variants on " ABO_3 " perovskite structure.

- B site: simple cubic lattice. Latt. par $\approx 4\text{\AA}$
- O: in between each pair of B's
- A: body center of B cube

Typically: B site: electronically active
A site: controls carrier conc. on B

Simplest superlattice: charge only A