R

References (in progress)

Collected references for most Chapters (except those in progress) for books

Introduction to Finite Element Methods
Advanced Finite Element Methods
Nonlinear Finite Element Methods

Margin letters are to facilitate sort; will be removed on completion.

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